Institut für Theoretische Physik I



# Strangeness production in antiproton-nucleus annihilation\*

#### Alexei Larionov

Institut für Theoretische Physik, Universität Gießen,

D-35392 Gießen, Germany

and National Research Center Kurchatov Institute, RU-123182 Moscow, Russia

In collaboration with: Theodoros Gaitanos, Horst Lenske, and Ulrich Mosel

Institut für Theoretische Physik, Universität Gießen, D-35392 Gießen, Germany

\* Work supported by BMBF

## Outline

- Motivation
- The Giessen Boltzmann-Uehling-Uhlenbeck transport model: relativistic mean field, collision terms.
- Strange particle production
- Fragment and hyperfragment production
- Summary and outlook

#### Based on works:

A.L., T. Gaitanos, and U. Mosel, PRC 85, 024614 (2012)

```
T. Gaitanos, A.L., H. Lenske, and U. Mosel, NPA 881, 240 (2012)
```

#### Experiments on strangeness production in $\overline{p}$ -nucleus reactions:

**BNL (G.T. Condo et al, 1984):** A from  $\bar{p}(0-450 \text{ MeV/c})^{12}\text{C}$ ,  $^{48}\text{Ti}$ ,  $^{181}\text{Ta}$ ,  $^{208}\text{Pb}$ **LEAR (F. Balestra et al, 1987):**  $K_S^0$ ,  $\Lambda$  from  $\overline{p}(607 \text{ MeV/c})^{20} \text{Ne}$ KEK (K. Miyano et al, 1988):  $K_S^0$ ,  $\Lambda$ ,  $\bar{\Lambda}$  from  $\bar{p}(4 \text{ GeV/c})^{181}$ Ta **ASTERIX@LEAR** (J. Riedlberger et al., 1989):  $\Lambda$  from  $\bar{p}(\text{at rest}) \text{ d}, {}^{14}\text{N}$ MPS@BNL (S. Ahmad et al., 1997):  $K_{\rm S}^0$ ,  $\Lambda$ ,  $\bar{\Lambda}$  from  $\bar{p}(5-9 \text{ GeV/c})^{12}$ C,  $^{64}$ Cu,  $^{208}$ Pb Obelix@LEAR (A. Panzarasa et al, 2005, G. Bendiscioli et al, 2009):

 $K^{\pm}$  from  $\bar{p}(\text{at rest})p, d, {}^{3}\text{He}, {}^{4}\text{He}$ 

*Exotic scenario (J. Rafelski, 1988)*: propagating annihilation fireball with baryon number B > 0 due to absorption of nucleons



-Large energy deposition  $\sim 2m_N$  in a small volume of nuclear matter. Supercooled QGP might be formed if more than one nucleon participate in annihilation.

-Strangeness production in a QGP should be enhanced.

## Obelix @ LEAR: Phase transition to the QGP ?

G. Bendiscioli et al. / Nuclear Physics A 815 (2009) 67–88



Fig. 1. Charged kaon production for the reactions without neutral mesons with 4 charged mesons (4 prongs) and with 4 charged mesons plus a fast proton (5 prongs):  $3\pi K^+(p)$ ,  $3\pi K^-(p)$  and  $2\pi 2K(p)$ .  $R_N$  = ratio in percentage between He and H yields; the reference value in hydrogen concerns annihilations into four pions without neutrals. The lines join values concerning reactions with different numbers of prongs (four or five) and *B* values. The errors are statistical plus systematic [7].

K<sup>+</sup> production in 5-prong annihilations on <sup>4</sup>He involving at least two nucleons is enhanced by a factor of 22.

71

## PANDA@ FAIR:

#### Antihyperon potential determination



Event-by-event correlations between transverse momentum asymmetries of the hyperon and antyhyperon are sensitive to the antyhyperon potential.

