

In-medium properties of the η' meson from photonuclear reactions

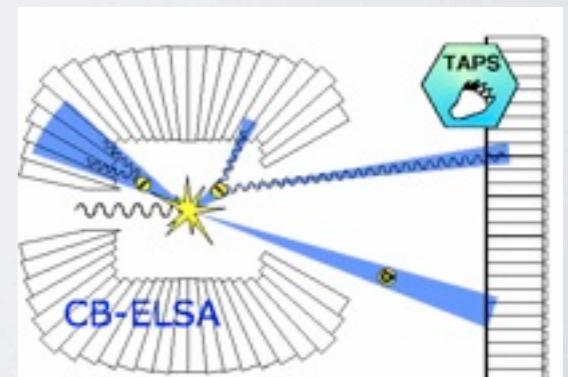
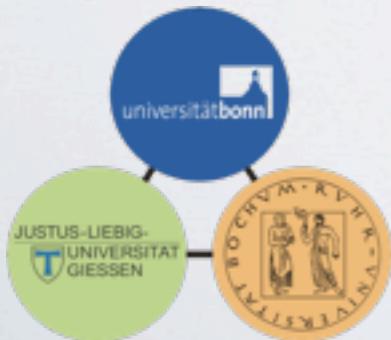
Mariana Nova
II. Physikalisches Institut

JUSTUS-LIEBIG-
 UNIVERSITÄT
GIESSEN

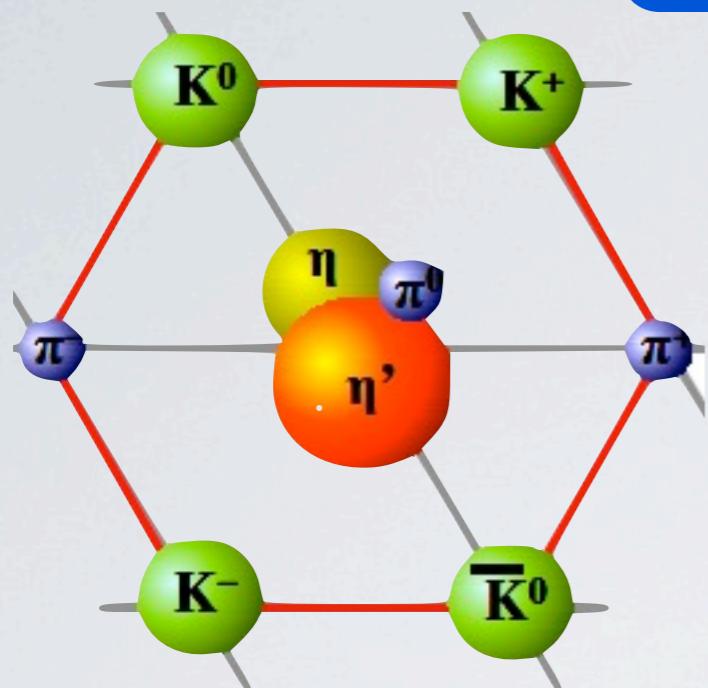
for CBELSA/TAPS Collaboration

12th International Workshop on Meson Production, Properties and Interaction
31 May - 5 June 2012, Kraków, Poland

*funded by the DFG within SFB/TR16

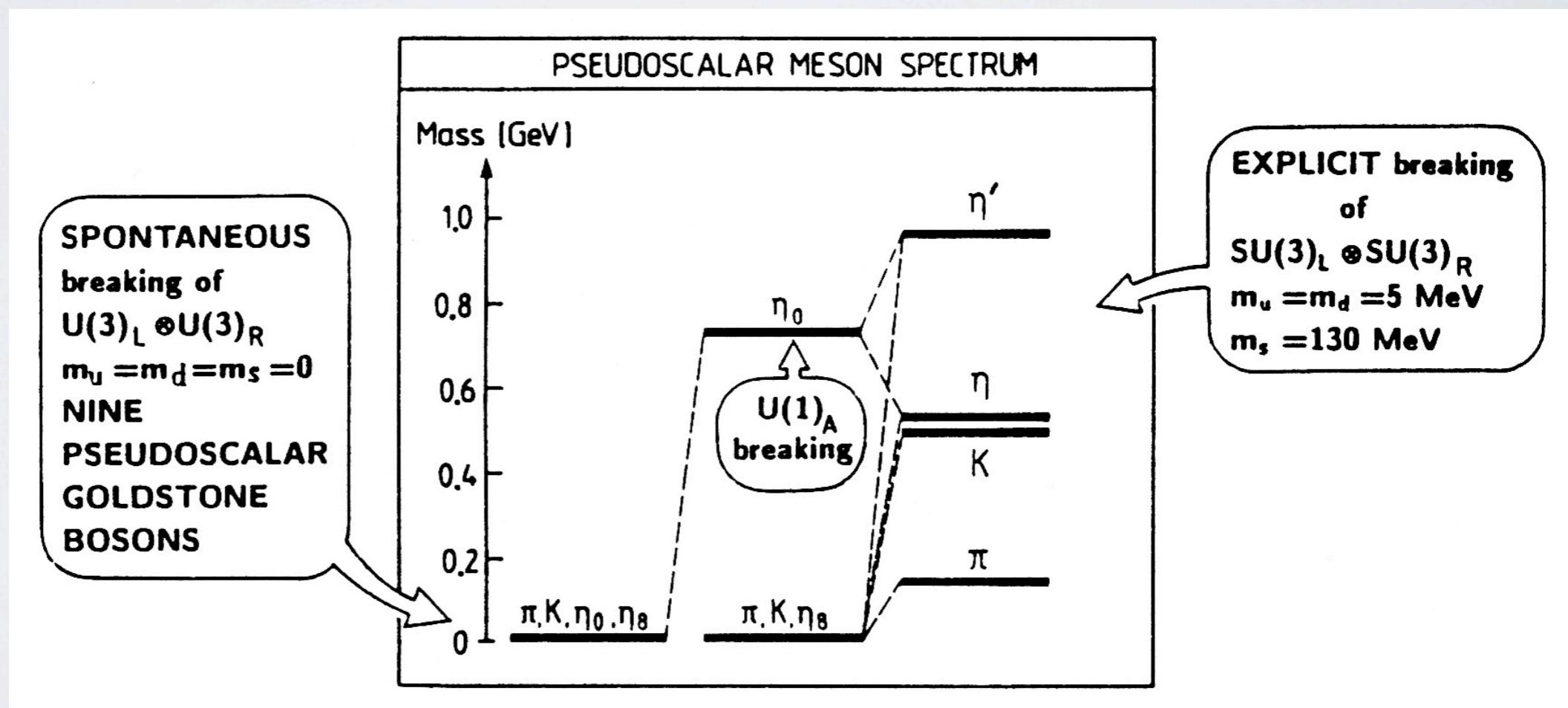


motivation



S. Klimt et al., Nucl. Phys. A516 (1990) 429

The NJL Model

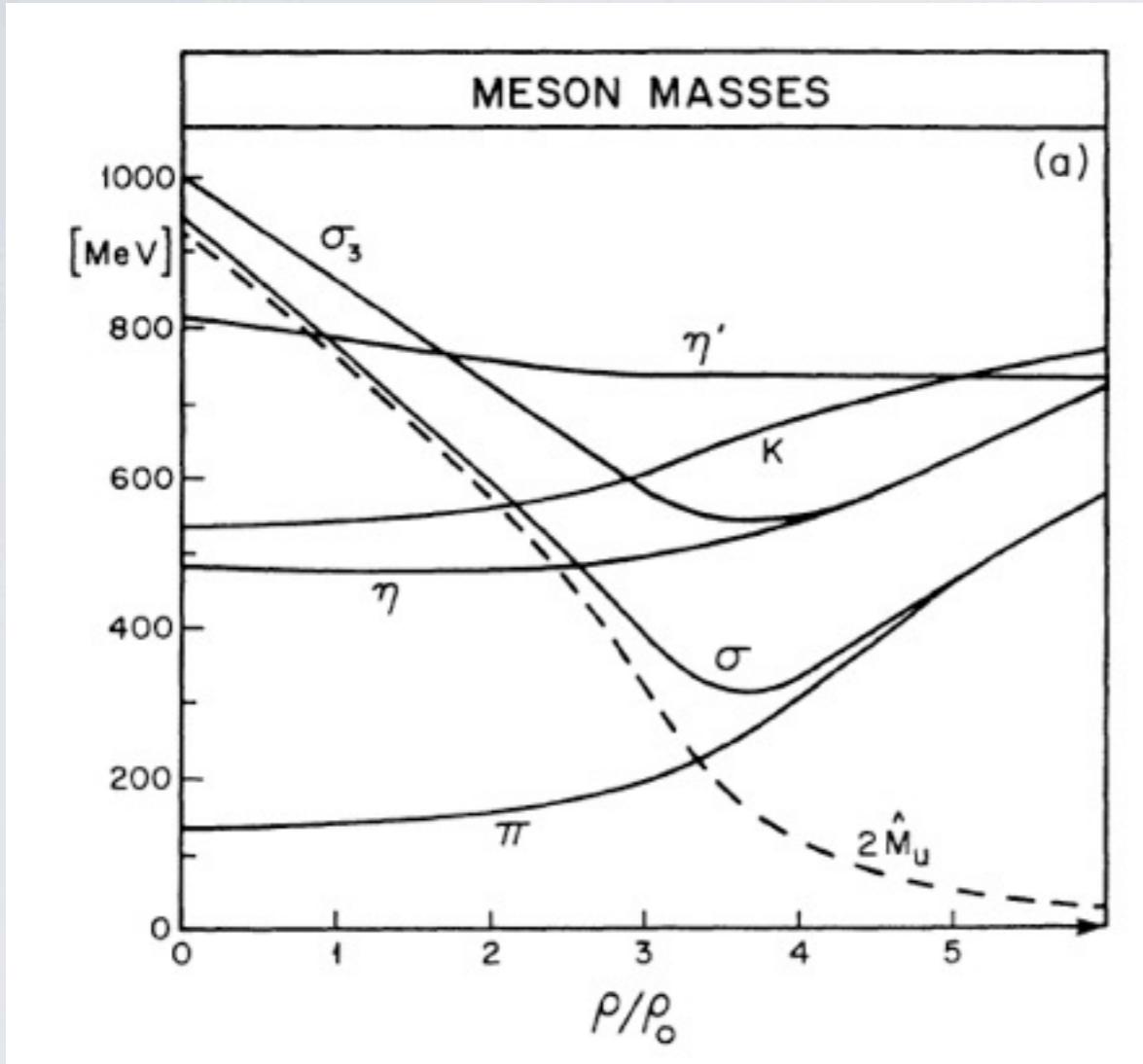


masses as a result of symmetry breaking

spectral function of the η' meson

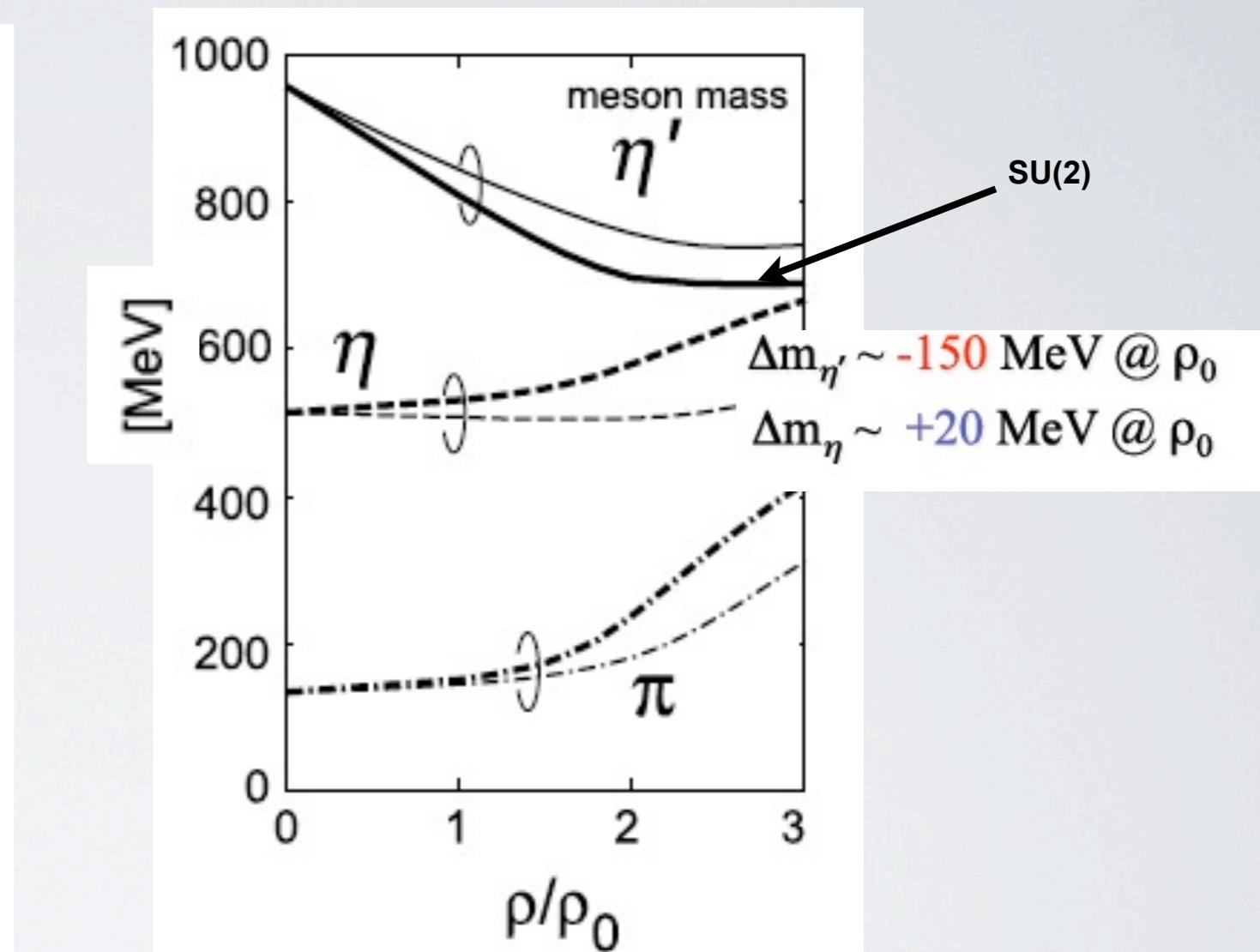
- model predictions - based on NJL

V. Bernard und U.-G. Meißner,
Phys. Rev. D 38 (1988) 1551



the mass of the η' meson is almost independent of density

H. Nagahiro, M. Takizawa and S. Hirenzaki,
Phys. Rev. C 74 (2006) 045203

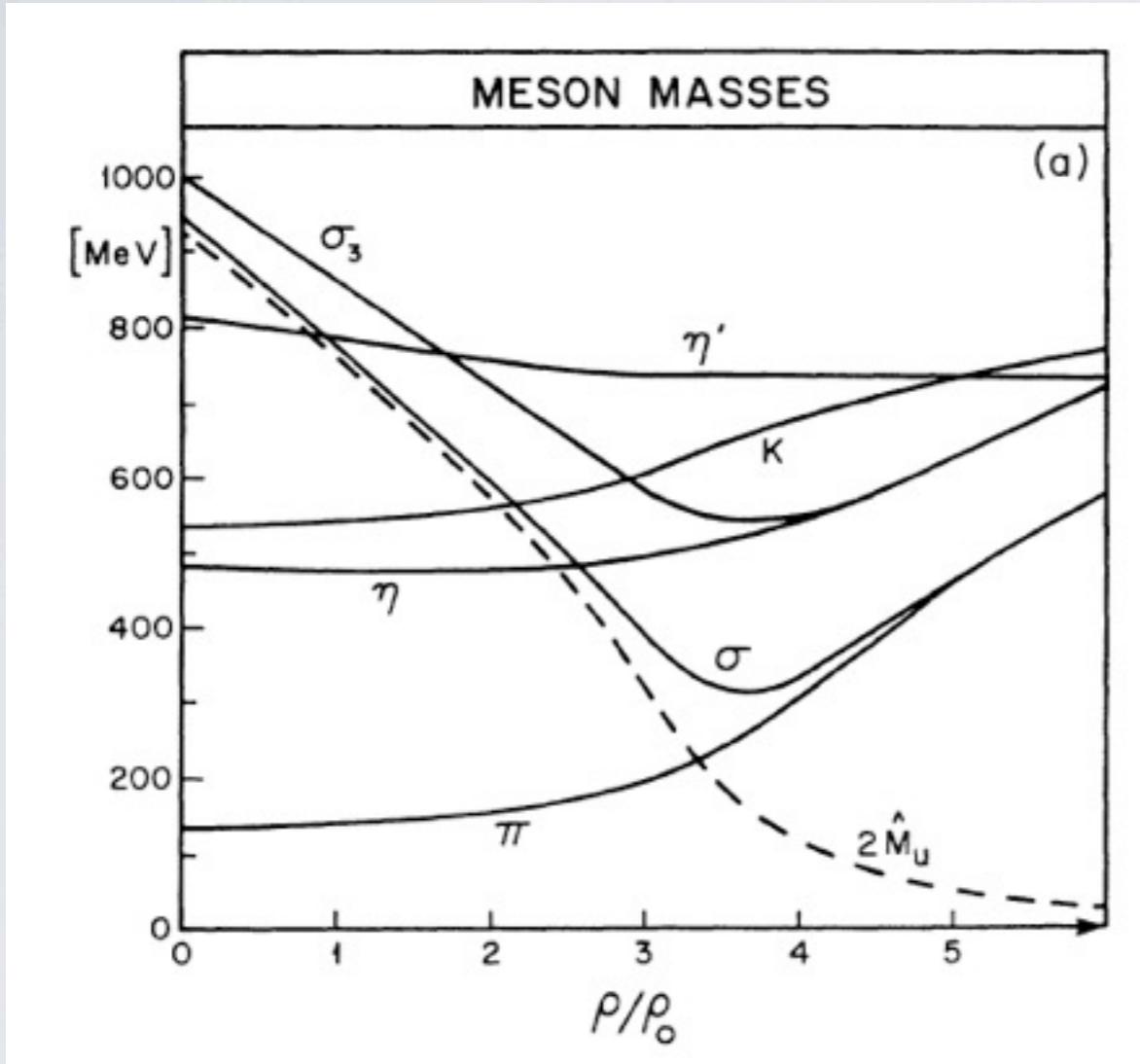


large medium effect could be seen even at normal nuclear density

spectral function of the η' meson

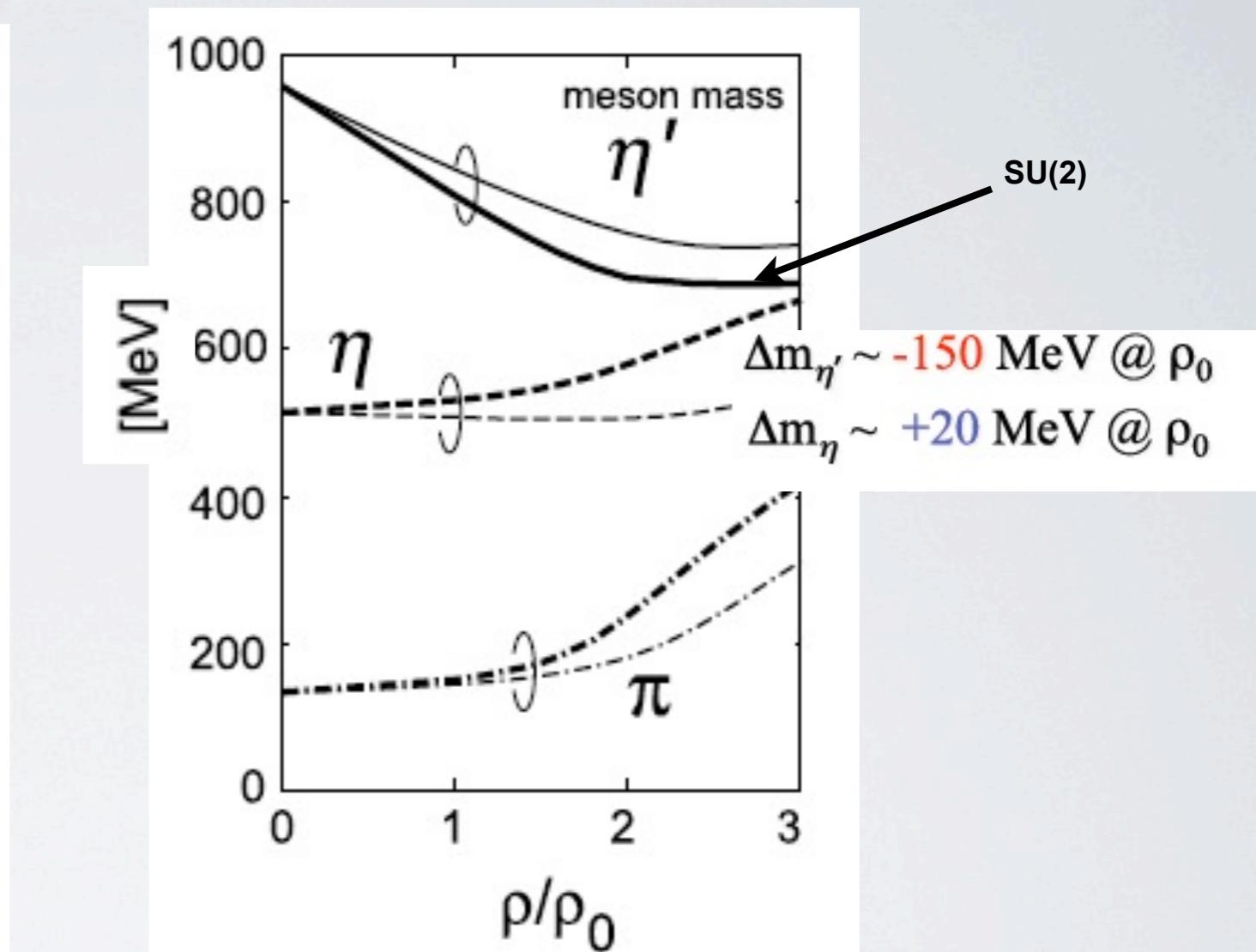
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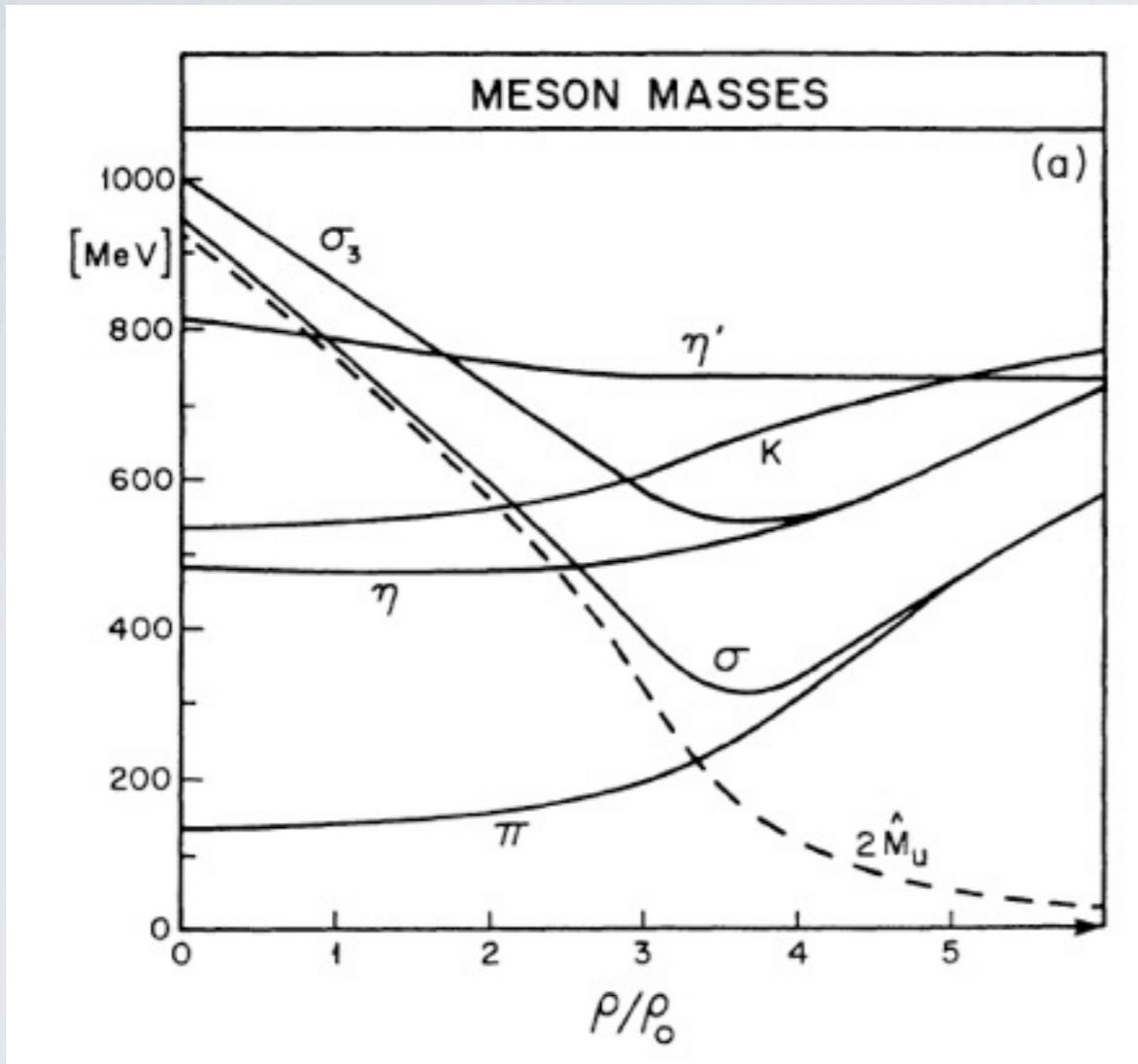
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- experiment:

spectral function of the η' meson

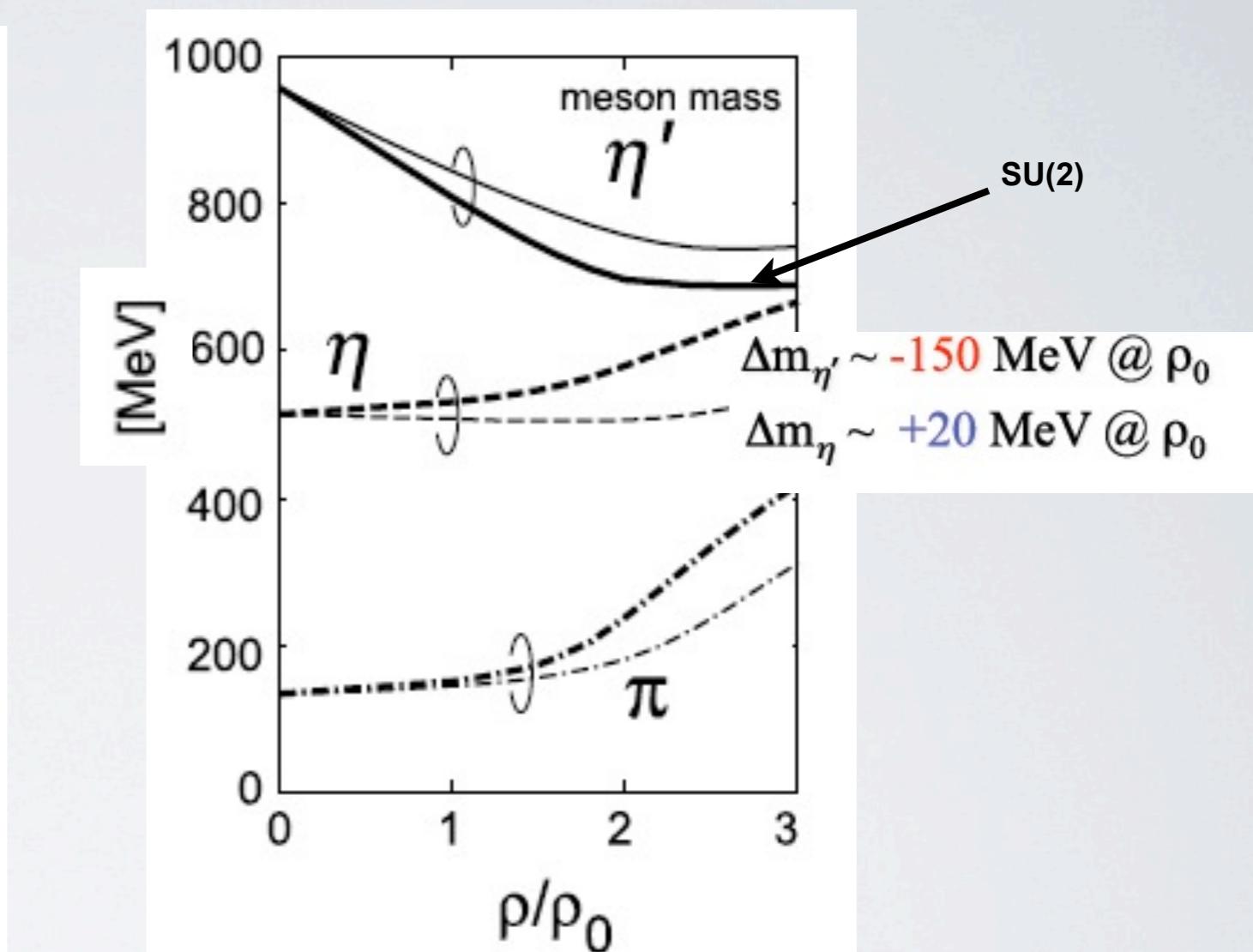
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- experiment:

indirect evidence for reduction of η' mass in the hot medium (PHENIX & STAR data)