J. Pochodzalla, PLB 669, 306 (2008)



Fig. 3. Average transverse momentum asymmetry as a function of the longitudinal momentum asymmetry for different parameter pairs of the scalar and vector  $\bar{\Lambda}$ potentials. In each panel calculations with 3 different Fermi momenta of 180 MeV/c (dashed lines), 220 MeV/c (solid lines), and 260 MeV/c (dotted lines) are overlaid

The Giessen Boltzmann-Uehling-Uhlenbeck model: <u>http://gibuu.physik.uni-giessen.de/GiBUU</u> *O. Buss et al, Phys. Rept. 512, 1 (2012)*  The set of coupled relativistic kinetic equations (D. Vasak et al., 1987; H.-Th. Elze et al., 1987; B. Blaettel et al., 1993) for different hadrons  $(j = N, \overline{N}, \Delta, \overline{\Delta}, \pi...)$ :  $(p_0^{\star})^{-1}[p_{\mu}^{\star}\partial_x^{\mu} + (p_{\mu}^{\star}F_j^{k\mu} + m_j^{\star}(\partial_x^k m_j^{\star}))\partial_k^{p^{\star}}]f_j(x, \mathbf{p}^{\star}) = I_j[\{f\}]$  $\mu = 0, 1, 2, 3,$  k = 1, 2, 3,  $x \equiv (t, r)$ . Collision integral  $f_i(x, \mathbf{p}^*)$  - distribution function in kinetic phase space  $(\mathbf{r}, \mathbf{p}^*)$ ,  $m_{i}^{\star} = m_{N} + S_{j}$  - effective mass,  $S_{i} = g_{\sigma i} \sigma$  - scalar field,  $p^{\star\mu} = p^{\mu} - V_i^{\mu}$  - kinetic four-momentum,  $p^{\star\mu}p^{\star}_{\mu} = (m^{\star}_{i})^{2}$  - mass shell condition,  $F_{i}^{\mu\nu} = \partial^{\mu}V_{i}^{\nu} - \partial^{\nu}V_{i}^{\mu}$  - field tensor,  $V_{j}^{\mu} = g_{\omega j} \omega^{\mu} + g_{\rho j} \tau^{3} \rho^{3\mu} + \frac{e}{2} (B_{j} + \tau^{3}) A^{\mu}$  - vector field.

#### **Test particle representation:**

$$f_j(x, \mathbf{p}^*) = \frac{(2\pi)^3}{g_j n} \sum_{i=1}^{nN_j} \delta(\mathbf{r} - \mathbf{r}_i(t)) \delta(\mathbf{p}^* - \mathbf{p}_i^*(t)) ,$$

 $N_j$  - number of physical particles of the type j,  $n \simeq 1000$  - number of test particles per physical particle. Hamiltonian-like equations of motion for the centroids  $\mathbf{r}_i$  and  $\mathbf{p}_i$ between two-body collisions:

$$\begin{split} \dot{\mathbf{r}}_i &= \frac{\mathbf{p}_i^{\star}}{p_i^{\star 0}} ,\\ \dot{p}_i^{\star k} &= \frac{p_{i\mu}^{\star}}{p_i^{\star 0}} F^{k\mu} + \frac{m_j^{\star}}{p_i^{\star 0}} \partial_x^k m_j^{\star} \end{split}$$

For the calculation of mean fields:

$$\delta(\mathbf{r} - \mathbf{r}_i) \rightarrow \frac{1}{(2\pi)^{3/2}L^3} \exp\{-(\mathbf{r} - \mathbf{r}_i)^2/2L^2\},\ L \simeq 0.5 \,\,\mathrm{fm}$$