T. Csörgő, R. Vértesi and J. Szklai
Phys. Rev. Lett. 105 (2010) 182301
Phys. Rev. C 83 (2011) 054903

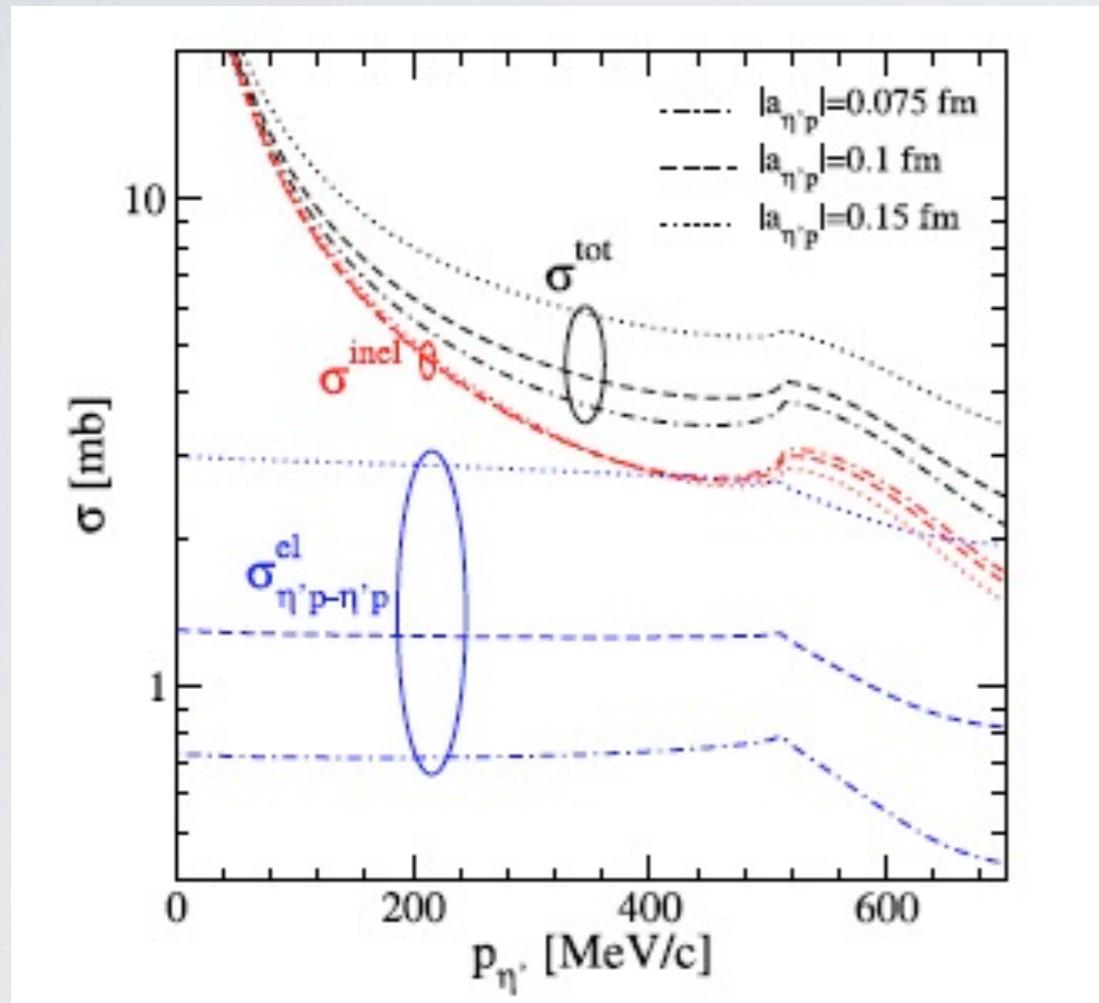
$\eta'N$ interaction

- theoretical study: $\eta'N$ inelastic cross section

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E. Oset, A. Ramos, PLB 704 (2011) 334

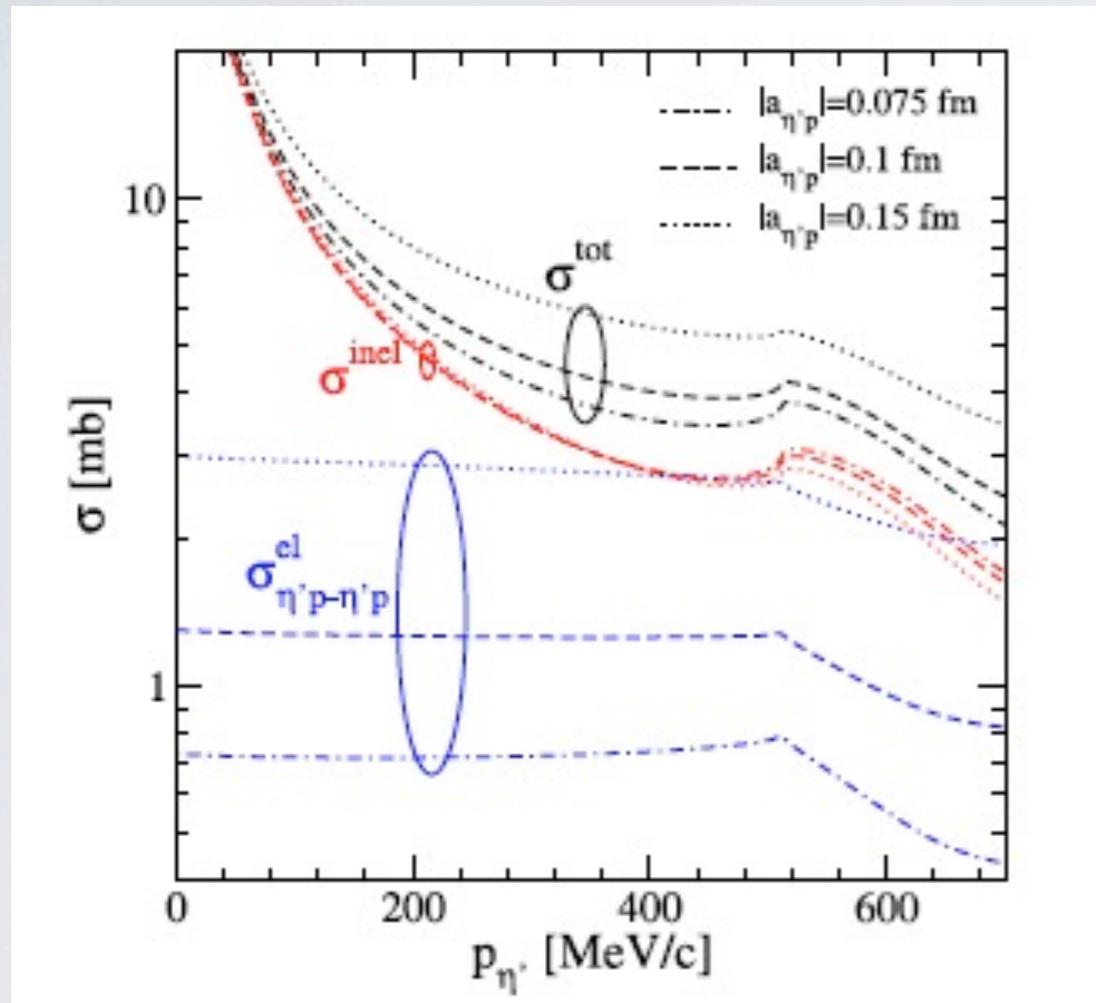


$$\sigma^{\text{inel}} \approx 5 \text{ mb} \text{ at } p_{\eta'} = 200 \text{ MeV/c}$$

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E. Oset,A. Ramos, PLB 704 (2011) 334

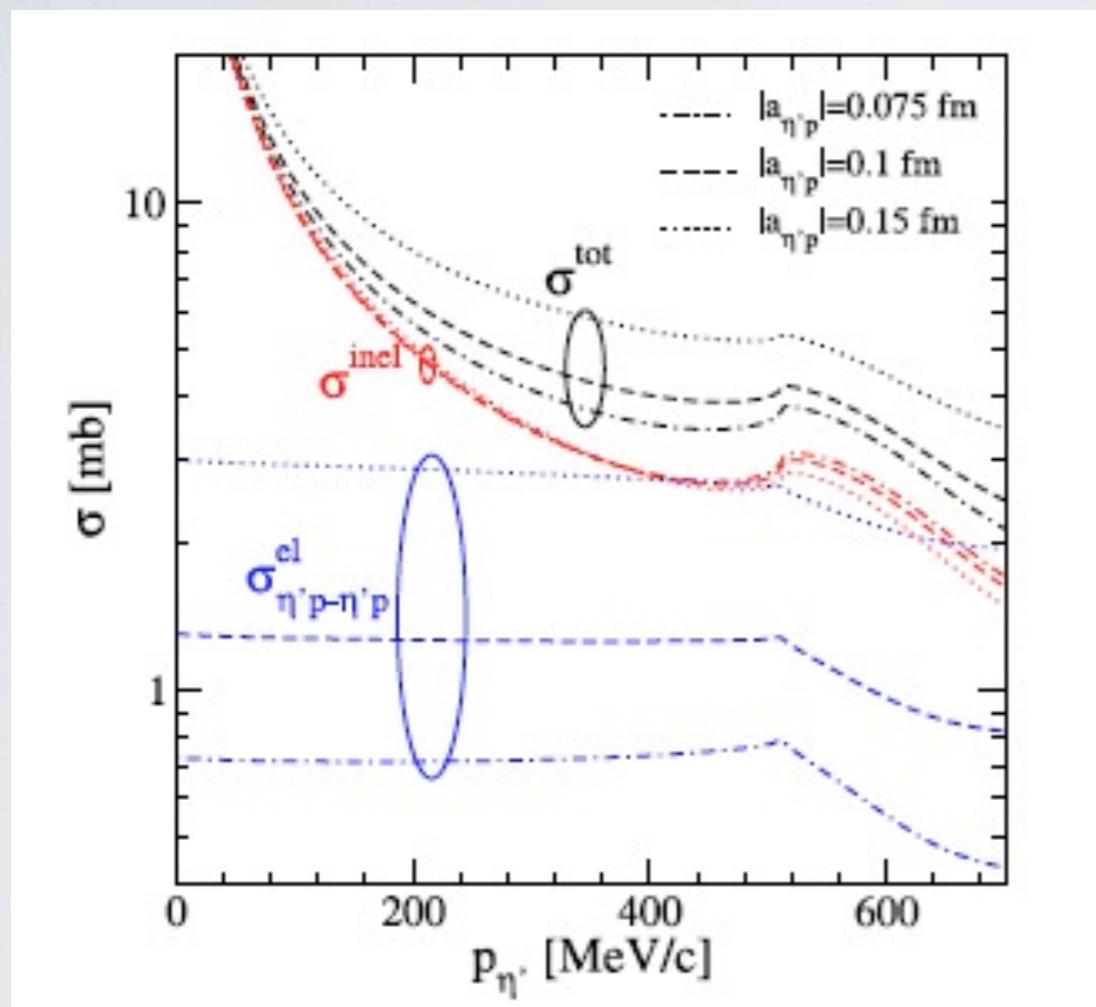


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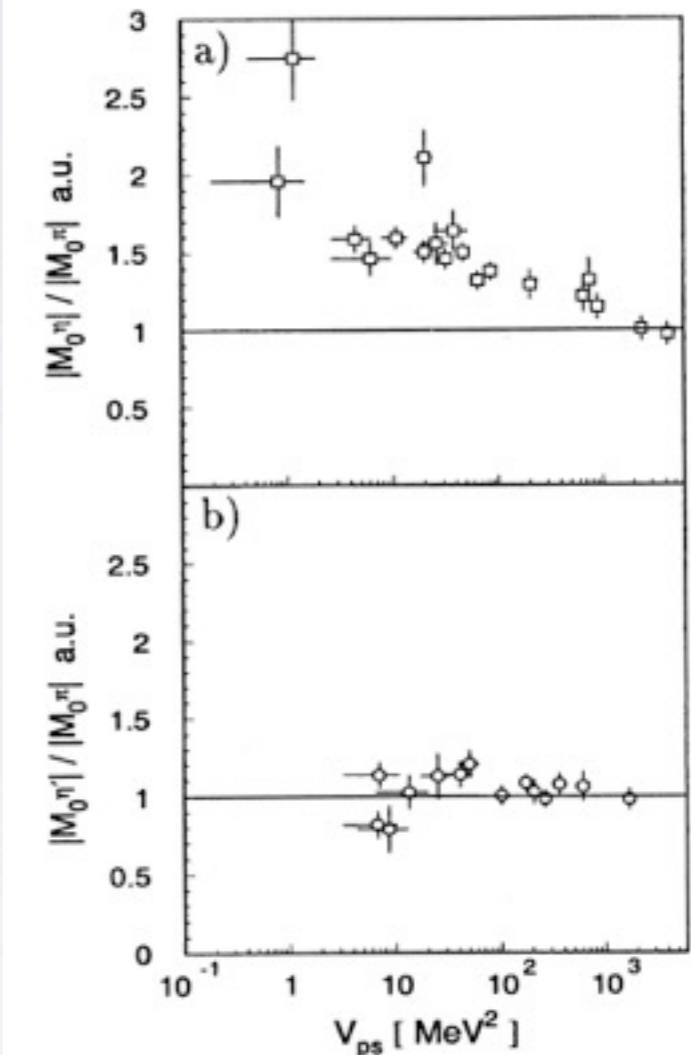
E. Oset, A. Ramos, PLB 704 (2011) 334



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P. Moskal et al., PLB 474 (2000) 416,
PLB 482 (2000) 356 @ COSY-II



from $pp \rightarrow pp\eta'$
compared to $pp \rightarrow pp\pi^0$
to minimize FSI effects

⇒ $|a_{η'N}| \sim 0.1 \text{ fm}$

experimental study of $\eta'N$ interaction with CB/TAPS@ELSA

experimental study of η' N interaction with CB/TAPS@ELSA

- **in-medium width:**

attenuation measurement of the η' meson flux:

transparency ratio

experimental observable to extract the
in-medium width of the meson

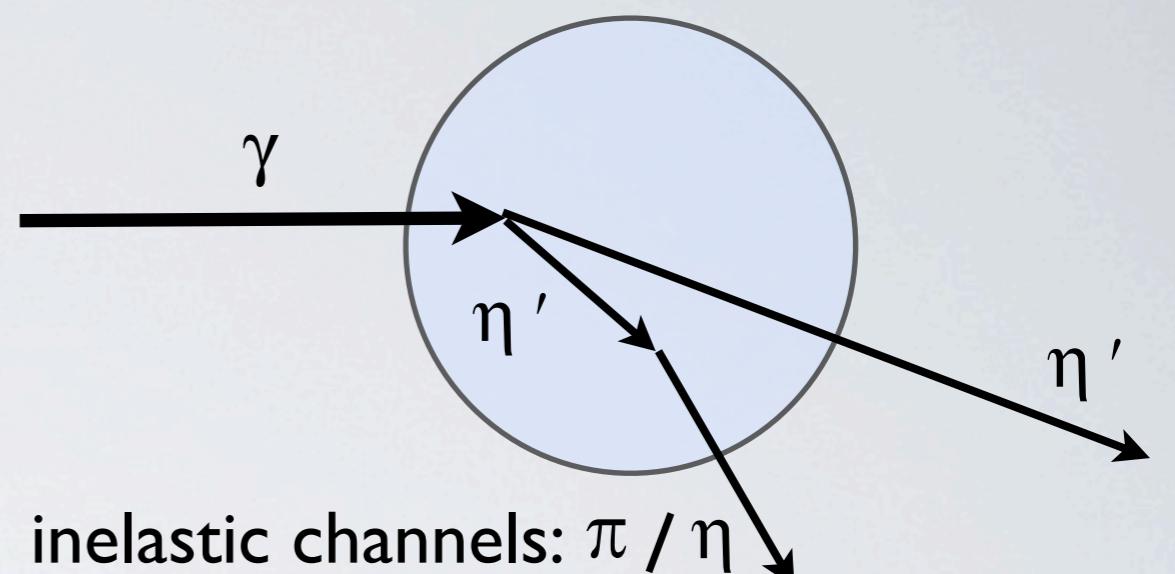
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inelastic channels: π / η

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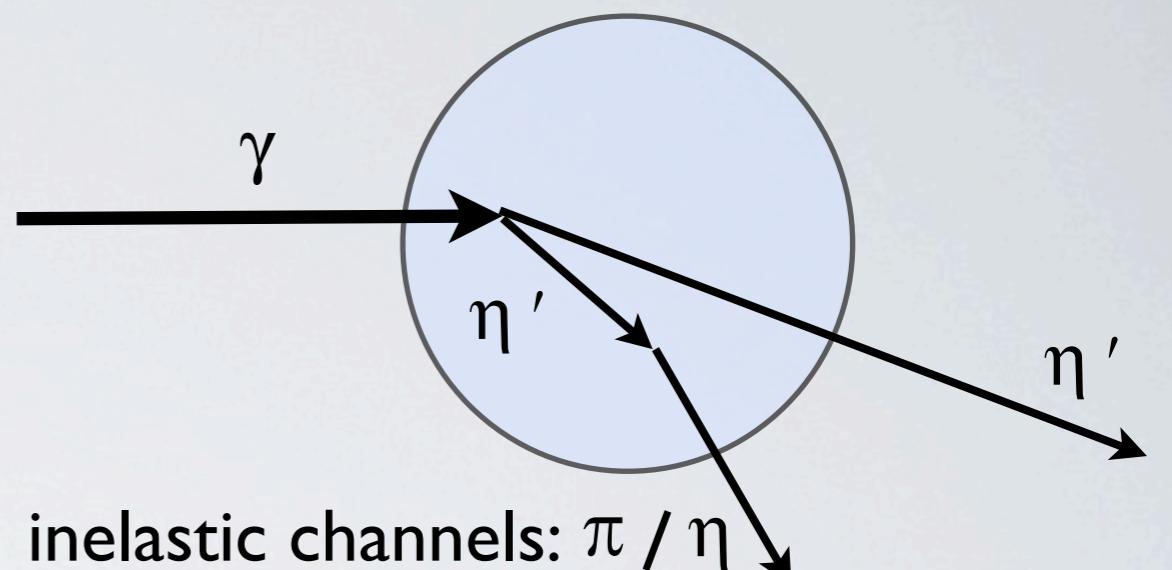
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$$T_A = \frac{\sigma_{\gamma A \rightarrow \eta' X}}{A \cdot \sigma_{\gamma N \rightarrow \eta' X}}$$

production probability per nucleon
within the nucleus compared to
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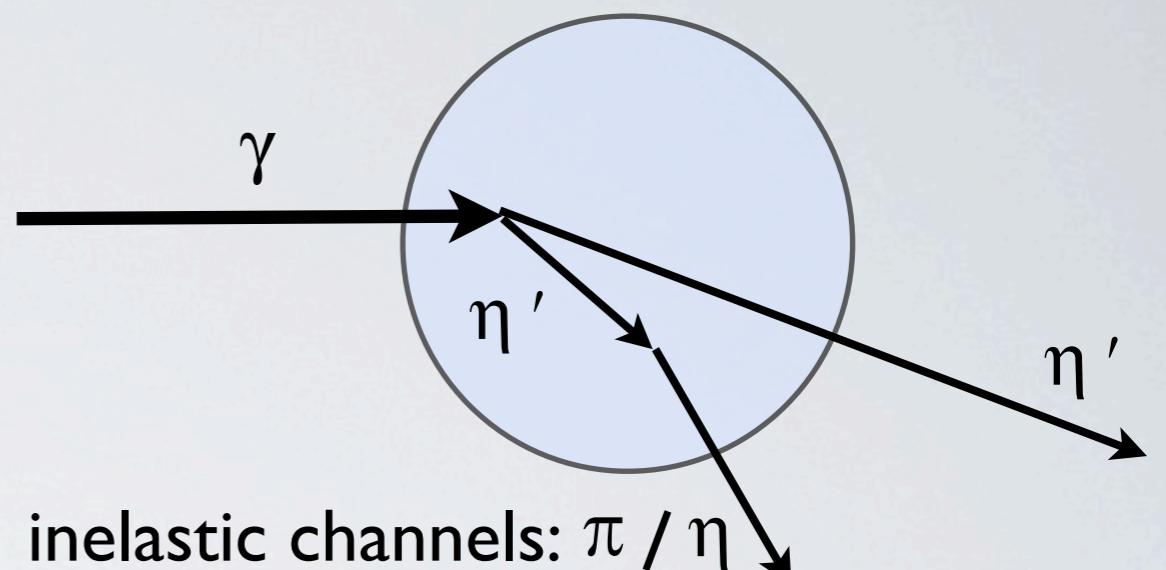
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production probability per nucleon within the nucleus compared to production probability on the free nucleon

inelastic reactions remove η' mesons, e.g. $\eta' N \rightarrow \pi N$

shortening of η' lifetime in the medium \Rightarrow increase in width

low density approximation: $\Gamma(\rho) = -\frac{Im\Pi(\rho)}{E} \sim \rho v \sigma_{inel}$; $\Gamma(\rho) = \Gamma(\rho_0) \frac{\rho}{\rho_0}$



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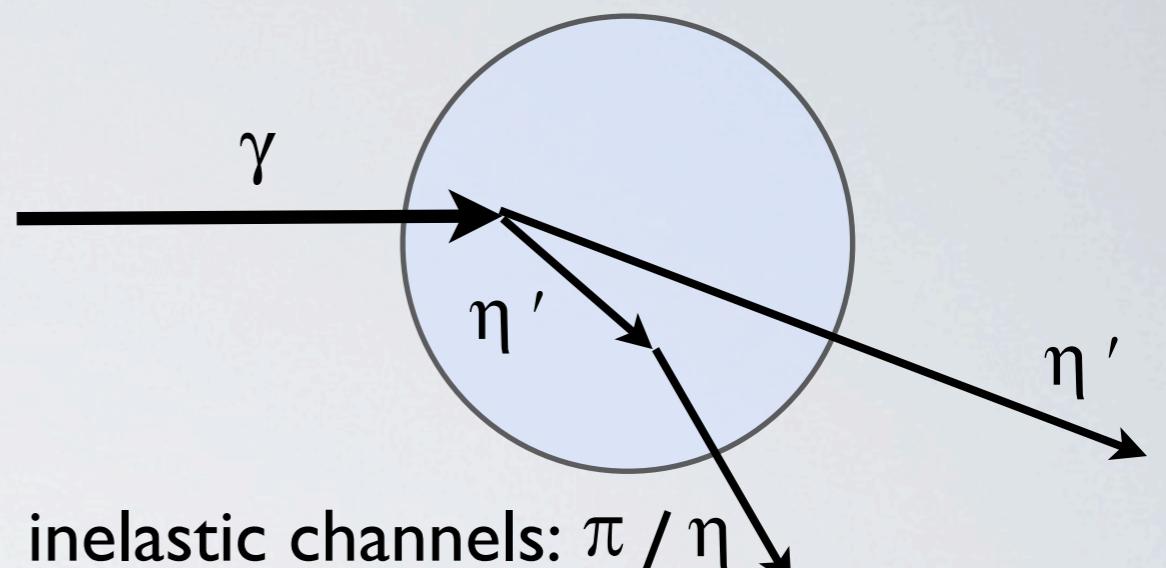
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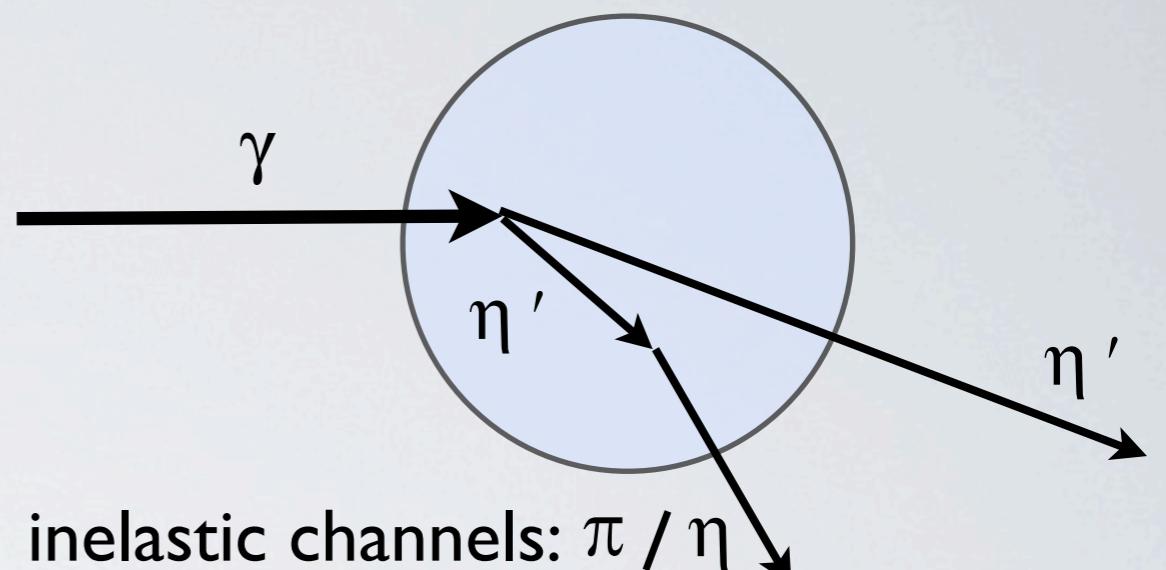
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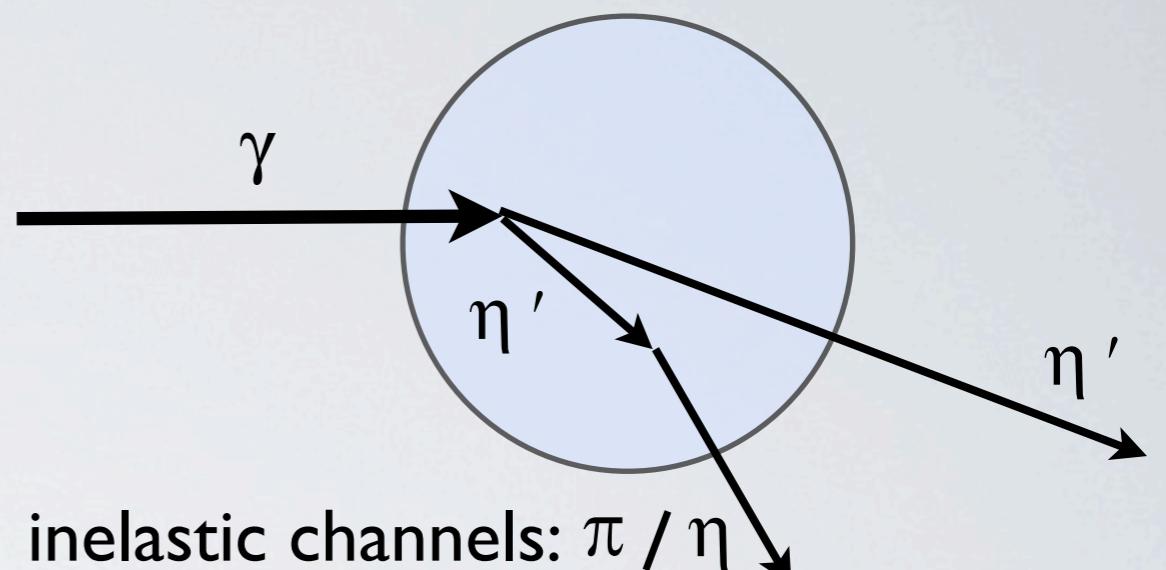
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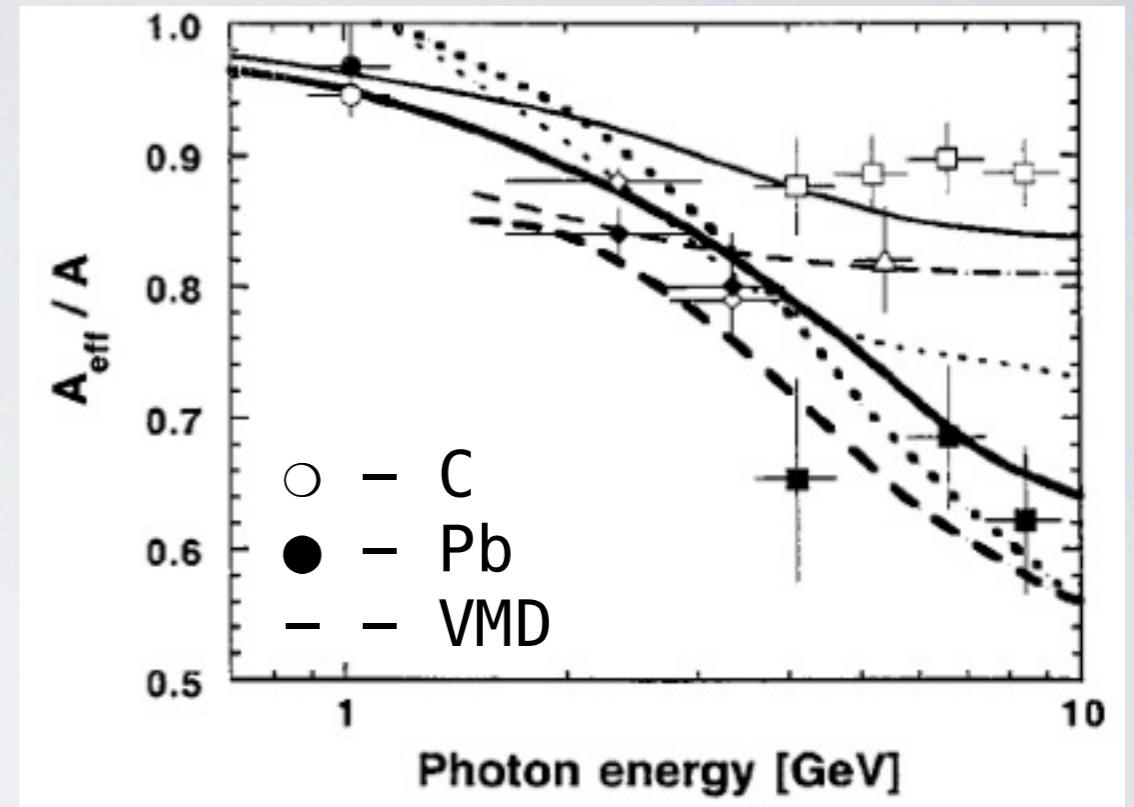
information on in-medium properties of mesons from measurement
of their decay outside of the nucleus

systematic uncertainties in transparency ratio measurements

I.) photon shadowing:

due to hadronic fluctuations photons
do not reach all nucleons
⇒ apparent reduction of transparency ratio

N. Bianchi et al., Phys. Rev. C 54 (1996) 1688



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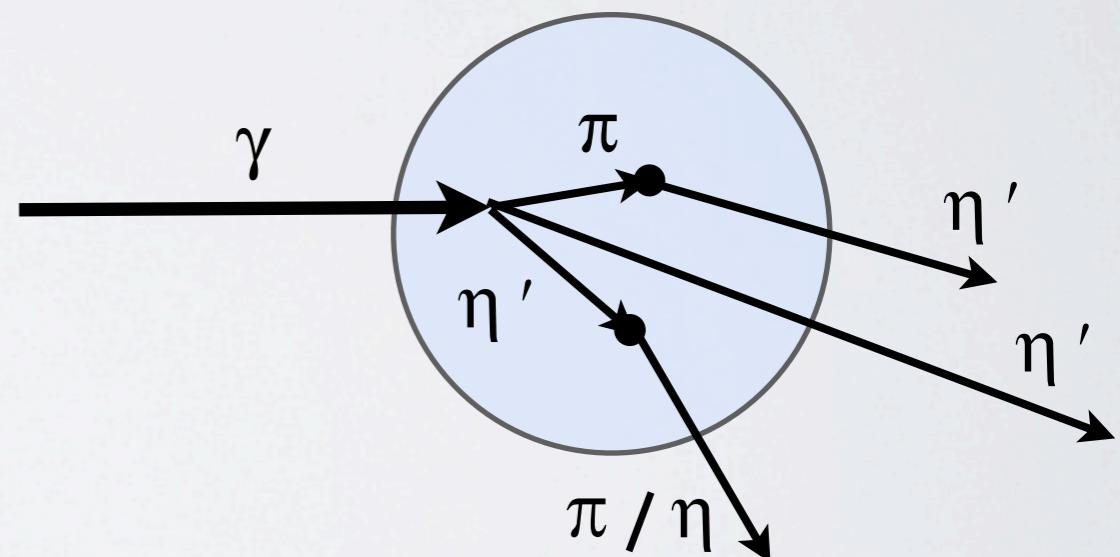
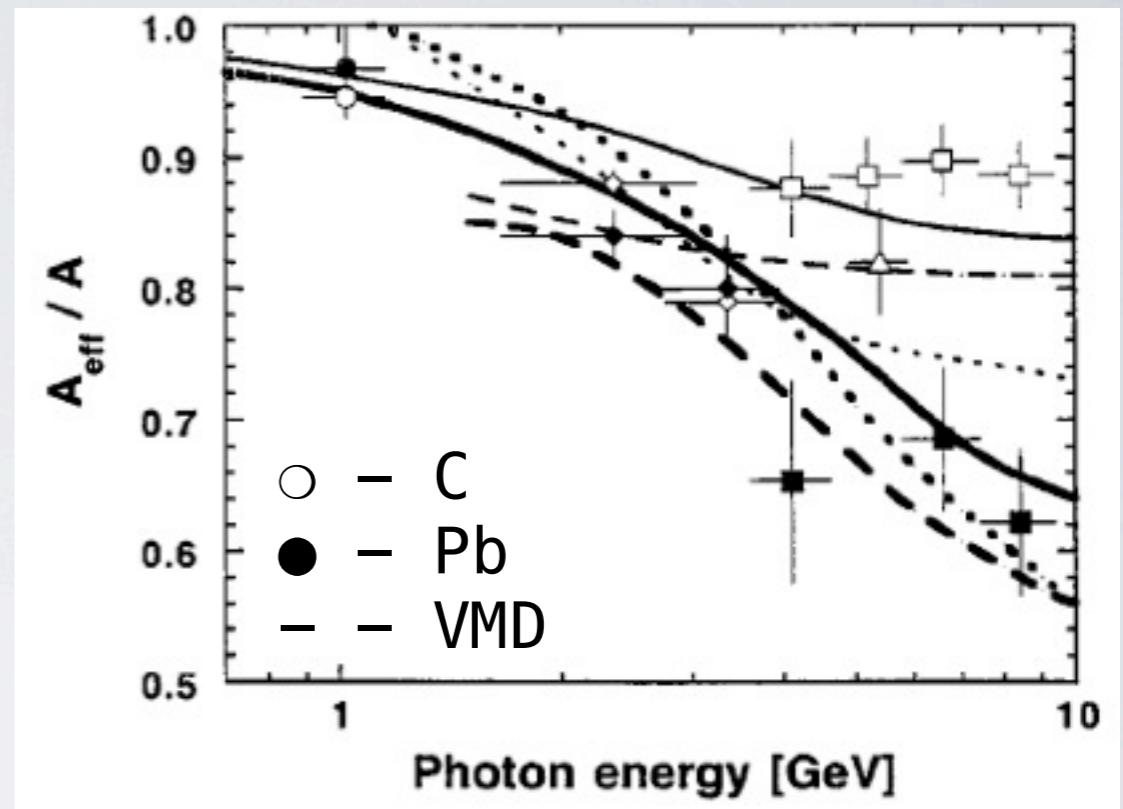
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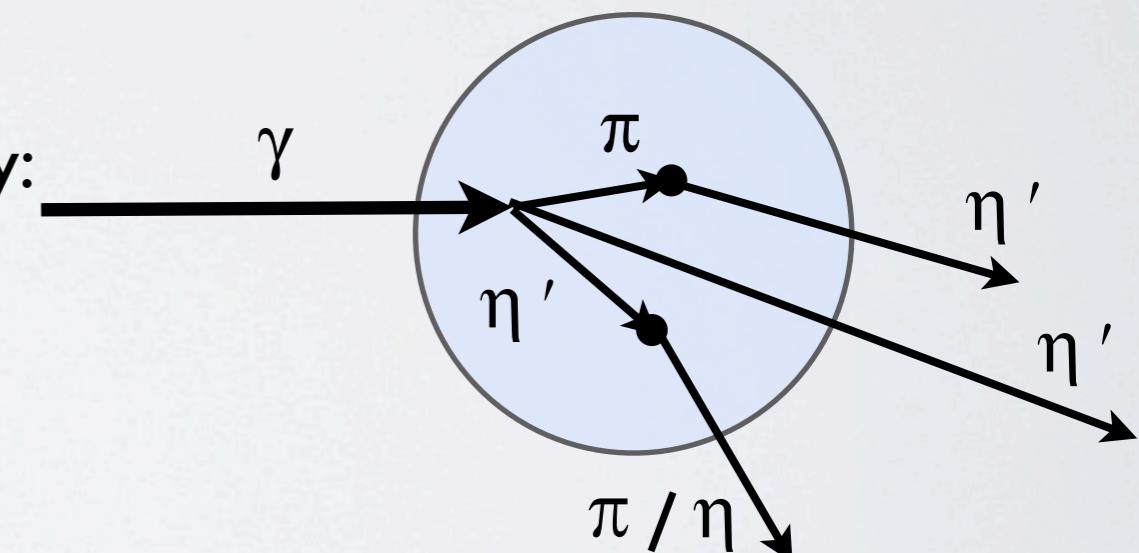
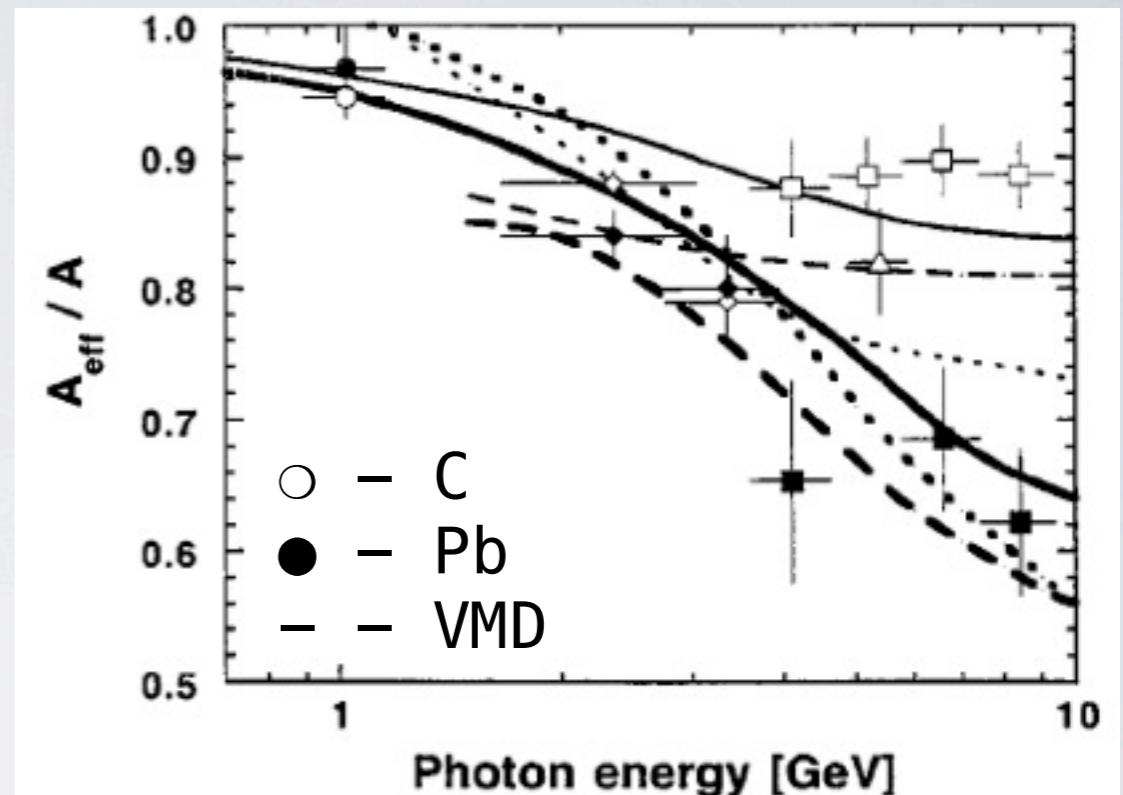
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less energy available for final state ω, η' meson;
can be suppressed by cut on ω, η' kinetic energy:

$$T_{kin}^{\omega, \eta'} \geq \frac{E_\gamma - m_{\omega, \eta'}}{2}$$

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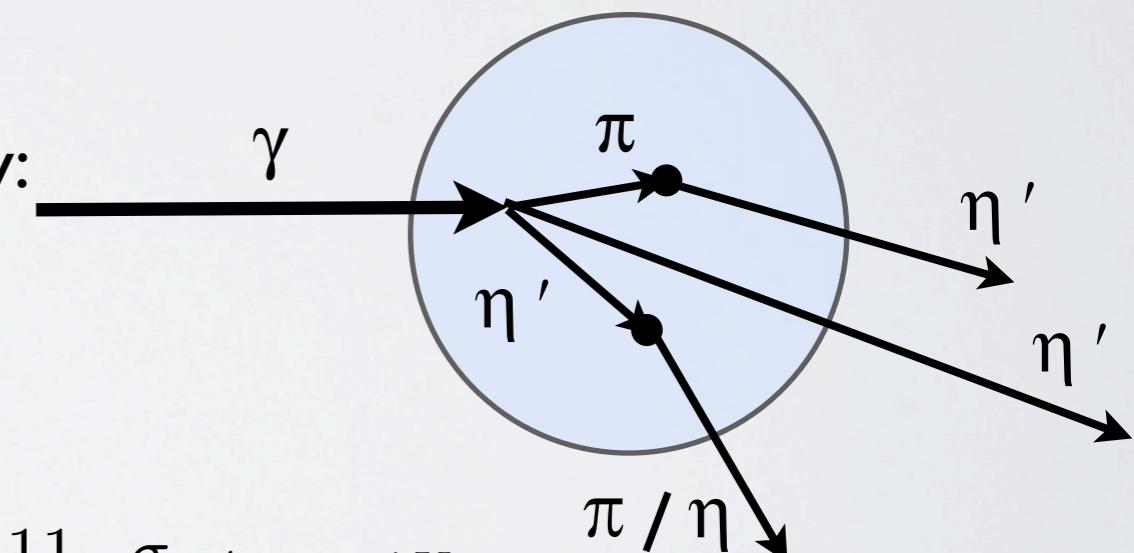
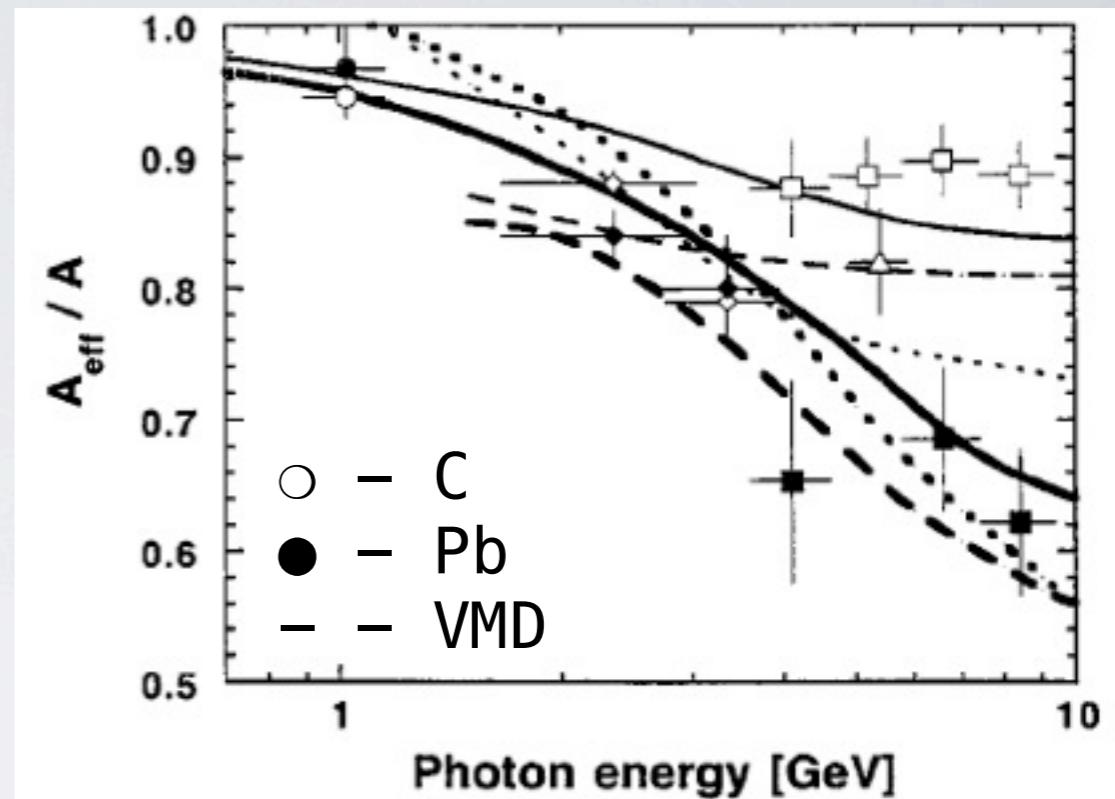
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both distortions can be reduced by taking light nucleus like C as reference:

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N. Bianchi et al., Phys. Rev. C 54 (1996) 1688



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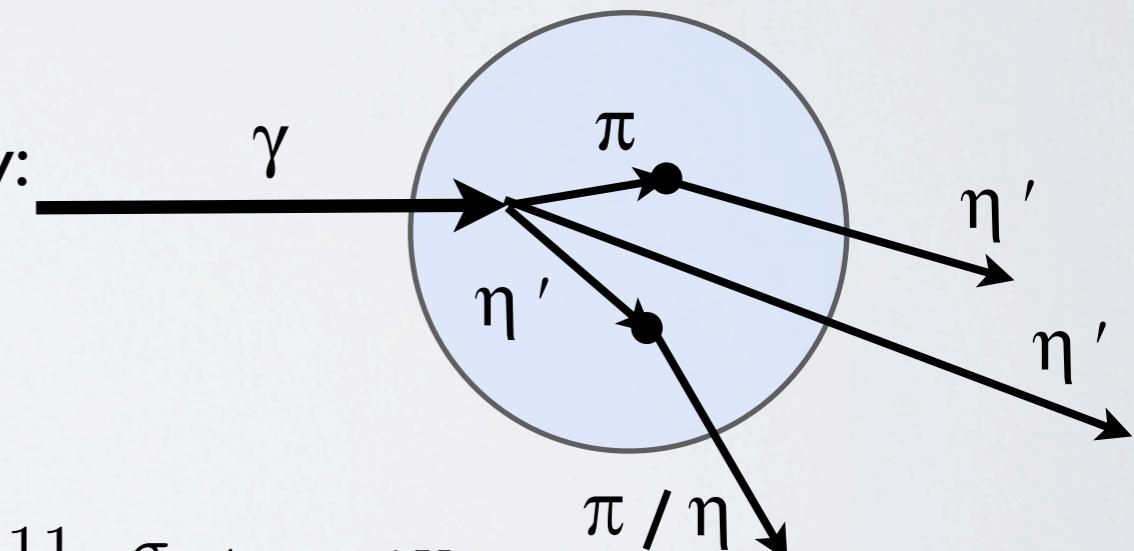
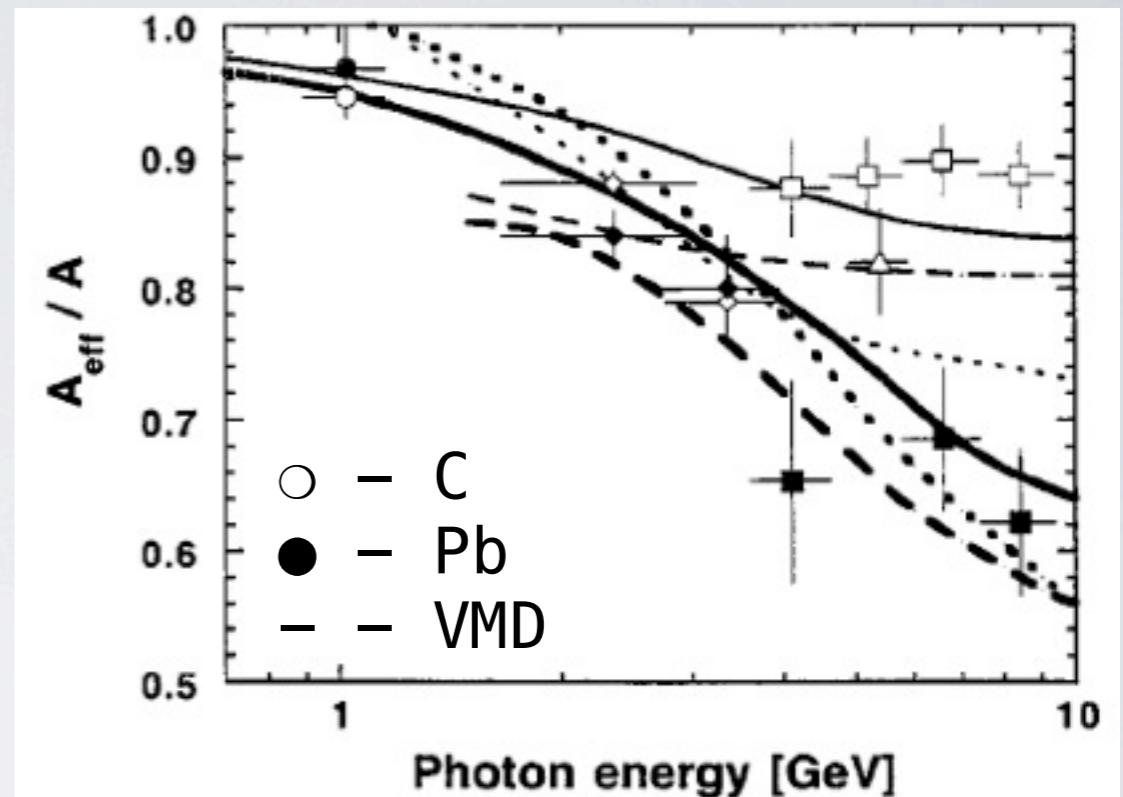
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3.) two-body absorption processes:

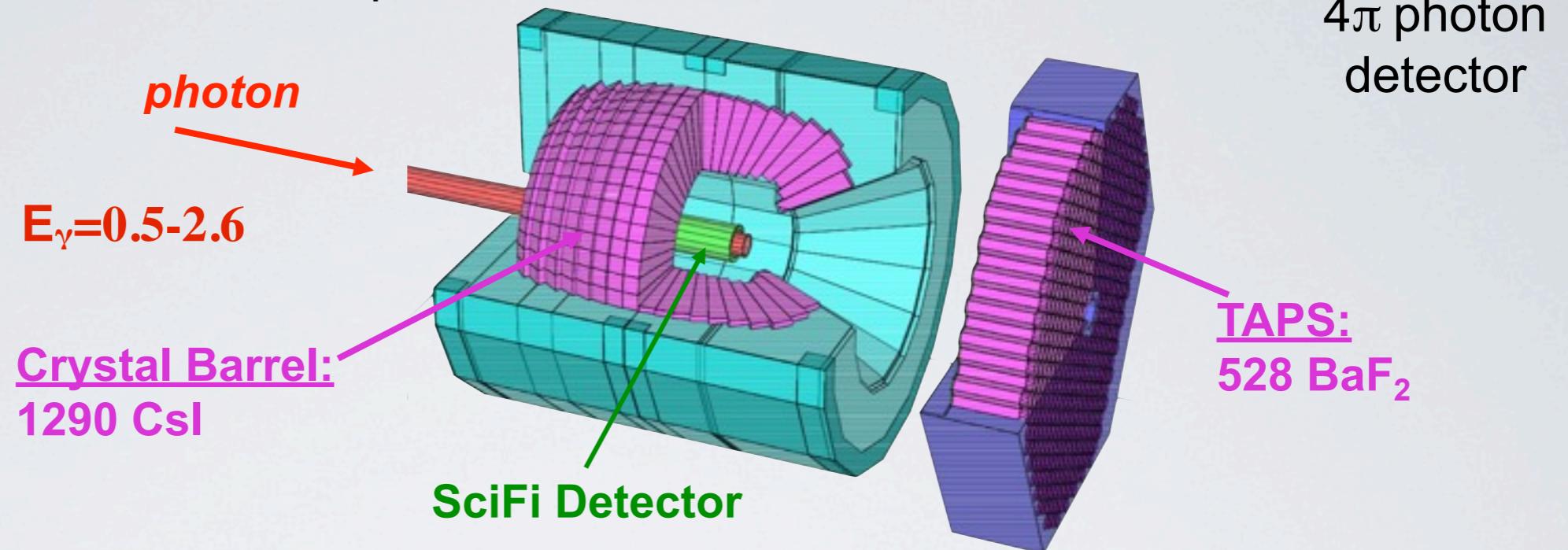
absorption processss involving 2 nucleons distort $\Gamma \rightarrow \sigma_{inel}$ conversion

N. Bianchi et al., Phys. Rev. C 54 (1996) 1688



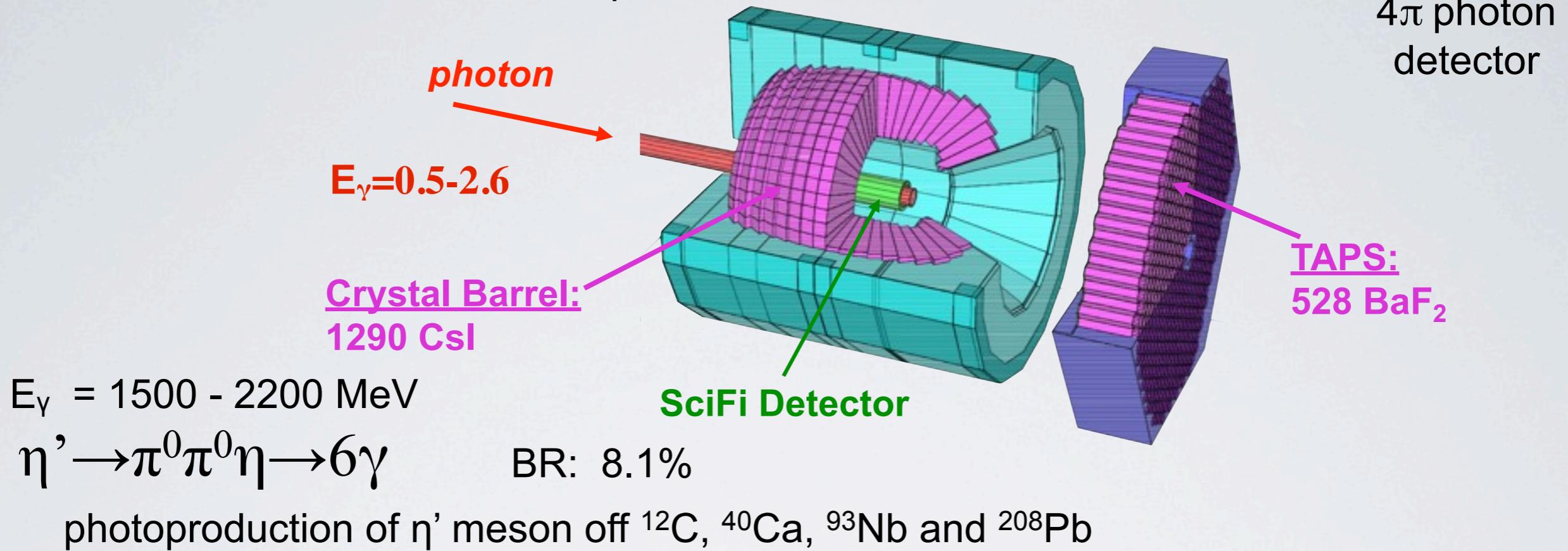
Crystal Barrel/TAPS@ELSA Experiment

<http://www.cb.uni-bonn.de>



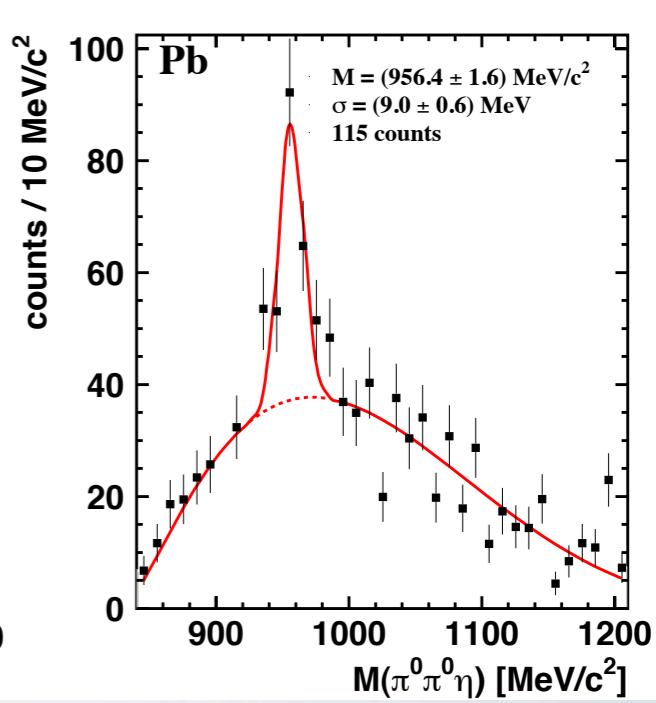
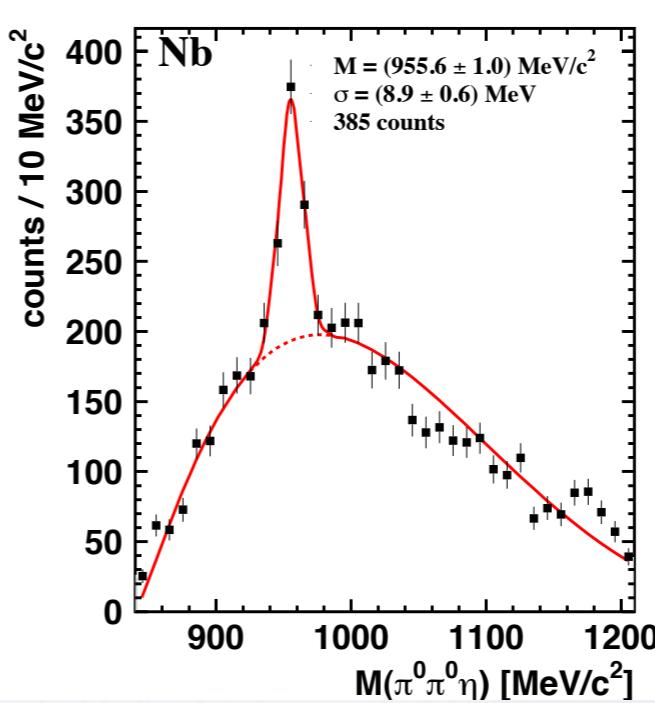
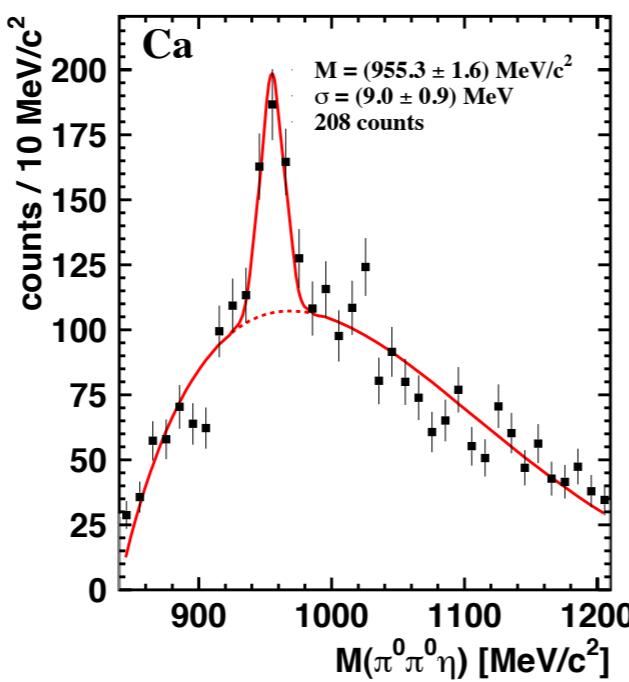
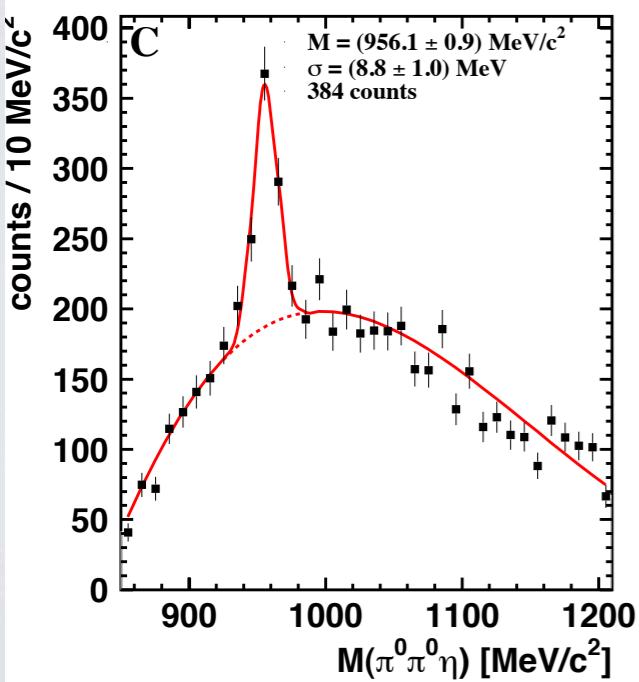
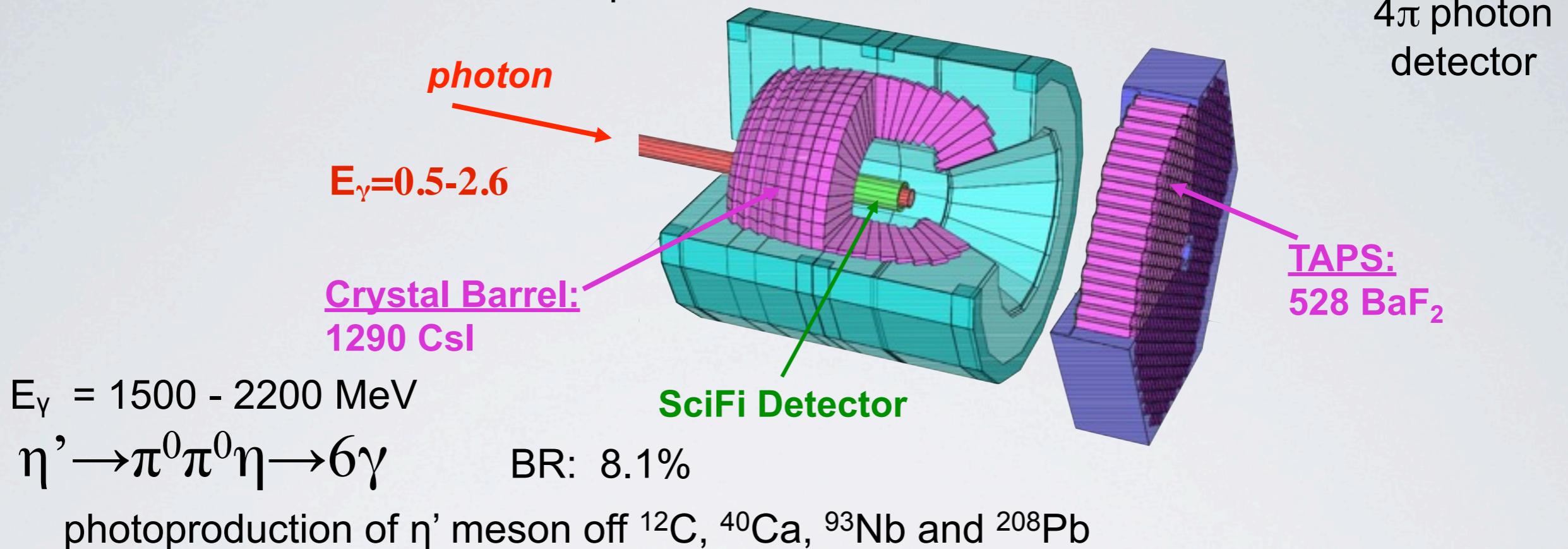
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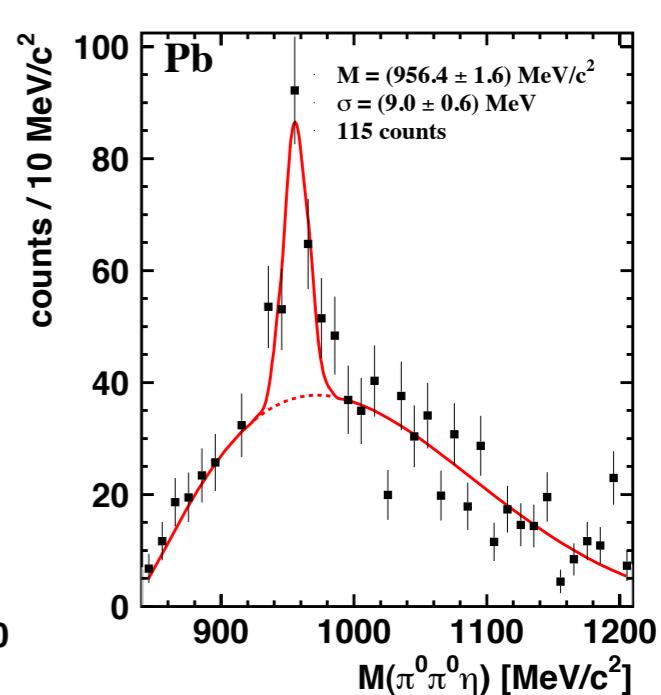
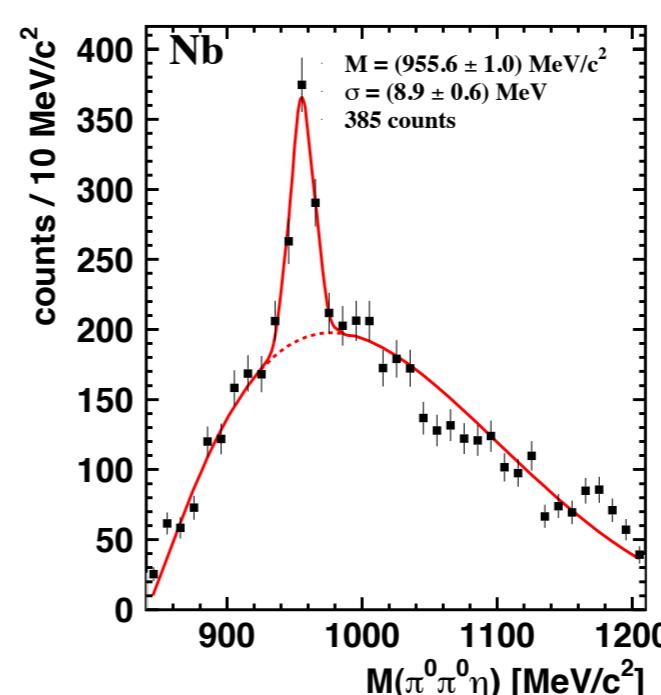
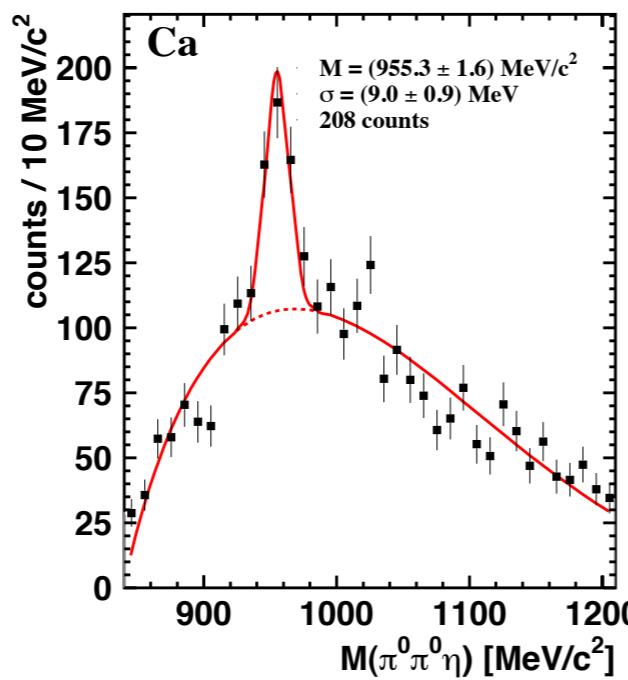
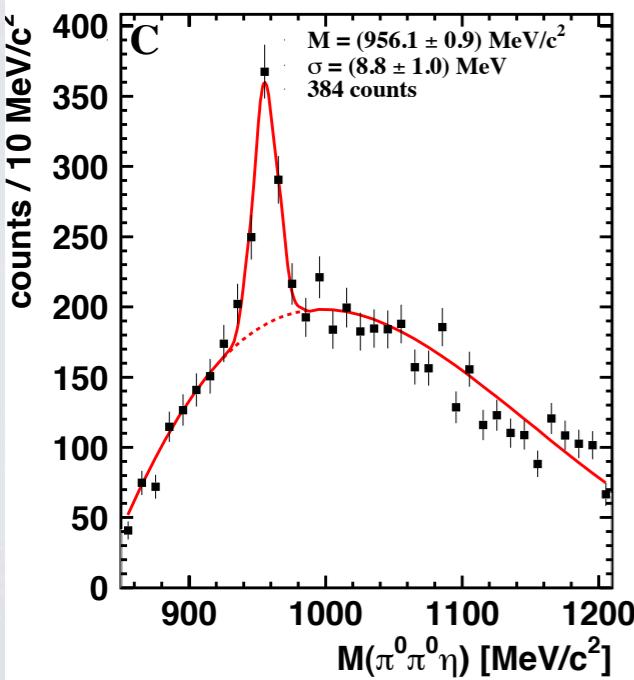
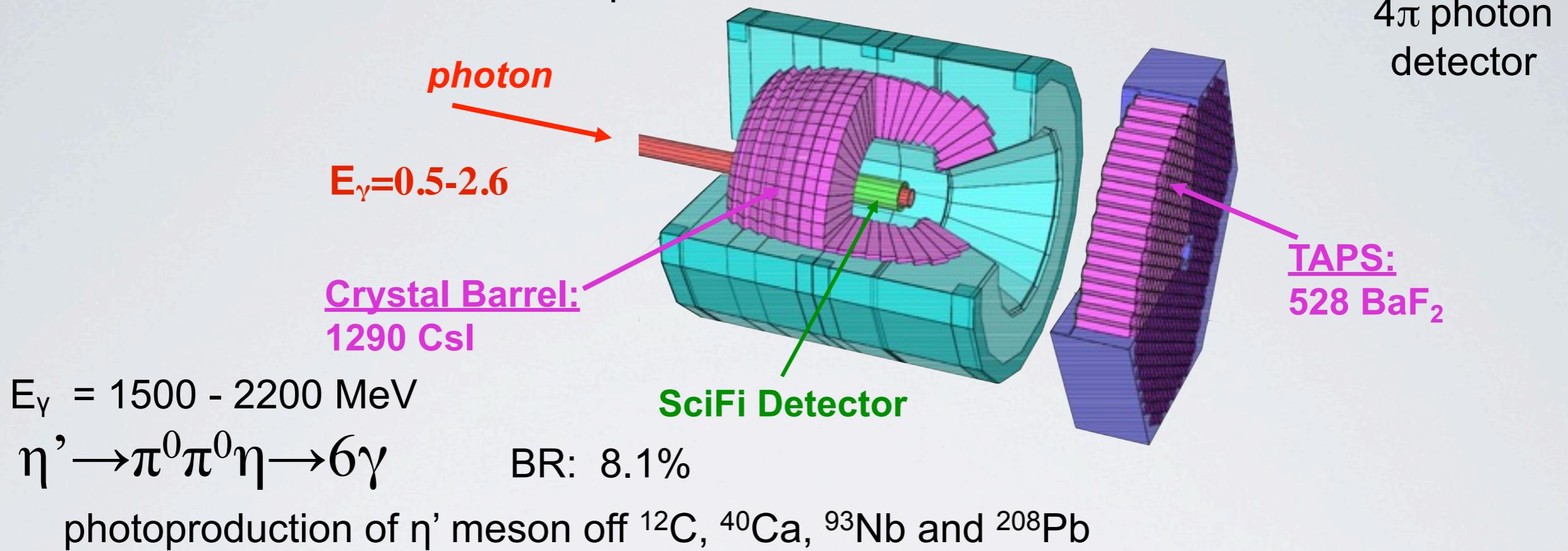
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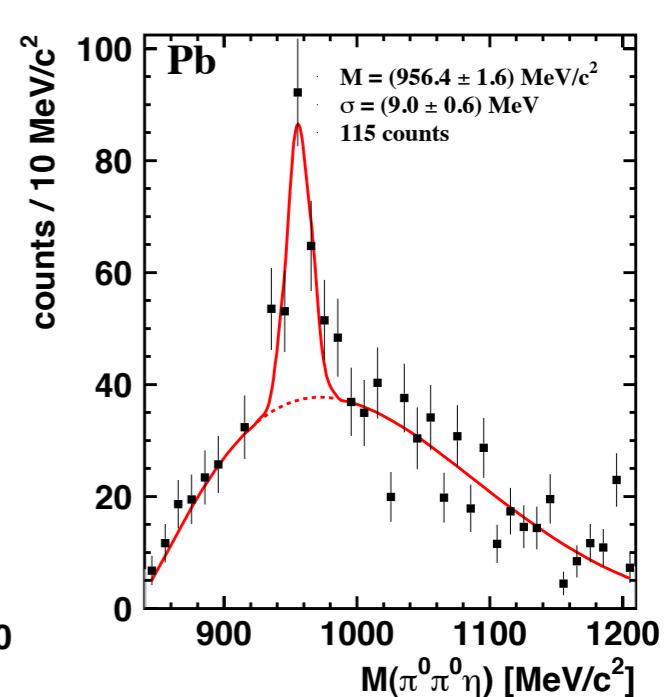
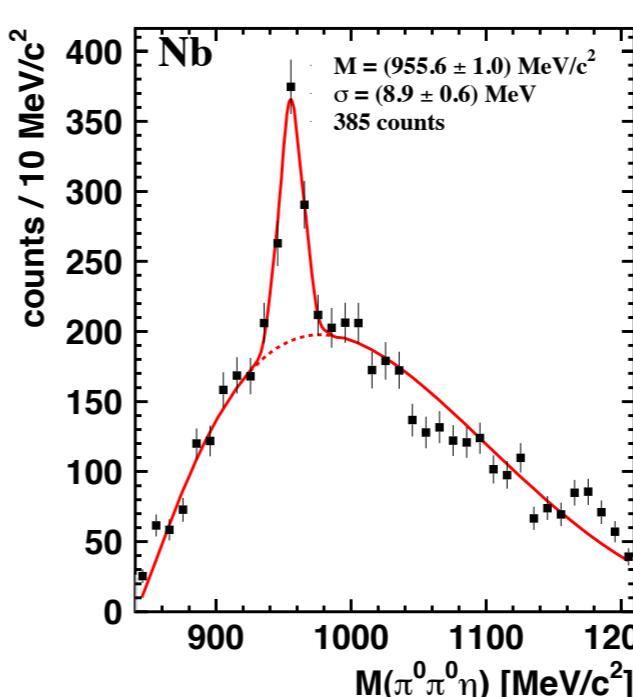
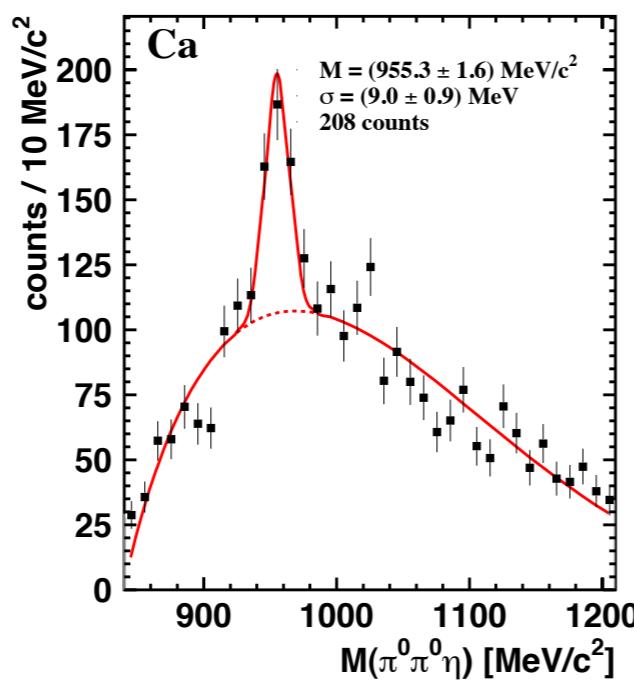
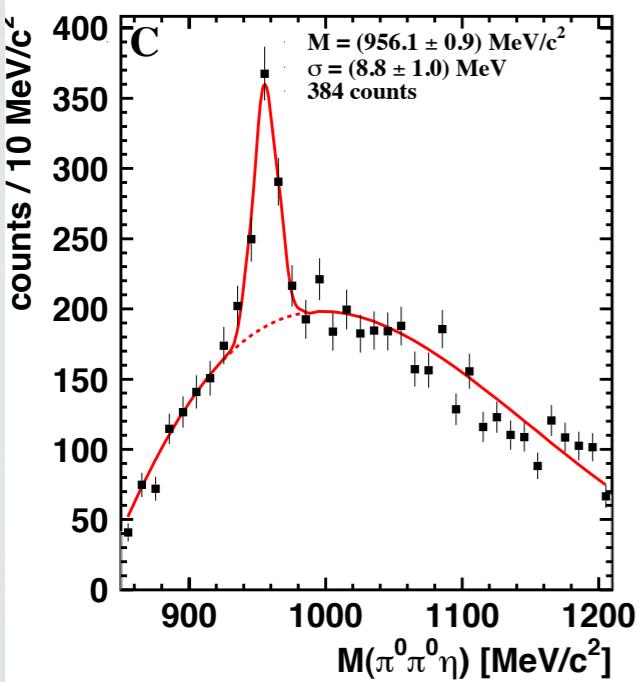
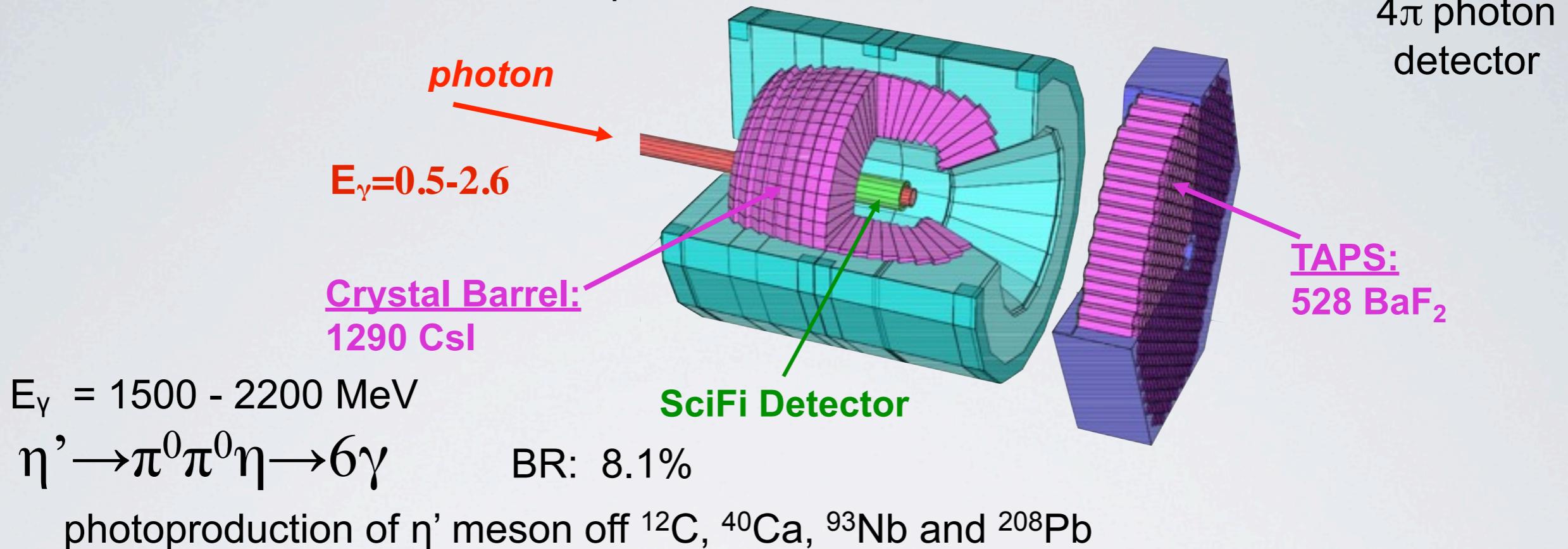
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competing channels with same final states
 $(\pi^0 \pi^0 \pi^0 \rightarrow 6\gamma)$ reconstructed and removed