Meson field equations (mean field approximation):

$$\begin{split} \partial_{\nu}\partial^{\nu}\sigma &+ \frac{\partial U(\sigma)}{\partial\sigma} = -\sum_{j}g_{\sigma j}\rho_{Sj}, \\ (\partial_{\nu}\partial^{\nu} + m_{\omega}^{2})\,\omega^{\mu} &= \sum_{j}g_{\omega j}\,j_{Bj}^{\mu}, \\ (\partial_{\nu}\partial^{\nu} + m_{\rho}^{2})\,\rho^{3\,\mu} &= \sum_{j}g_{\rho j}\,j_{Ij}^{\mu}, \\ \partial_{\nu}\partial^{\nu}A^{\mu} &= 4\pi\sum_{j}e\,j_{Qj}^{\mu}, \end{split}$$
  
where  $\rho_{Sj}(x) = \langle \bar{\psi}_{j}\psi_{j} \rangle = \frac{g_{j}}{(2\pi)^{3}}\int \frac{d^{3}p^{\star}}{p^{\star 0}}m_{j}^{\star}f_{j}(x,\mathbf{p}^{\star}), \\ j_{Aj}^{\mu}(x) &= \langle \bar{\psi}_{j}\gamma^{\mu}O_{A}\psi_{j} \rangle = \frac{g_{j}}{(2\pi)^{3}}\int \frac{d^{3}p^{\star}}{p^{\star 0}}p^{\star\mu}O_{A}f_{j}(x,\mathbf{p}^{\star}), \\ O_{B} &= 1, \quad O_{I} = \tau^{3}, \quad O_{Q} = \frac{B_{j} + \tau^{3}}{2}, \end{split}$ 

 $g_j$  - spin degeneracy

Technical approximation : 
$$\partial_{
u}\partial^{
u}=(\partial_t)^2- riangle$$

### Collision integral:



#### **Collision channels**:

Antibaryon-baryon collisions:

 $\overline{B}B \to \text{mesons}$  — statistical annihilation model (I.A. Pshenichnov et al., 1992);  $\overline{B}B \to \overline{B}B$  (EL and CEX),  $\overline{N}N \leftrightarrow \overline{N}\Delta(\overline{\Delta}N)$ ,  $\overline{N}N \to \overline{\Lambda}\Lambda$ ,  $\overline{N}(\Delta)N(\Delta) \to \overline{\Lambda}\Sigma(\overline{\Sigma}\Lambda)$ ,  $\overline{N}(\Delta)N(\Delta) \to \overline{\Xi}\Xi$ . For  $\sqrt{s} > 2.4$  GeV ( $p_{\text{lab}} > 1.9$  GeV/c for  $\overline{N}N$ ) : FRITIOF simulation of inelastic production  $\overline{B}_1B_2 \to \overline{B}_3B_4$  + mesons.

Meson-baryon collisions:  $\pi N \leftrightarrow R, \ \pi N \to K\bar{K}N, \ \pi(\eta,\rho,\omega)N \to YK, \ \bar{K}N \leftrightarrow Y^*, \ \bar{K}N \to \bar{K}N, \ \bar{K}N \leftrightarrow Y\pi,$   $\bar{K}N \leftrightarrow Y^*\pi, \ \bar{K}N \to \Xi K.$ For  $\sqrt{s} > 2.2 \text{ GeV}$ : PYTHIA simulation of MB collisions.

Baryon-baryon collisions:  $BB \rightarrow BB$  (EL and CEX),  $NN \leftrightarrow NN\pi$ ,  $NN \leftrightarrow \Delta\Delta$ ,  $NN \leftrightarrow NR$ ,  $N(\Delta, N^*)N(\Delta, N^*) \rightarrow N(\Delta)YK$ ,  $YN \rightarrow YN$ ,  $\Xi N \rightarrow \Lambda\Lambda$ ,  $\Xi N \rightarrow \Lambda\Sigma$ ,  $\Xi N \rightarrow \Xi N$ . For  $\sqrt{s} > 2.4$  GeV : PYTHIA simulation of inelastic production  $B_1B_2 \rightarrow B_3B_4$  + mesons.

## Strange particle production



Data: J. Riedlberger et al. (ASTERIX@LEAR), 1989 14 Data fit:  $E\frac{dN}{p^2dp} = A \exp(-E_{kin}/E_0)$ 

PRC 85, 024614 (2012)

#### Annihilation in-flight:

Data and INC calculations: S. Ahmad et al. (MPS@BNL), 1997.