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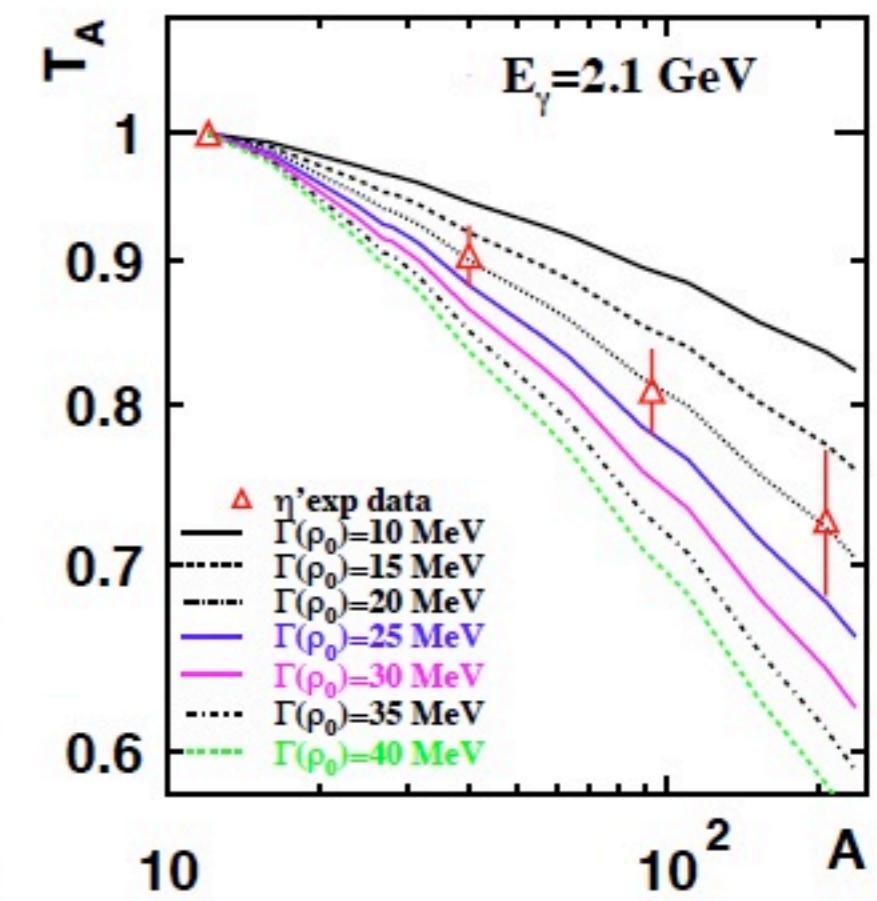
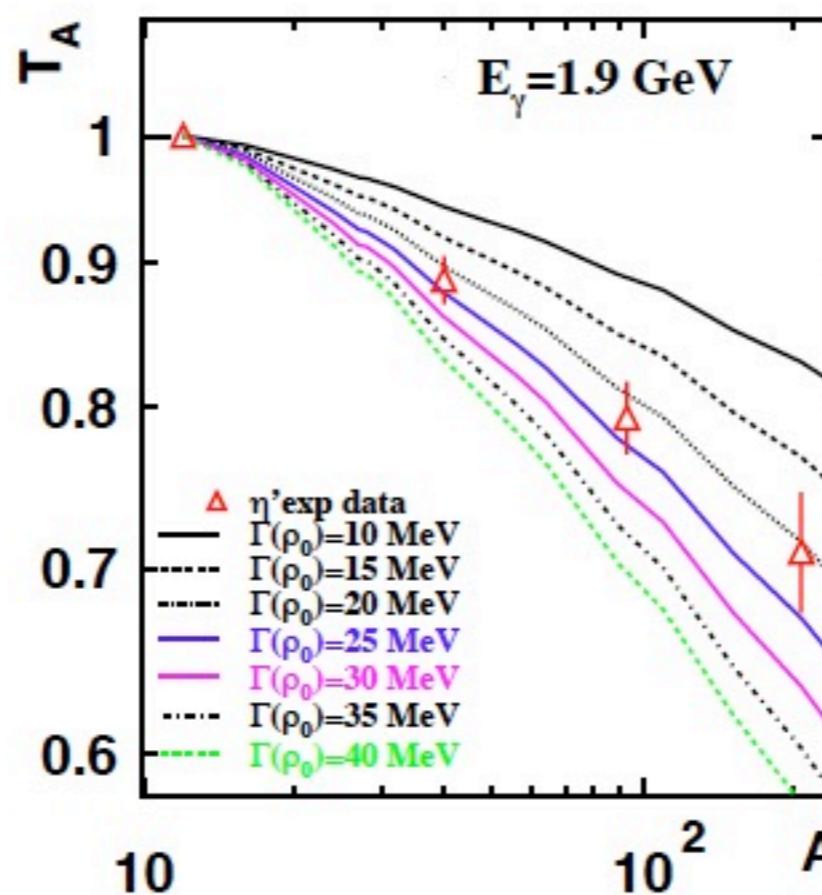
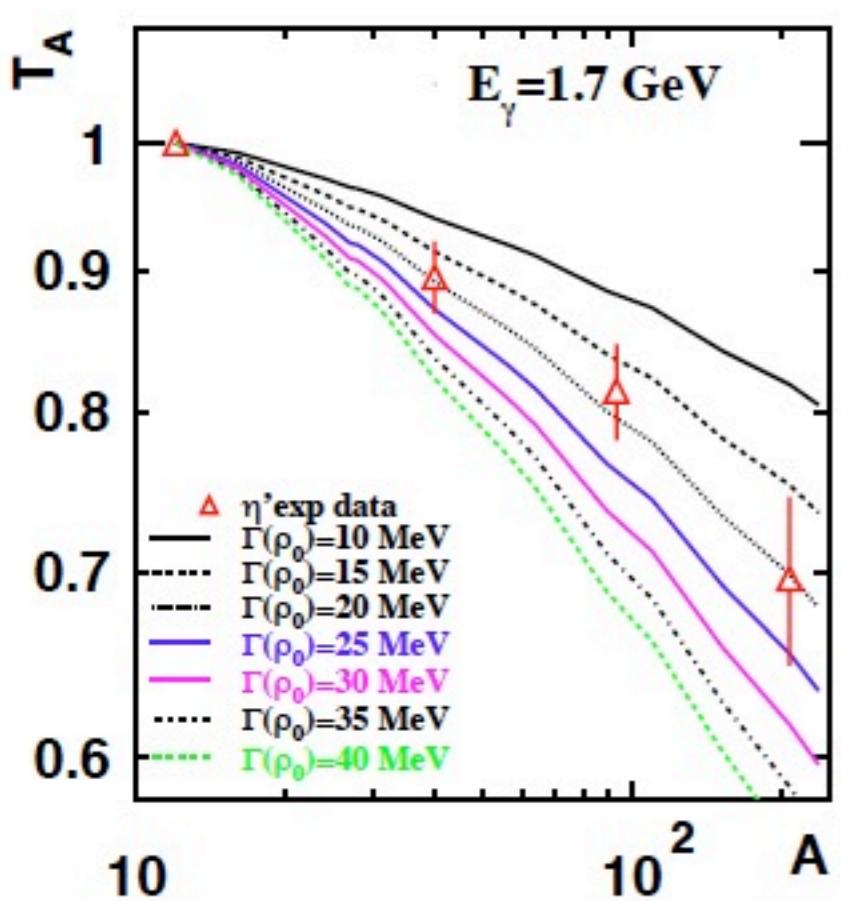


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efficiency correction of the data -
event by event in $(T_{\text{kin}}, \theta^{\text{lab}})$ plane

in-medium width of η' meson

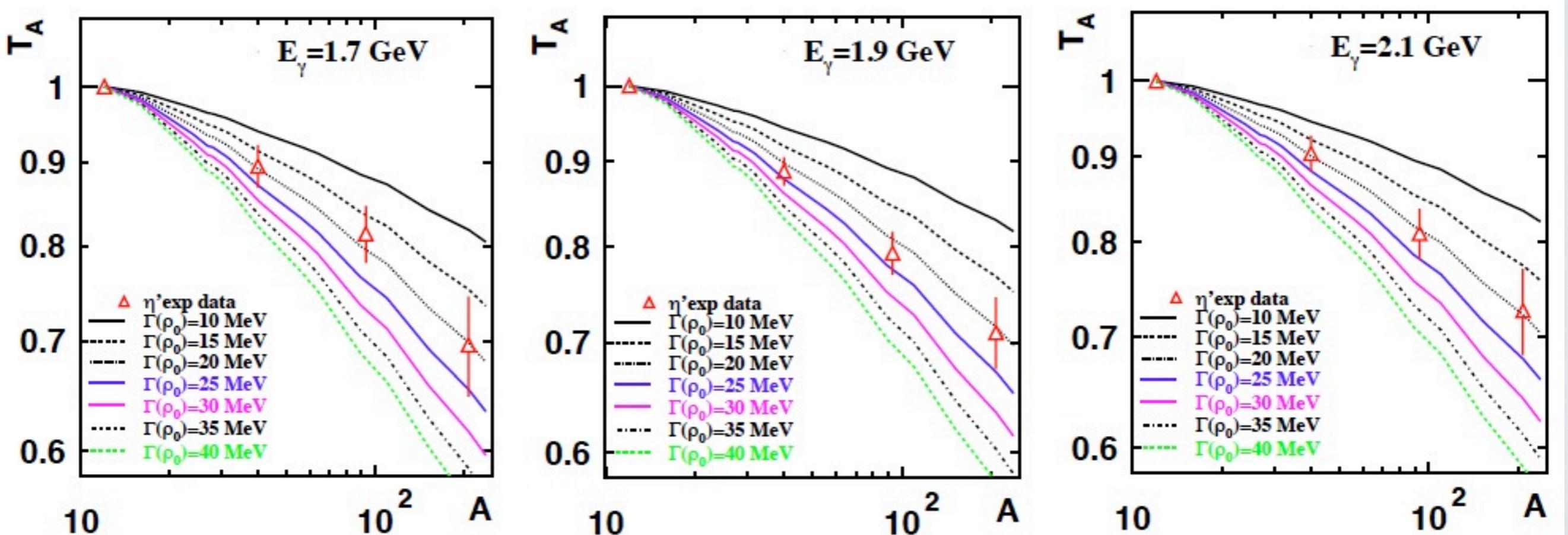
M. Nanova et al., PLB 710 (2012) 600



in-medium width of η' meson

$$\sigma_{\gamma A \rightarrow \eta' A'} = C \int d^3 r \rho(\vec{r}) \int_0^{2\pi} d(\phi_{\text{c.m.}}^{\eta'}) \int_{-1}^1 d(\cos \theta_{\text{c.m.}}^{\eta'}) \frac{d\sigma}{d\Omega} (\gamma p \rightarrow \eta' p) P_s(\vec{k}_{\eta'}, \vec{r})$$

M. Nanova et al., PLB 710 (2012) 600

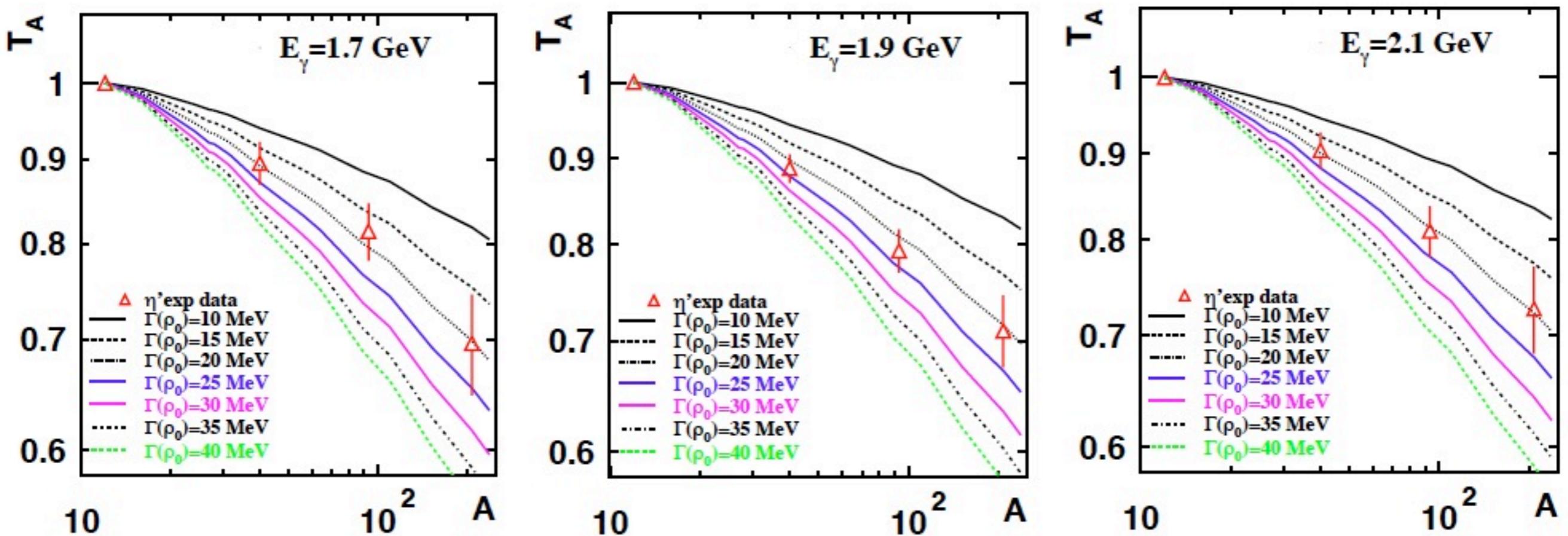


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$\frac{d\sigma}{d\Omega}(\gamma p \rightarrow \eta' p) \Rightarrow$ V. Crede et. al, PRC 80 (2009) 055202

M. Nanova et al., PLB 710 (2012) 600



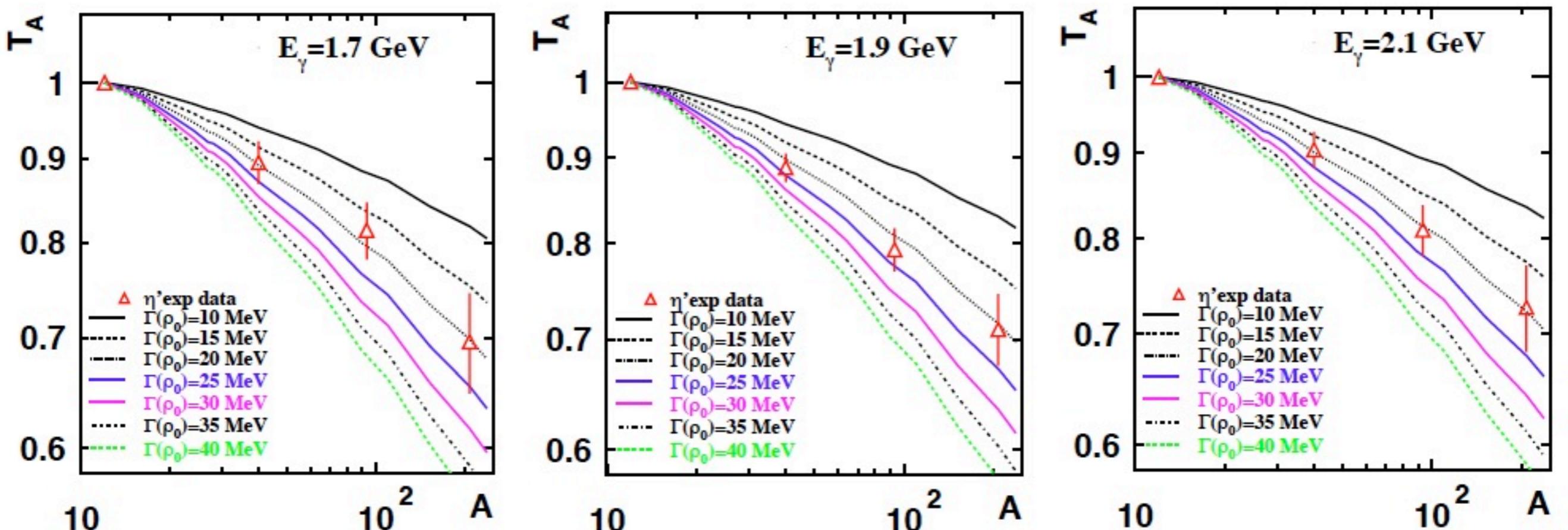
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where $P_s(\vec{r})$ is the survival probability $P_s(\vec{k}_{\eta'}, \vec{r}) = \exp \left[\int_0^\infty dl \frac{\text{Im } \Pi_{\eta'}(\rho(\vec{r}'))}{|\vec{k}_{\eta'}|} \right]$ with $\vec{r}' = \vec{r} + l \frac{\vec{k}_{\eta'}}{|\vec{k}_{\eta'}|}$

$$\frac{d\sigma}{d\Omega}(\gamma p \rightarrow \eta' p) \Rightarrow \text{V. Crede et. al, PRC 80 (2009) 055202}$$

M. Nanova et al., PLB 710 (2012) 600



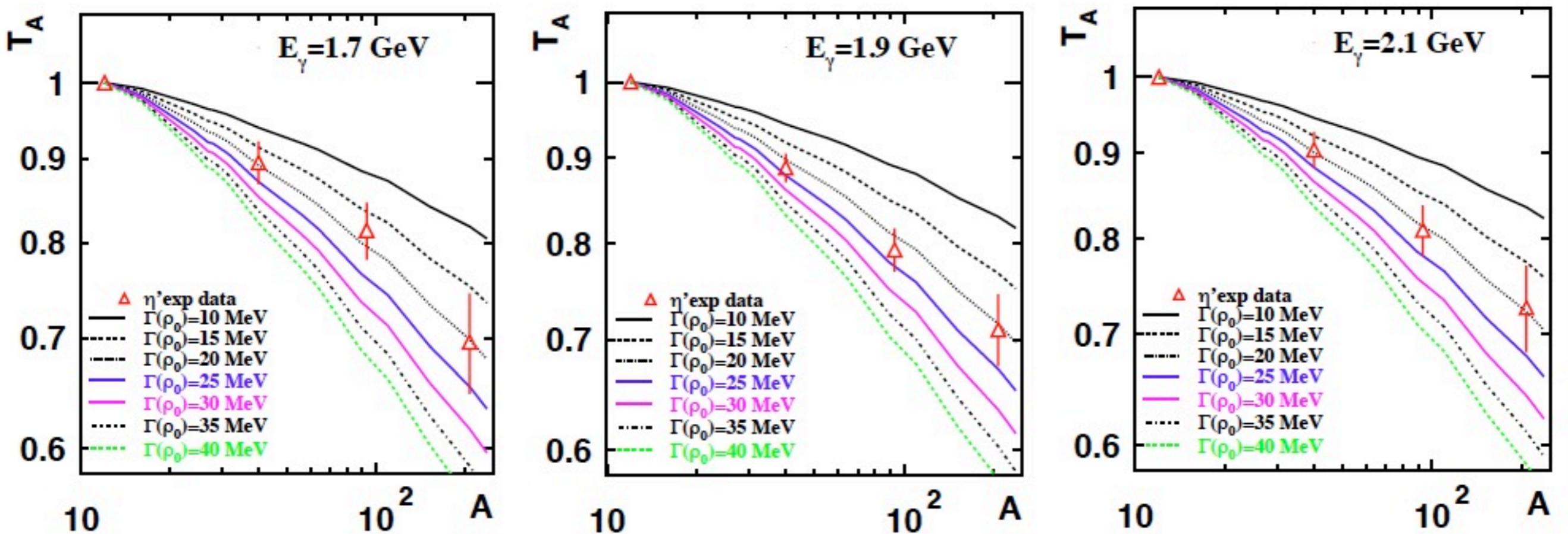
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Glauber analysis for extraction of inelastic cross section

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approximation of nuclear density distribution:

nucleus = a sphere with radius $R = r_0 \cdot A^{\frac{1}{3}}$ homogeneously filled with A nucleons

$$r_0 = 1.143 \text{ fm}; \quad \rho_0 = 0.17 \text{ fm}^{-3}$$

P. Mühlich and U. Mosel, NPA 773 (2006) 156

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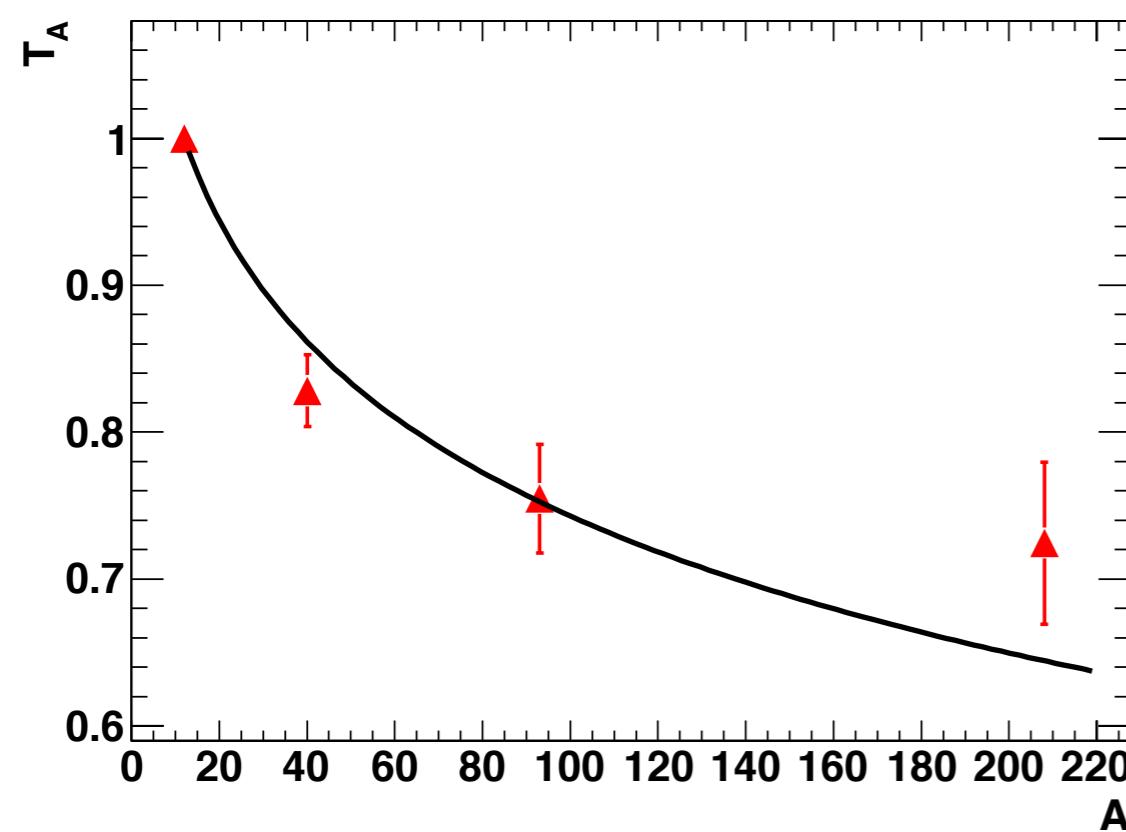
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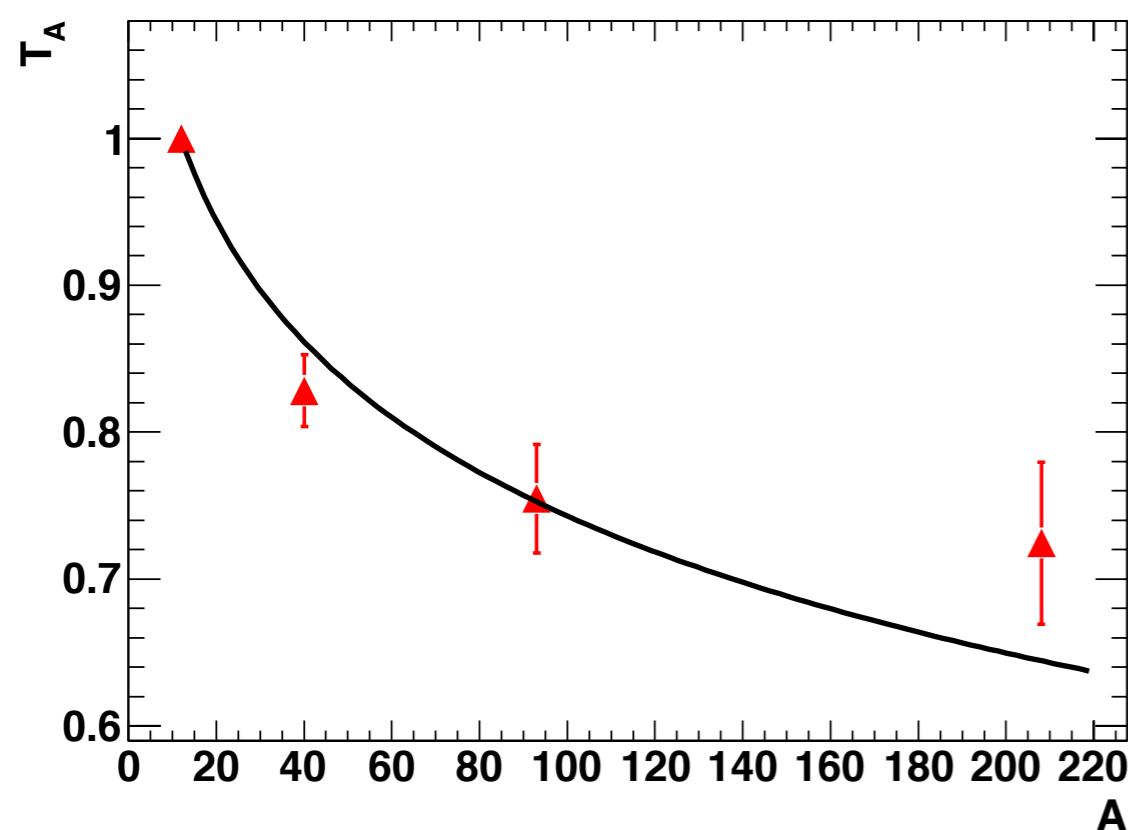
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$\sigma_{\eta'N}$ - the meson nucleon inelastic cross section



$$\lambda = \frac{1}{\rho_0 \cdot \sigma_{\eta'N}} \quad \text{meson mean free path}$$

$$\sigma_{\eta'N} = (11.0 \pm 1.5) \text{ mb}$$

$$\Gamma_{\eta'} \approx 25 \text{ MeV}$$

$$\Gamma = \hbar c \cdot \rho_0 \cdot \sigma_{inel} \cdot \beta$$

$$\Gamma(\rho) = \Gamma(\rho_0) \cdot \frac{\rho}{\rho_0}$$

impact of two-step processes ??

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two step production processes (e.g. $\gamma N_1 \rightarrow \pi N_1; \pi N_2 \rightarrow \eta, \omega, \eta' N_2$)
suppressed by cut on meson kinetic energy:

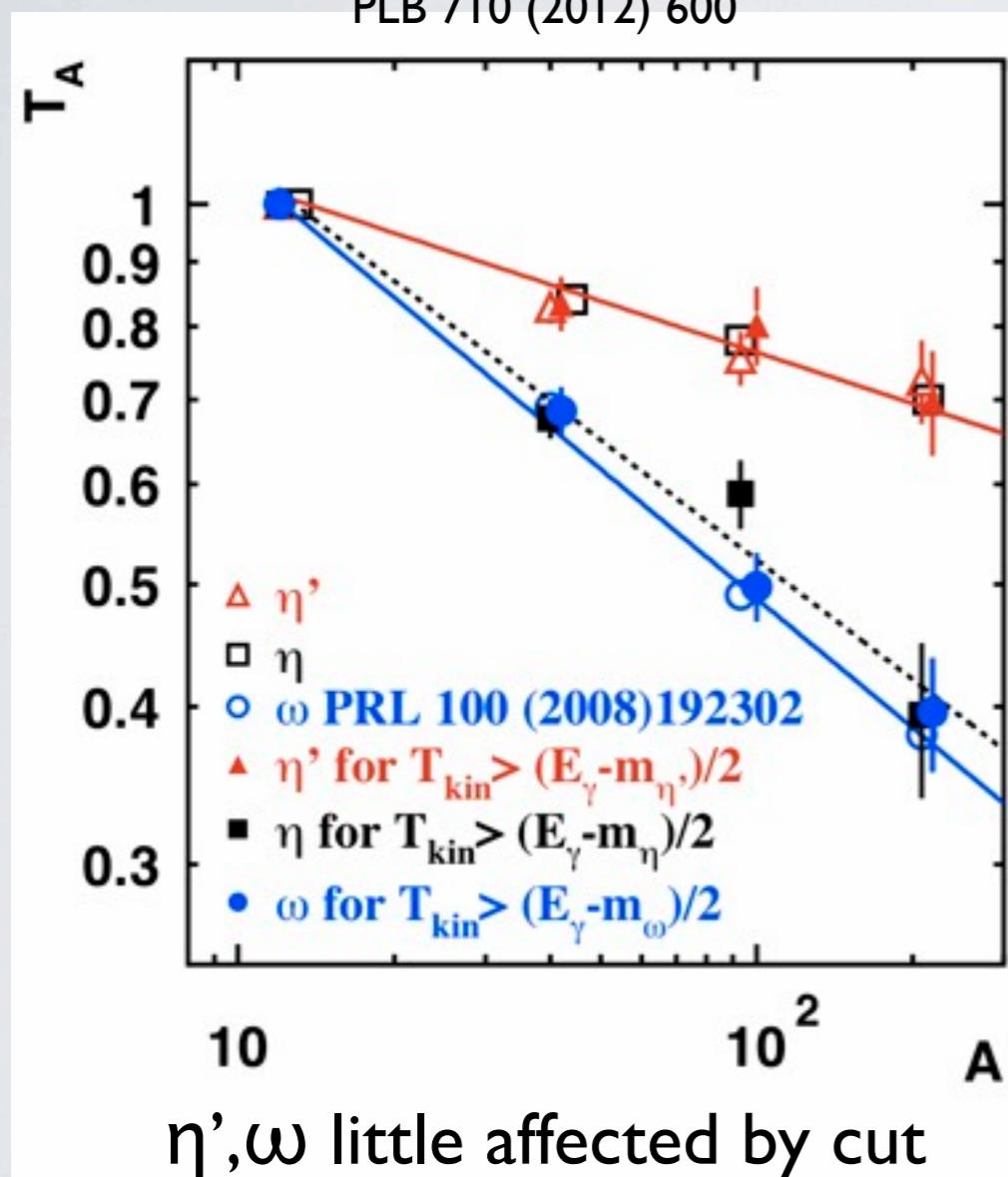
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M. Nanova et al.,
PLB 710 (2012) 600



η', ω little affected by cut
⇒ little secondary production;
 η strongly affected by cut
⇒ sizeable secondary production

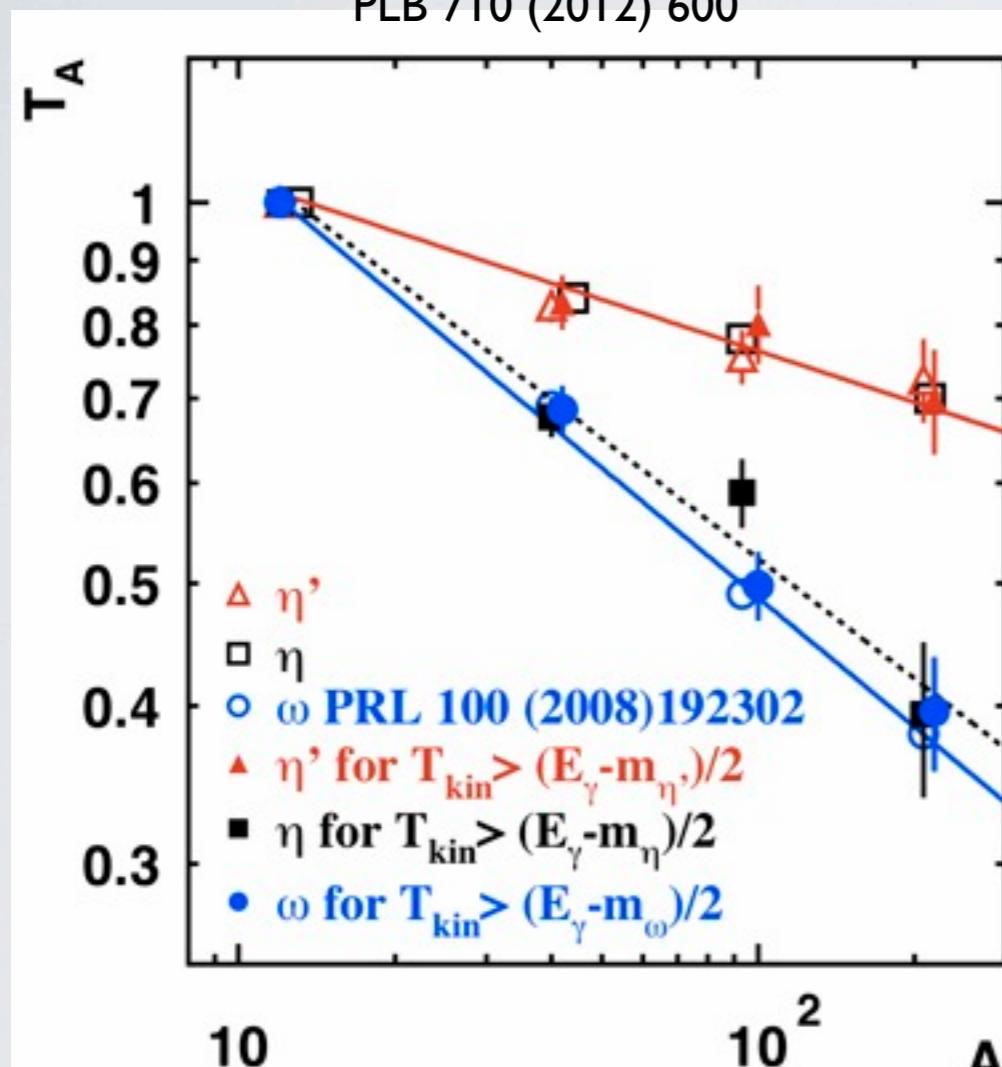
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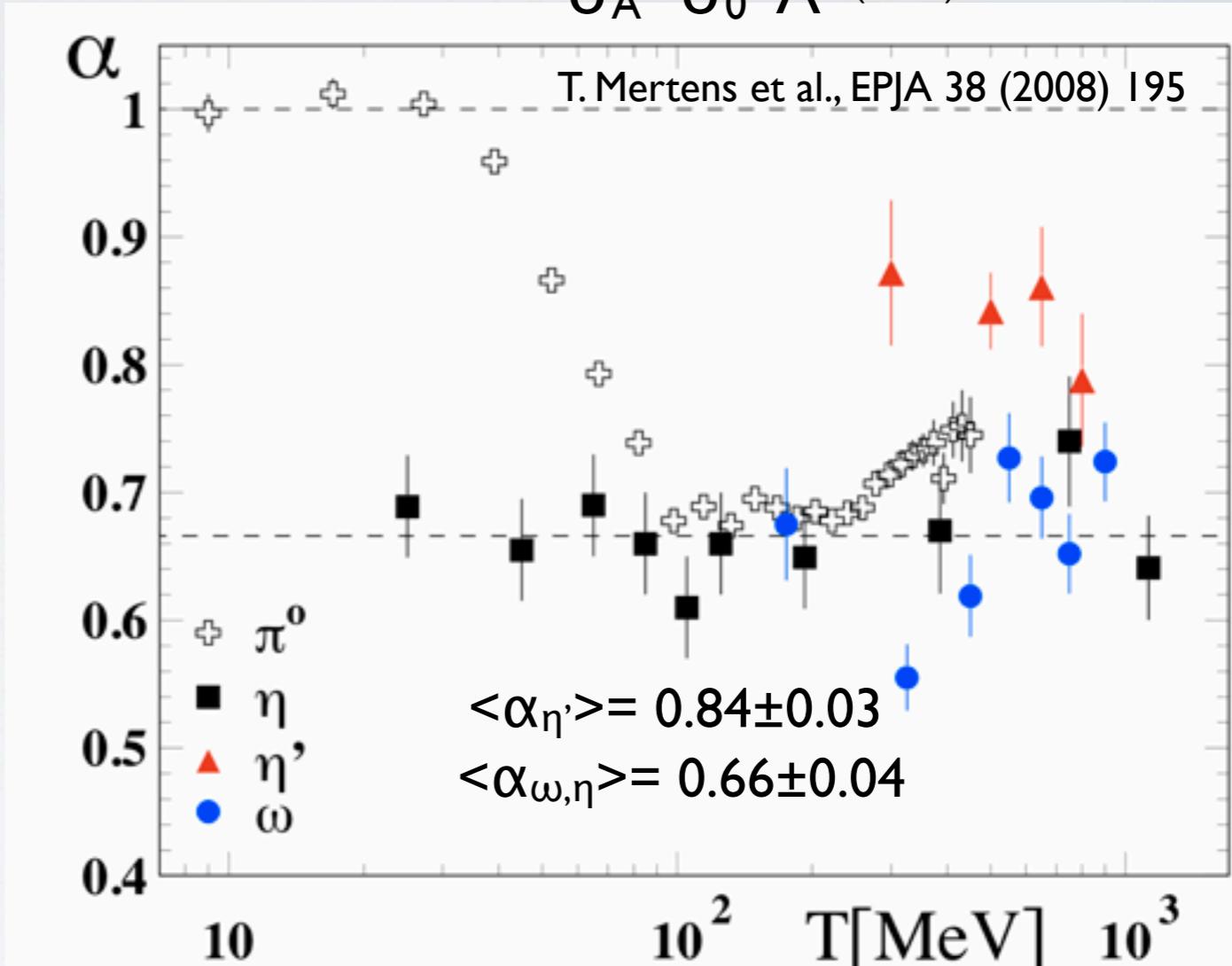
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η' interaction with nuclear matter
much weaker than for π, η, ω mesons

momentum distribution

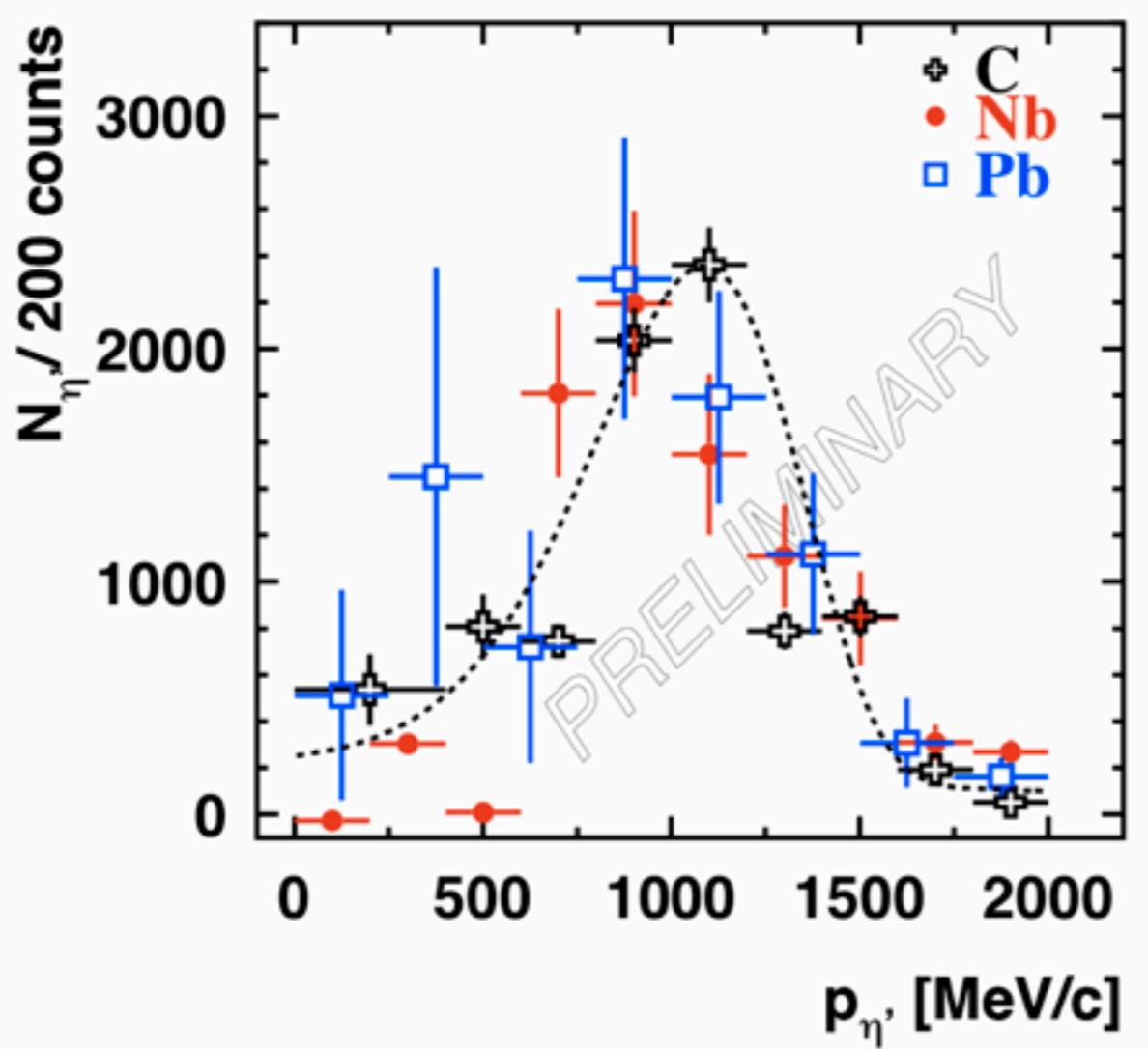
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M. Nanova et al.,
PLB 710 (2012) 600

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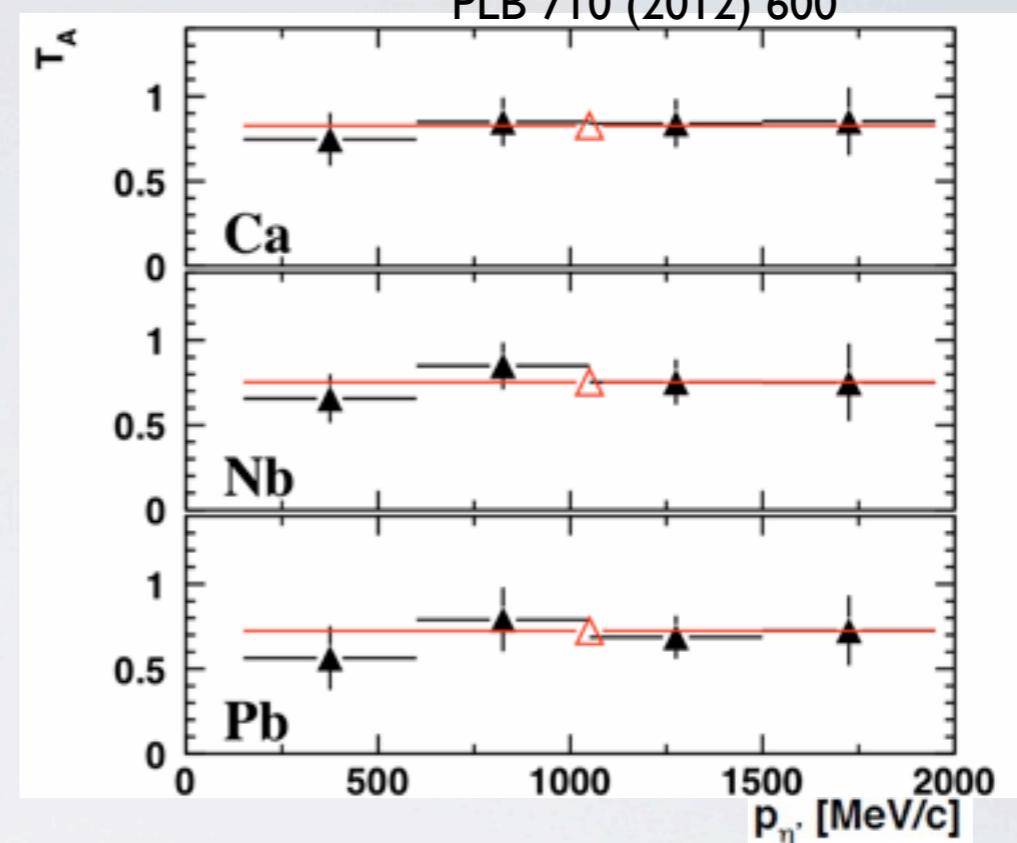
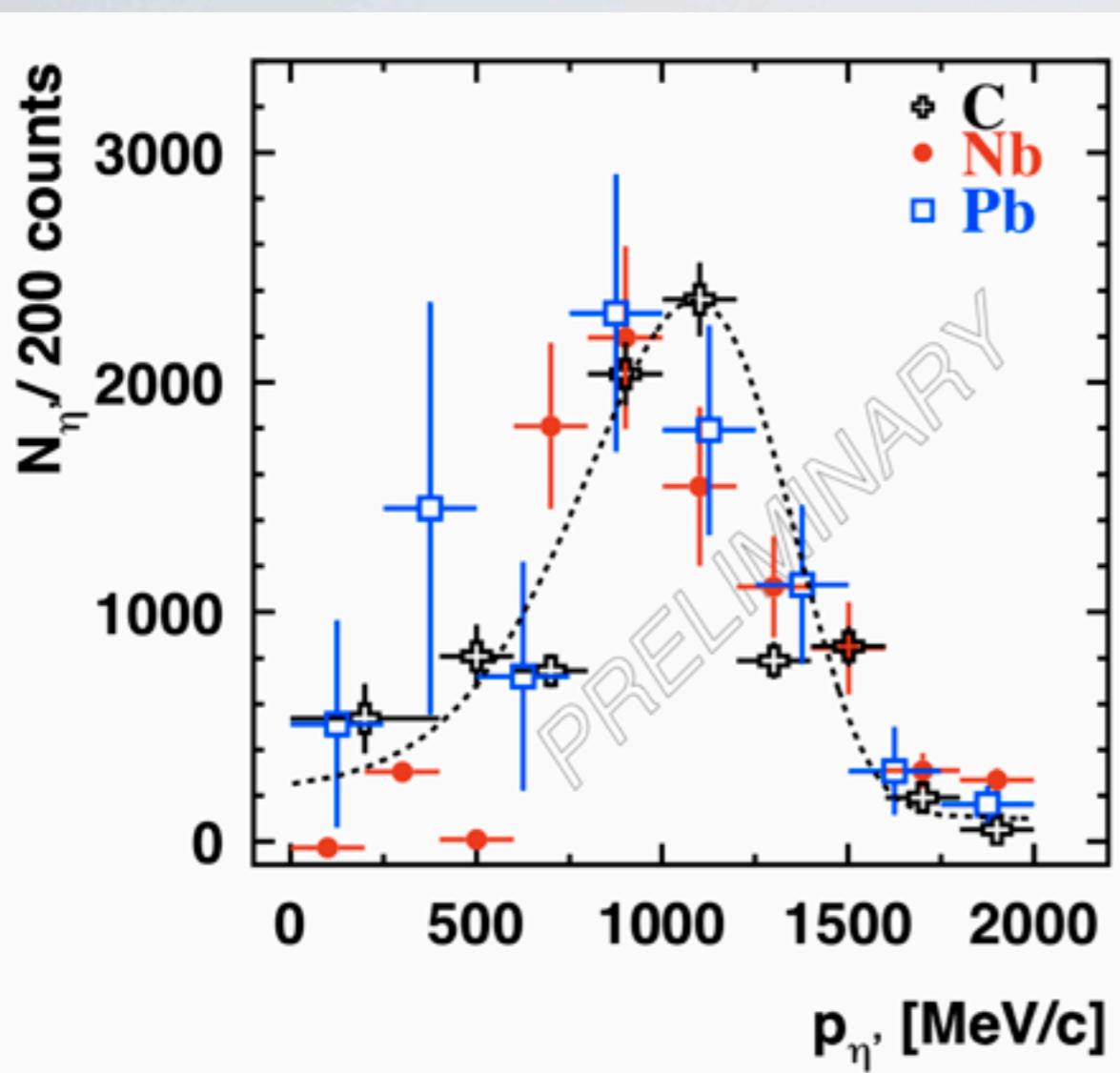
M. Nanova et al.,
PLB 710 (2012) 600