INC model: D. Strottman & W. Gibbs, 1984; W. Gibbs & J. Kruk, 1990

$$\sigma_{K_S^0} = \frac{1}{2}(\sigma_{K^0} + \sigma_{\bar{K}^0})$$

 $ar{K}, ar{K}^* + N \sim 60\%,$  $\pi, \eta, \rho, \omega + N \sim 30\%$ of  $Y(Y^*)$  production rate



PRC 85, 024614 (2012)

#### **Systematics:**

Data and INC calculations: S. Ahmad et al. (MPS@BNL), 1997.

INC model: D. Strottman & W. Gibbs, 1984; W. Gibbs & J. Kruk, 1990

→ not enough  $\bar{K}$  absorption:  $\bar{K}N \rightarrow YX$ 

In-medium effects

PRC 85, 024614 (2012)



 $\sigma_s = \frac{1}{2} (4\sigma_{K_S^0} + \sigma_{\Lambda} + \sigma_{\Sigma^0} + \sigma_{\bar{\Lambda}} + \sigma_{\bar{\Sigma}^0})$ 

## Rapidity spectra of strange particles.

Λ spectra always peak at y≈0 due to exothermic reactions  $\bar{K}N \to Y\pi$  with slow  $\bar{K}$ 

Spectra for  $\Xi^-$  are shifted to forward rapidities due to endothermic reactions  $\bar{K}N \rightarrow \Xi K$  $(p_{lab}^{thr} = 1.048 \text{ GeV/c}, y_{\bar{K}N}^{thr} = 0.55)$ 

In the QGP fireball scenario (J. Rafelski, 1988) the rapidity spectra of all strange particles would be peaked at the same rapidity.



PRC 85, 024614 (2012)

## Fragment and hyperfragment production

#### Statistical multifragmentation model (SMM)

(J. Bondorf, A.S. Botvina, A.S. Iljinov, I.N. Mishustin, K. Sneppen, 1995)



#### Hybrid GiBUU+SMM

- Non-Equilibrium dynamics within BUU until source(s) approaches stable configuration and local equilibration at t=t<sub>f</sub>
- Determination of A, Z and E\* of a source at time t=t<sub>f</sub>
- Apply SMM

#### **Fragment production**

Source excitation energy distributions:

Fragment multiplicity distributions:



Data (LEAR): B. Lott et al, PRC 63, 034616 (2001) GiBUU+SMM calculations: T. Gaitanos, A.L., H. Lenske and U. Mosel, NPA 881, 240 (2012)

#### Hyperfragment production

Hybrid GiBUU+SMM calculation: usual fragments – by SMM, hyperfragments – by  $\Lambda$ -fragment coalescence in momentum space.



GiBUU+SMM calculations: T. Gaitanos et al, NPA 881, 240 (2012)

## **PANDA@ FAIR:** Double Λ hypernucleus production



J. Pochodzalla, NPA 754, 430 (2005)

#### ΛΛ hyperfragment production with a secondary target (PANDA):



Low-momentum (< 0.5 GeV/c)  $\equiv$  's are the best suited for double  $\Lambda$  production.

GiBUU+SMM calculations: T. Gaitanos et al, NPA 881, 240 (2012)

## Summary

— GiBUU works rather well. However: tendency to underestimate **A-yields** and overestimate K<sub>s</sub>-yields. The data on charged strange  $\Sigma^{\pm}$ ,  $K^{\pm}$  particle production cross sections needed.

— Peak positions of  $\Lambda$  and  $\Xi^{-}$  rapidity spectra strongly differ in pure hadronic transport: test for a QGP scenario.

— Big cross section of double  $\Lambda$  hypernuclei production by in-flight interaction of slow  $\Xi^-$  with a secondary target.

## Outlook:

Several new interesting applications of transport models to antiproton-nucleus interactions:

- J/ $\psi$  production and propagation (work in progress)

antibaryon potentials study, strongly bound antiproton-nucleus states

- annihilation at rest: signatures of QGP formation in Obelix data

A quantum appraoch: talk by Stefanie Lourenco on Monday, B4, 16:50 on meson production in  $\bar{N}N$  annihilation on nuclei

Thank you for your attention !