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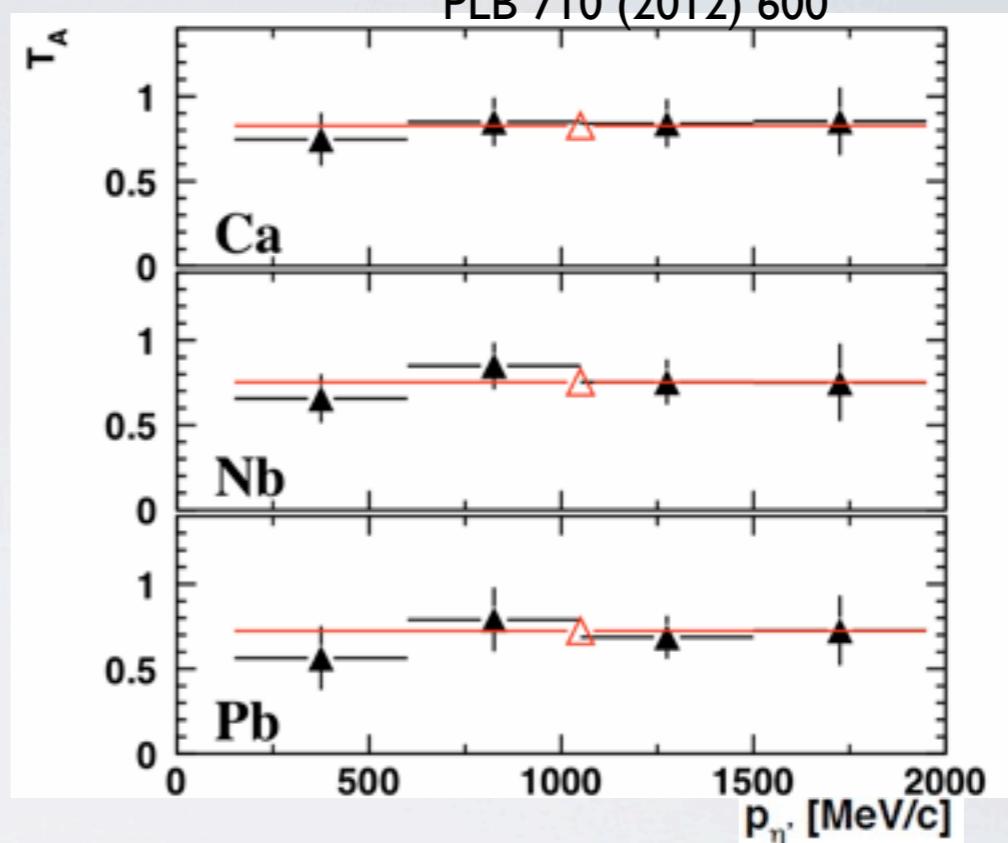
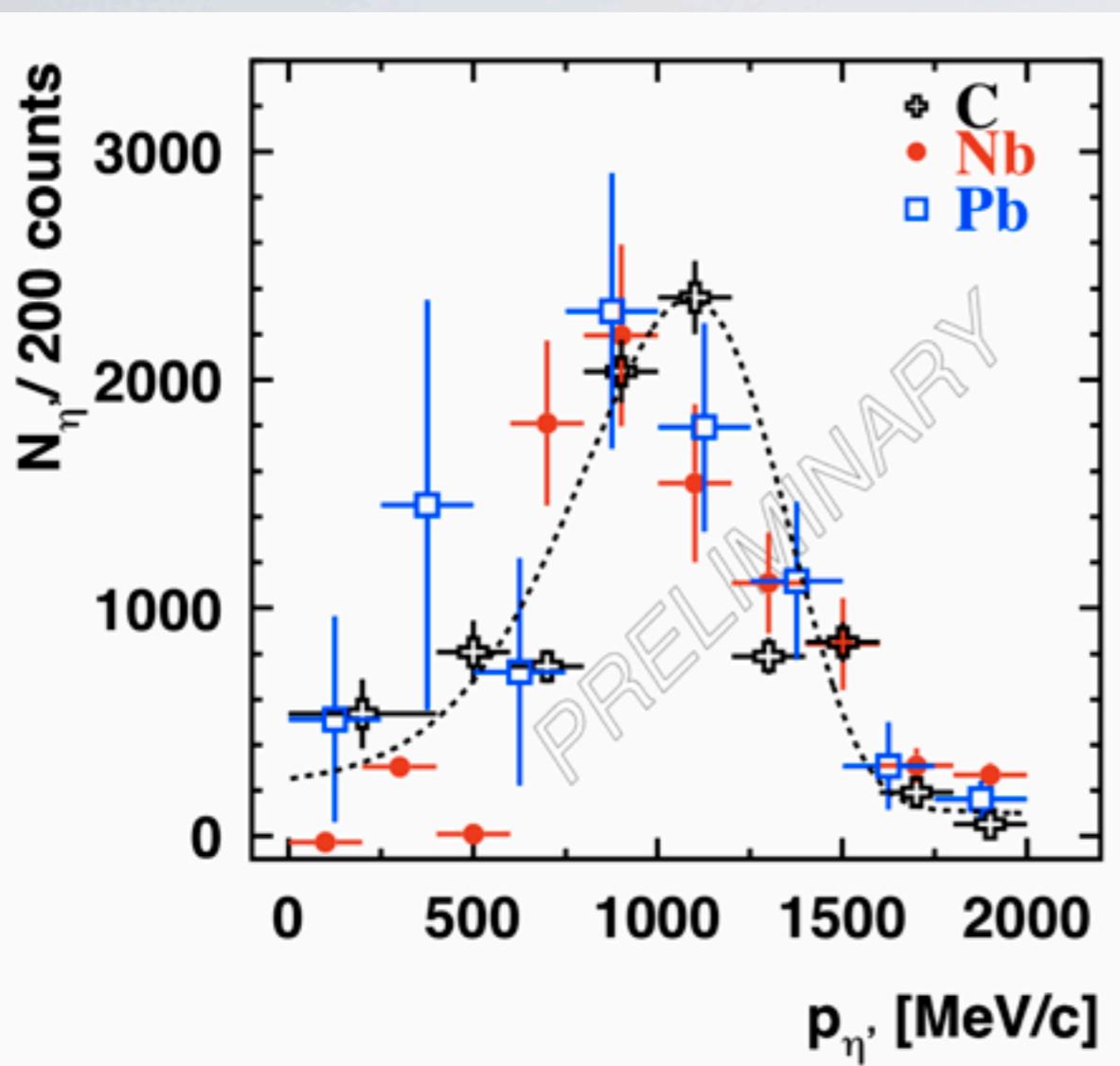
M. Nanova et al.,
PLB 710 (2012) 600



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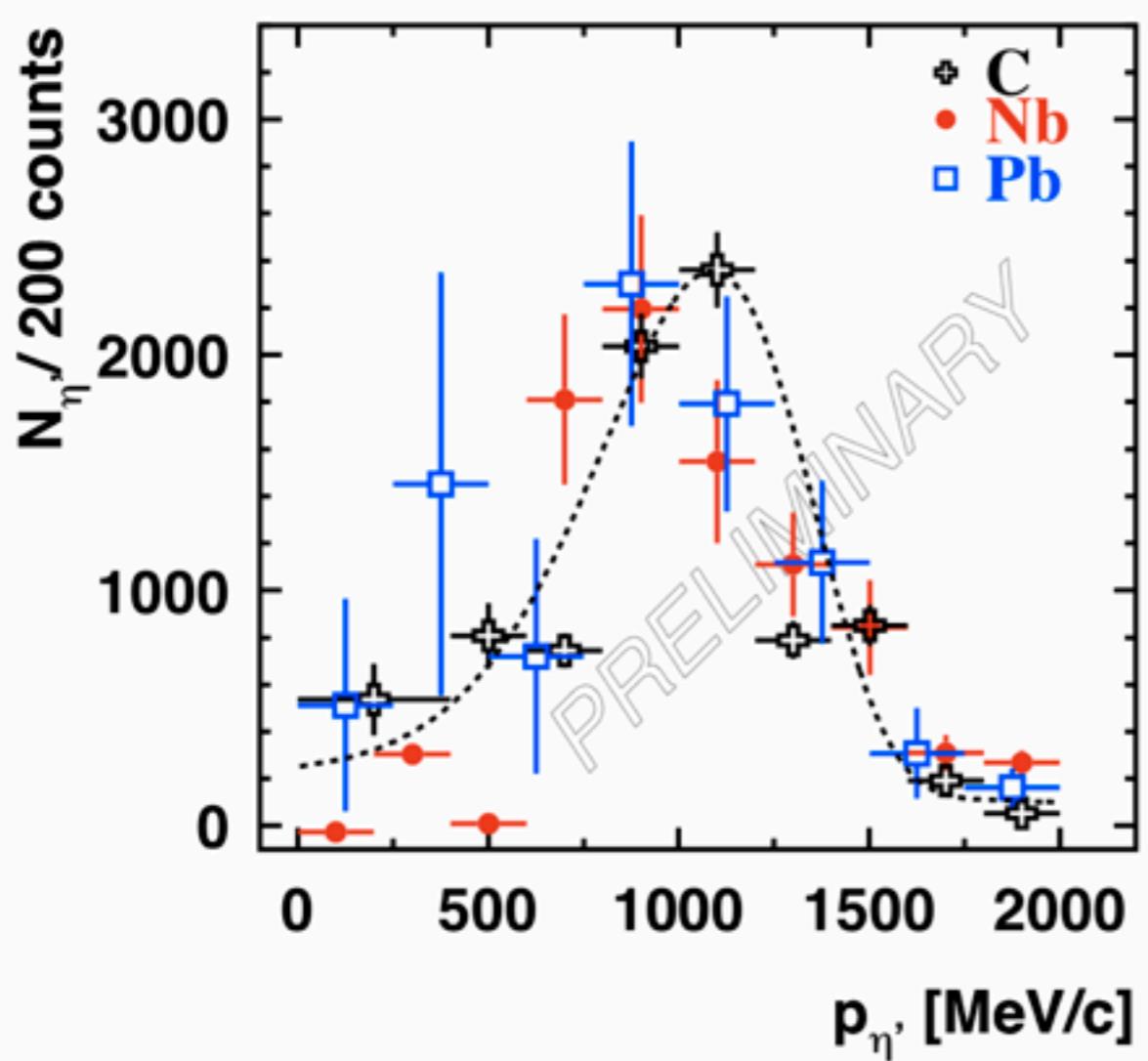
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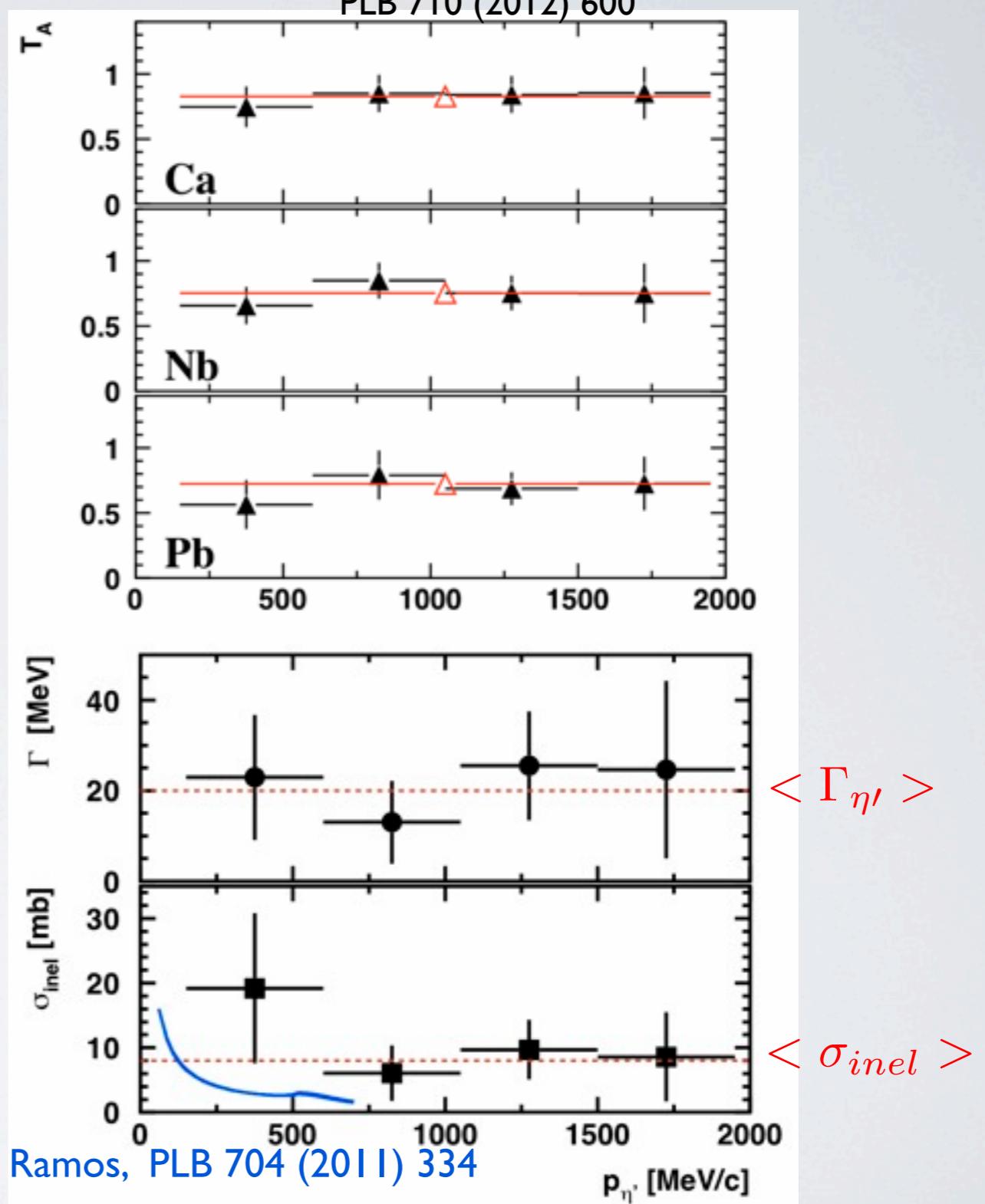
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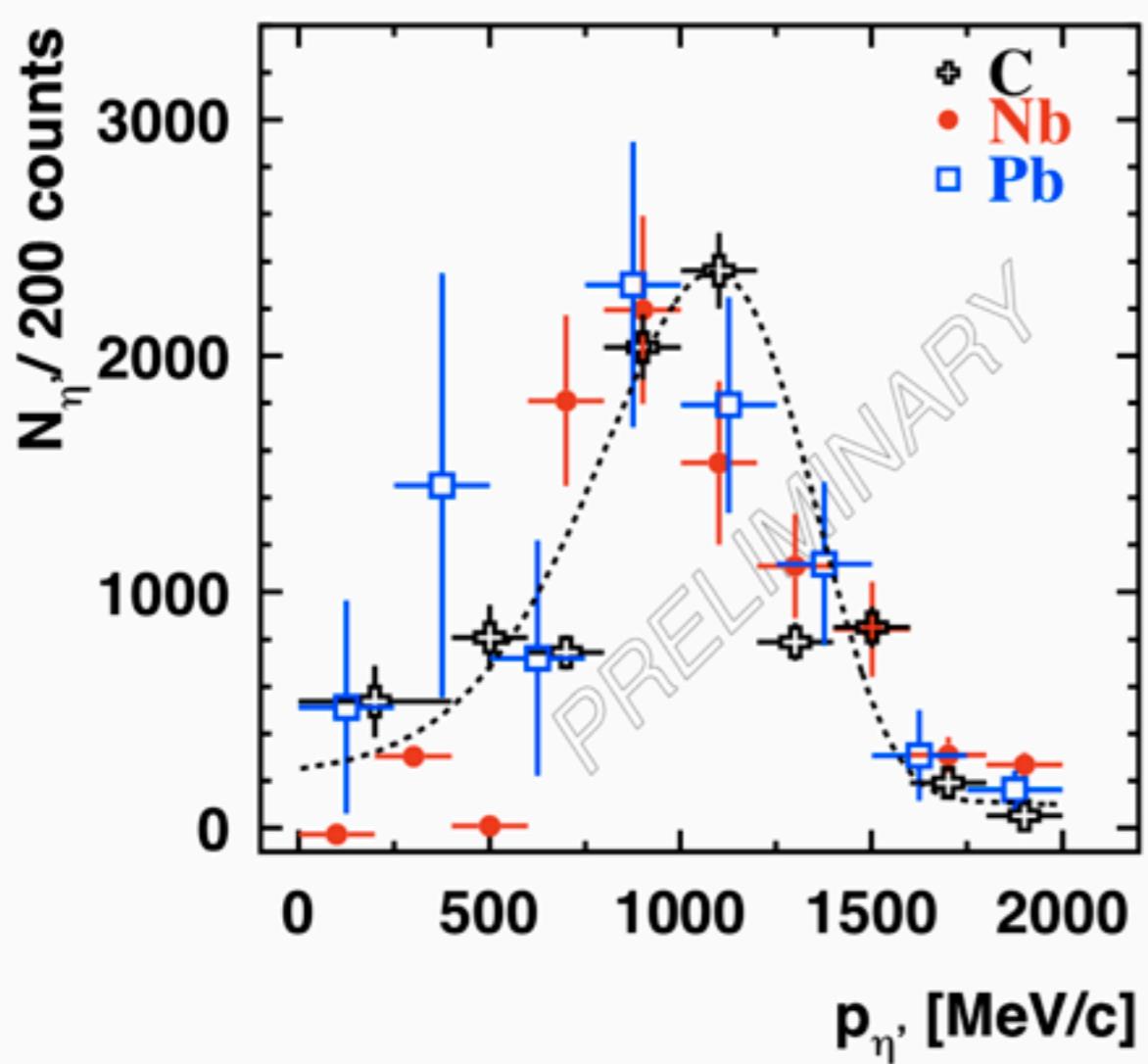
curve:E. Oset,A. Ramos, PLB 704 (2011) 334



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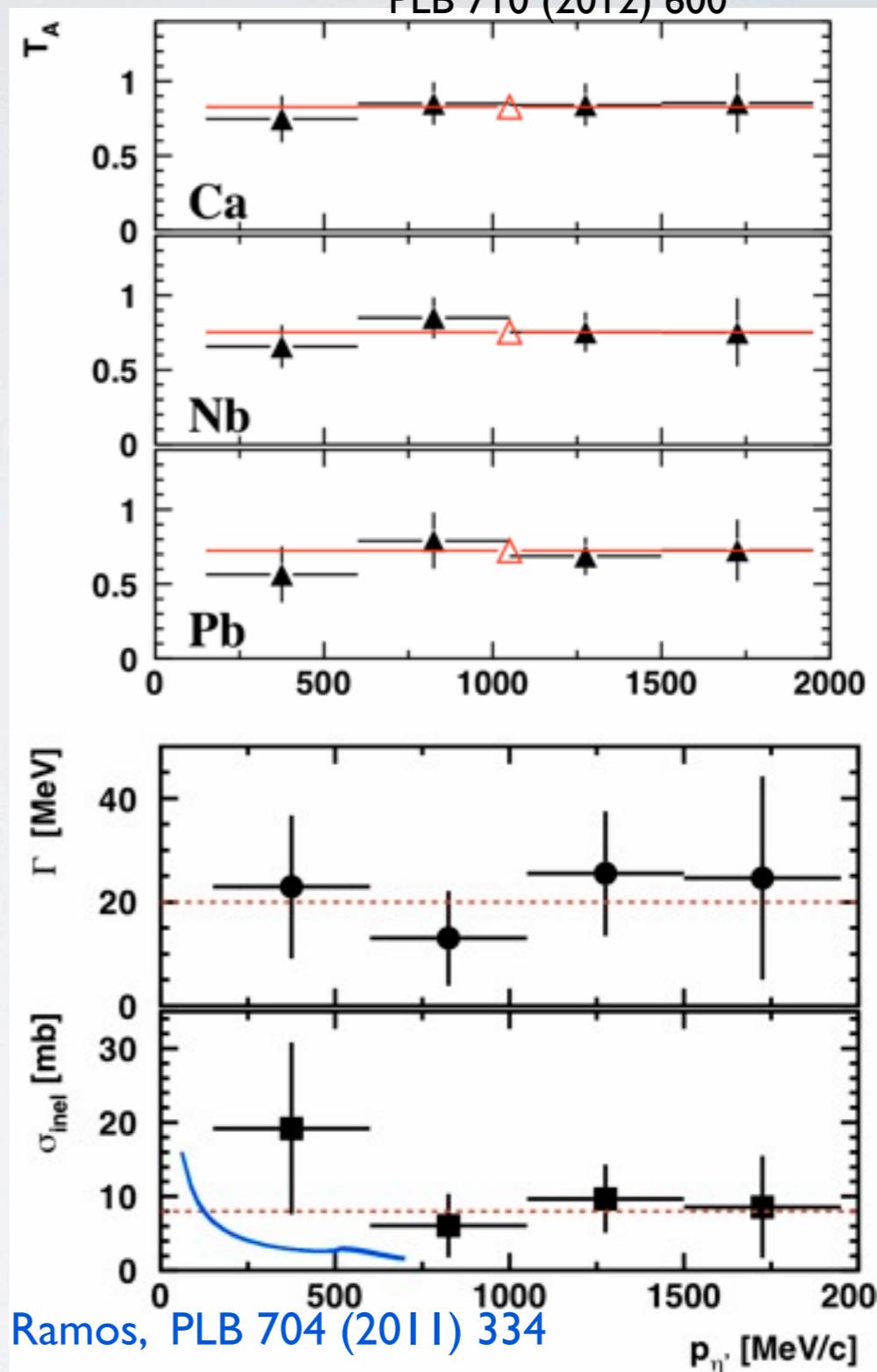
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T_A - no strong variation with momentum
indication for a little effect of two-step processes

summary and outlook

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transparency ratio: in-medium broadening η' meson;

$\Gamma_{\eta'} = 15-25$ MeV at p_0 for $p_{\eta'} \approx 1.05$ GeV/c and $\sigma_{\eta'N} \approx 3 - 10$ mb

η' interaction with nuclear medium much weaker than for ω and η meson

momentum dependence of transparency ratio, in-medium η' width and $\sigma_{\eta'N}$ determined

summary and outlook

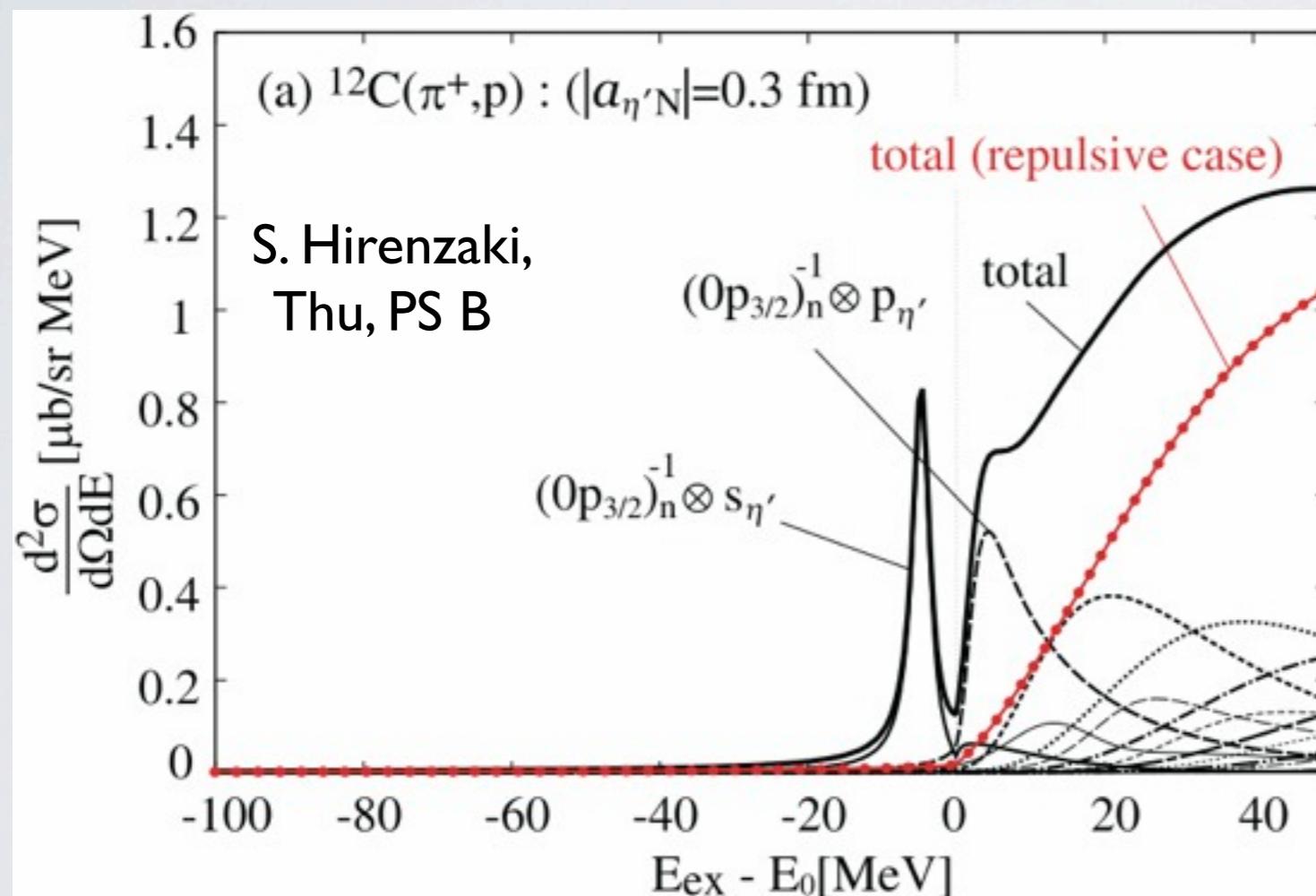
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H. Nagahiro, S. Hirenzaki, E. Oset and A. Ramos, PLB 709 (2012) 87



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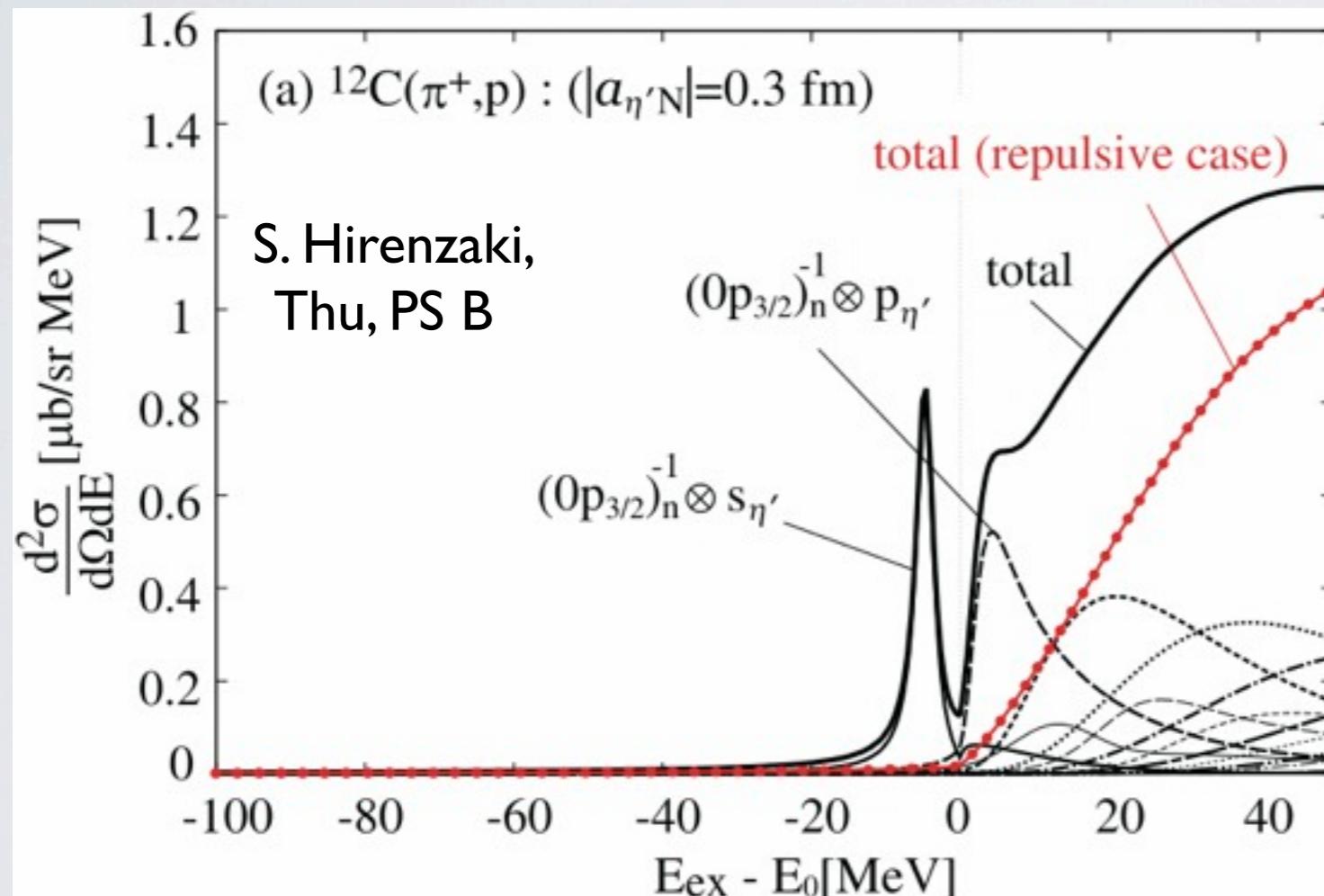
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J-PARC

$^{12}\text{C}(\pi^+, p) \eta' X @ 1.8 \text{ GeV/c}$

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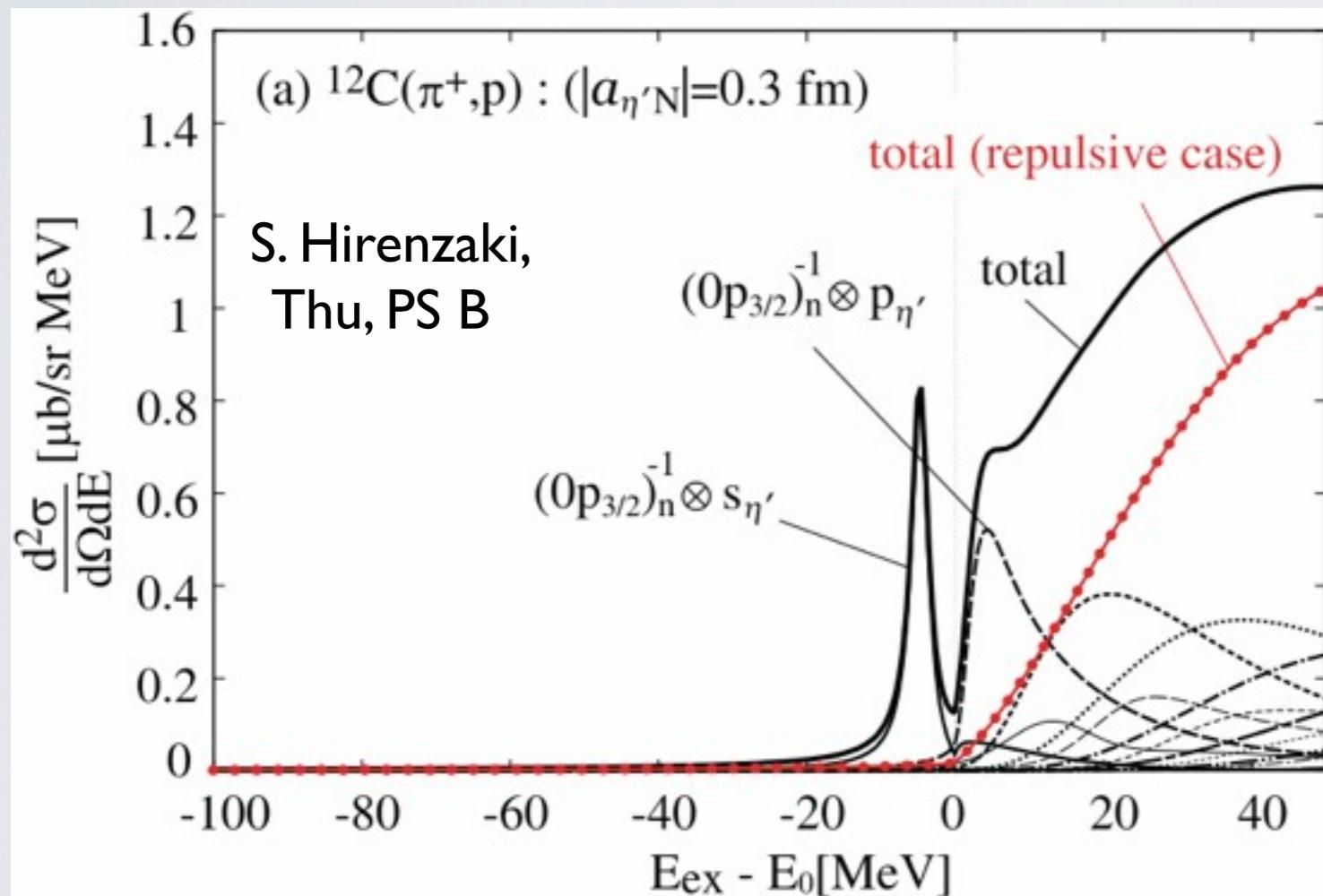
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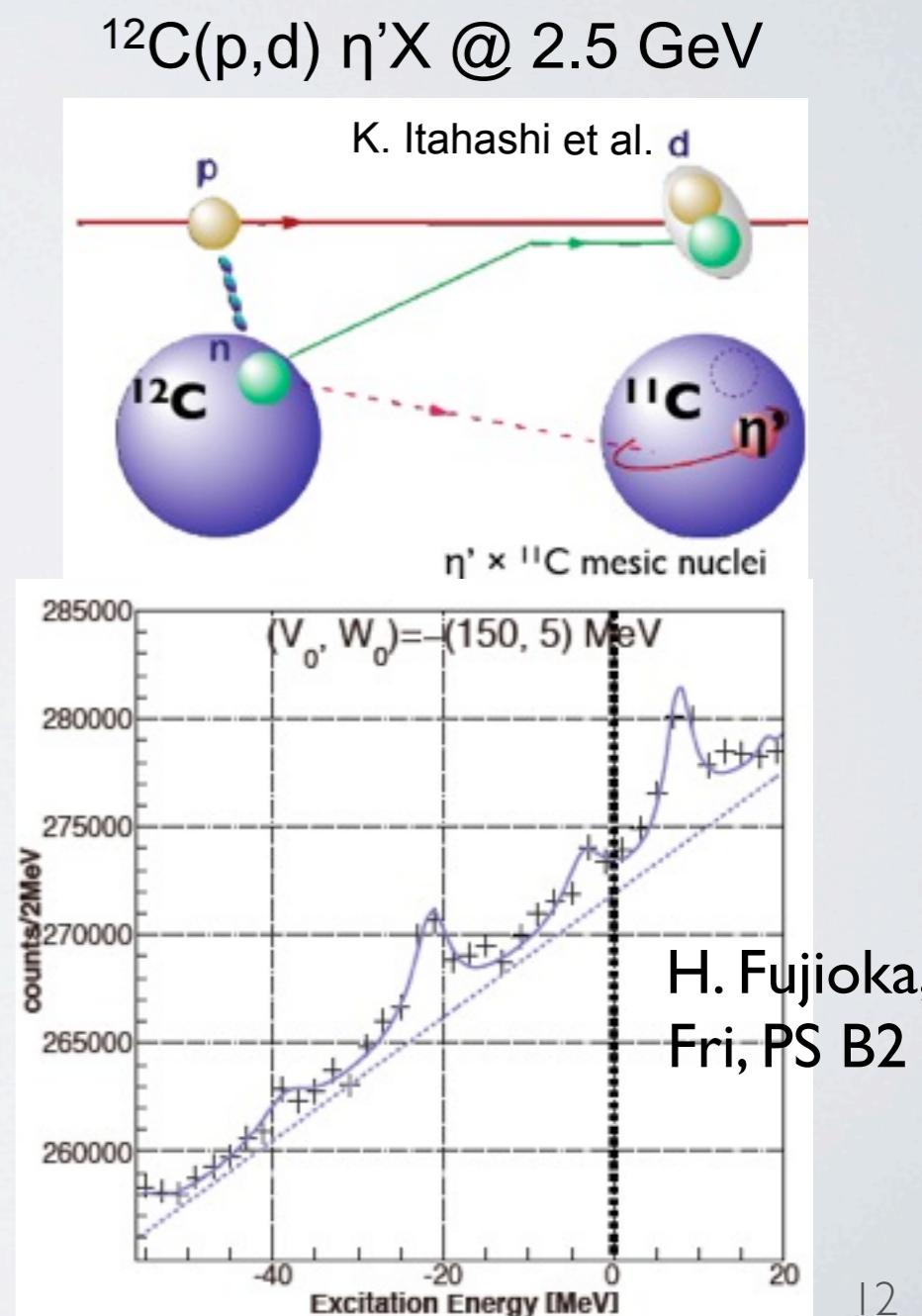
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GSI

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search for η' -bound states @ ELSA

$^{12}\text{C}(\gamma, \eta')\text{X}$ @ 1.5-3.1 GeV

estimated cross section: 5-10 nb/sr/MeV

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pilot experiment data taken

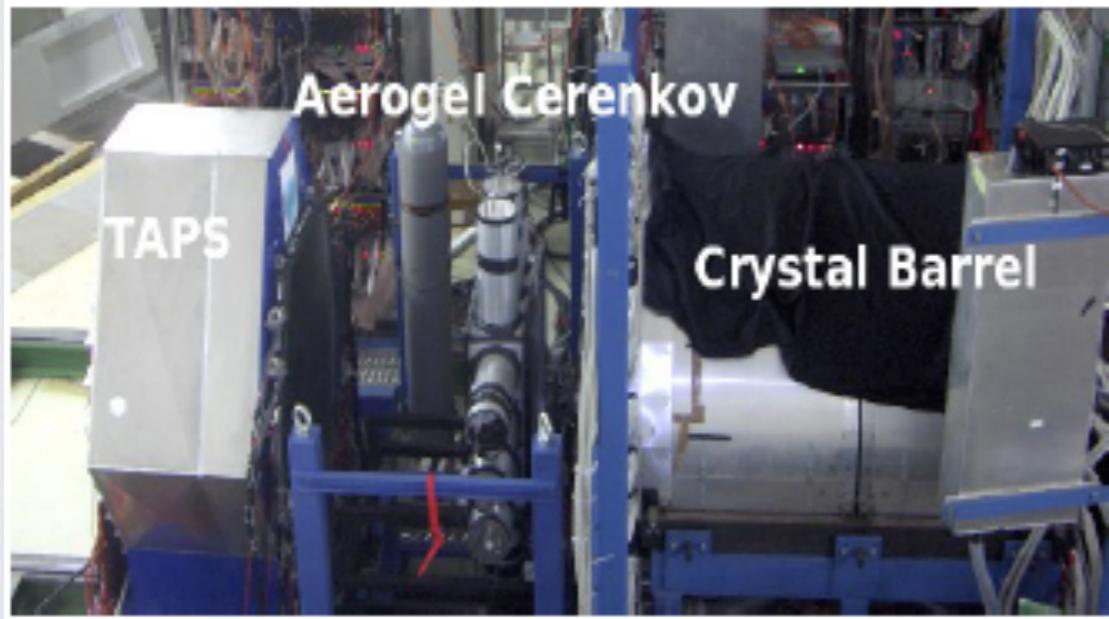
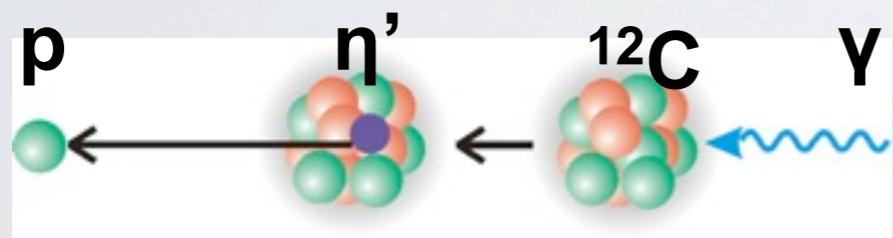
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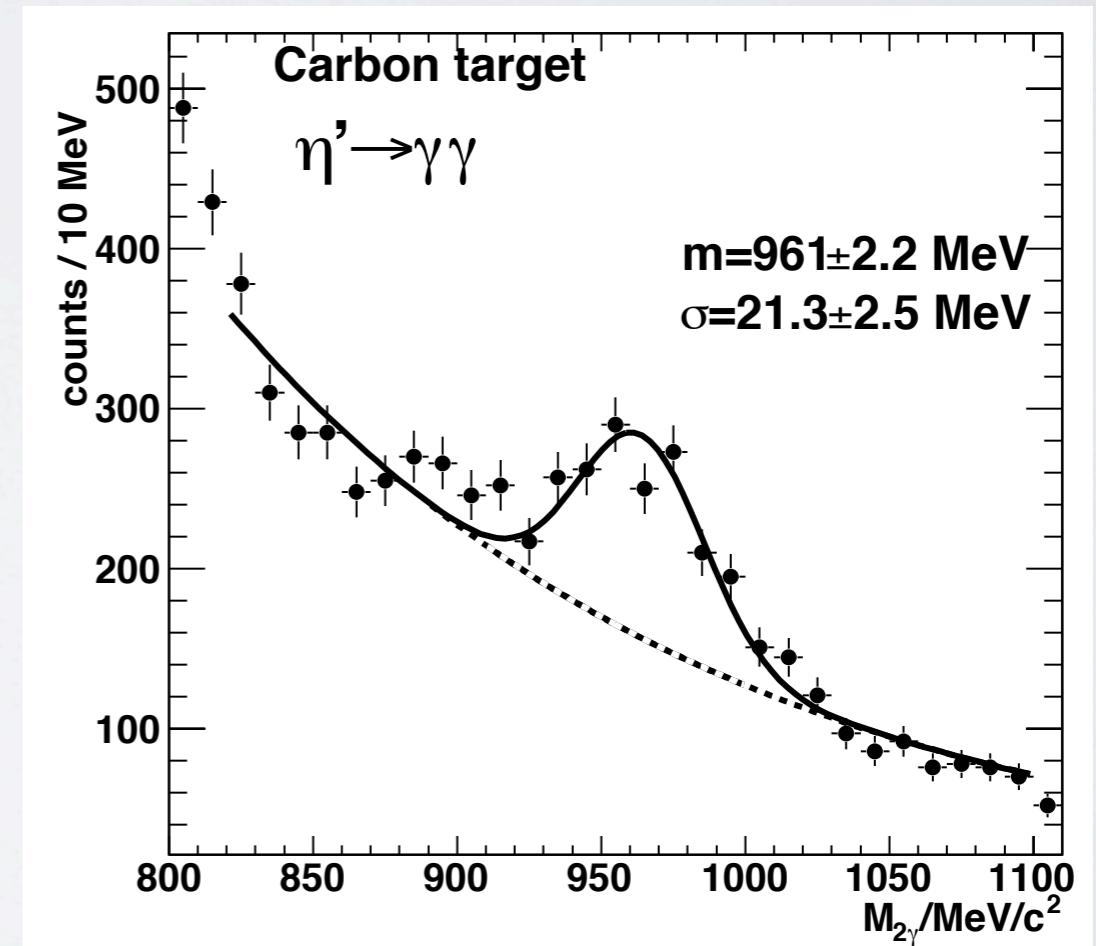
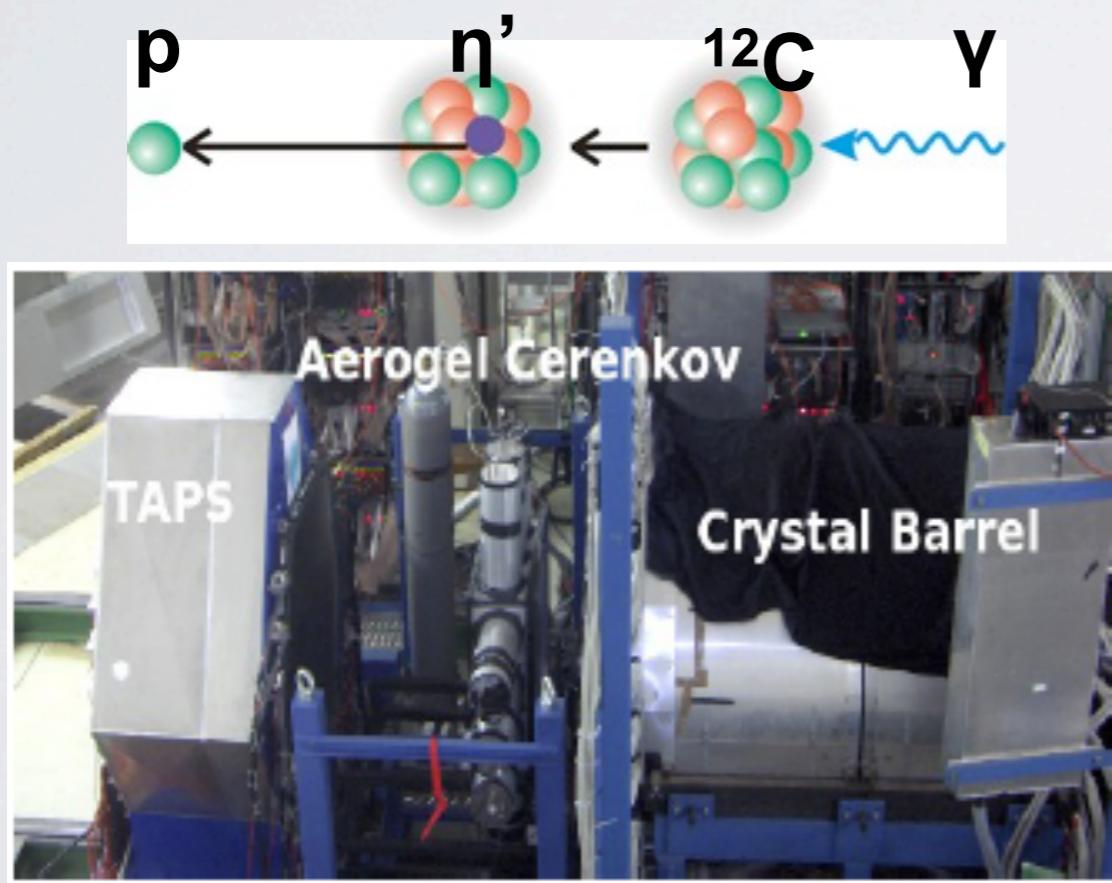
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$\eta' \rightarrow \gamma\gamma$ BR 2.2%
advantage: no FSI



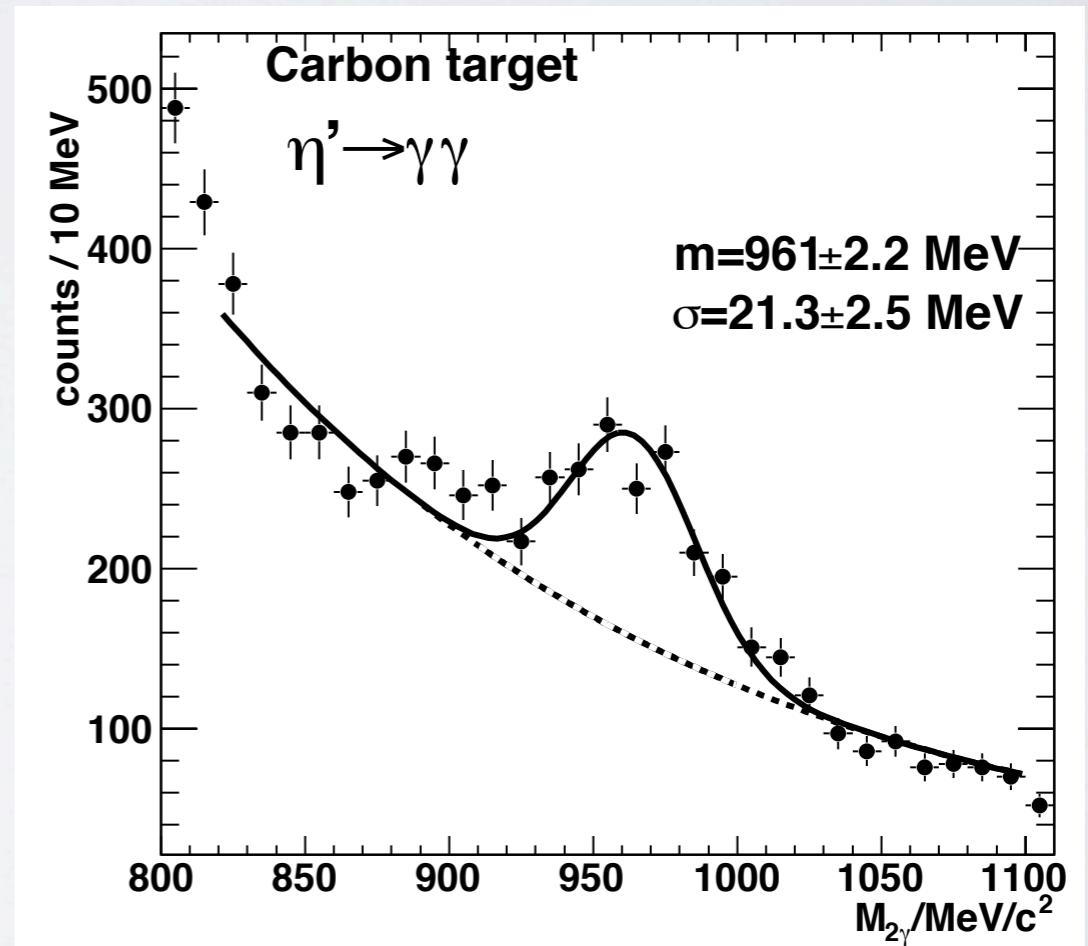
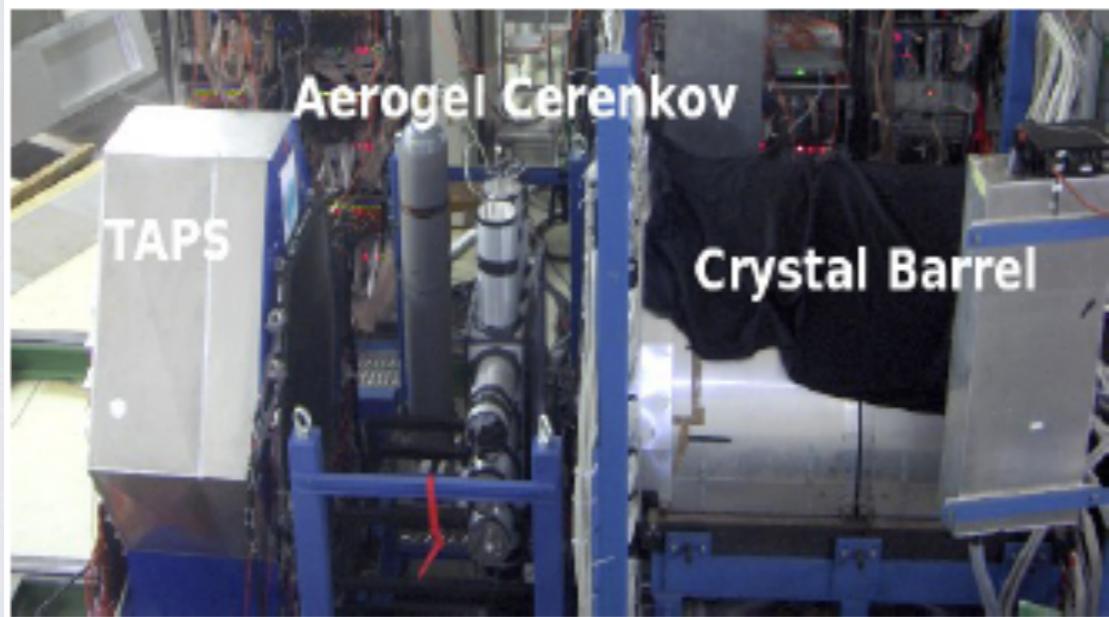
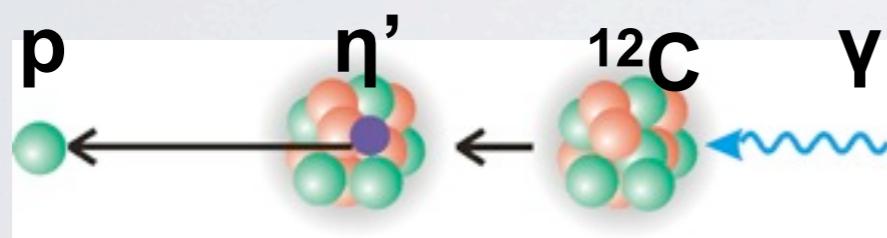
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Experiment in 3rd.
TR16 funding period?