## Backup

Hyperon and kaon couplings – from a constituent quark model and G-parity (for antiparticles):

$$\begin{split} g_{\omega Y} &= -g_{\omega \bar{Y}} = \frac{2}{3} g_{\omega N}, \quad g_{\sigma Y} = g_{\sigma \bar{Y}} = \frac{2}{3} g_{\sigma N}, \\ g_{\omega \Xi} &= -g_{\omega \bar{\Xi}} = \frac{1}{3} g_{\omega N}, \quad g_{\sigma \Xi} = g_{\sigma \bar{\Xi}} = \frac{1}{3} g_{\sigma N}, \\ g_{\omega K} &= -g_{\omega \bar{K}} = \frac{1}{3} g_{\omega N}, \quad g_{\sigma K} = g_{\sigma \bar{K}} = \frac{1}{3} g_{\sigma N} \end{split}$$

(J. Schaffner, I.N. Mishustin, 1996; G.E. Brown, M. Rho, 1996)

Schrödinger equivalent potentials (in MeV) at normal nuclear density:

$$\begin{split} U_{j} &= S_{j} + V_{j}^{0} + \frac{S_{j}^{2} - (V_{j}^{0})^{2}}{2m_{j}}, \\ S_{N} &= -380 \text{ MeV}, \quad V_{N}^{0} = 308 \text{ MeV}. \end{split}$$

Statistical annihilation model

E.S. Golubeva, A.S. Iljinov, B.V. Krippa, I.A. Pshenichnov, NPA 537, 393 (1992);
I.A. Pshenichnov, Doctoral thesis, INR, Moscow, 1998;
+ some improvements for strangeness production in the present work

 $\bar{N}N \rightarrow$  up to 6 mesons,  $\pi$ ,  $\eta$ ,  $\omega$ ,  $\rho$ , K,  $\bar{K}$ ,  $K^{\star}$ ,  $\bar{K}^{\star}$ Probability:

$$W_n(\sqrt{s}, I_1, ..., I_n, Y_1, ..., Y_n) = w_n(\sqrt{s}, I_1, ..., I_n, Y_1, ..., Y_n) \\ \times a_{\pi}^{n_{\pi}} a_{\eta}^{n_{\eta}} a_{\omega}^{n_{\omega}} a_{\rho}^{n_{\rho}} a_{K}^{n_{K}+n_{\bar{K}}} a_{K^*}^{n_{K^*}+n_{\bar{K}^*}},$$

 $I_1, ..., I_n$  – isospins of produced mesons,  $Y_1, ..., Y_n$  – hypercharges,  $a_{\pi}, a_{\eta}, ...$ – SU(3) symmetry breaking constants.

$$\begin{split} w_n(\sqrt{s}; I_1, ..., I_n; Y_1, ..., Y_n) &= V_n(\sqrt{s}) s_n \mathcal{M}_n(\sqrt{s}) \prod_{i=1}^n 2m_i \\ \times \sum_{(p,q)} K_{(p,q)}^2(I, I_3, Y) \mathcal{U}_n(p, q; I_1, ..., I_n; Y_1, ..., Y_n) \ . \\ V_n(\sqrt{s}) &= (2m_N V_0 / \sqrt{s})^{n-1} \\ V_0 &\simeq 20 \text{ GeV}^{-3} - \text{ interaction volume} \\ s_n - \text{ spin factor, } m_N - \text{ nucleon mass} \\ \mathcal{M}_n(\sqrt{s}) & \text{ --- Lorentz invariant phase space volume} \\ K_{(p,q)}^2(I, I_3, Y) & \text{ --- decomposition coefficients of initial state of} \\ & \bar{N}N \text{ system } (I = 0, 1; \ I_3 = 0, \ \pm 1; \ Y = 0) \\ & \text{ into a sum of irreducible representations (p,q)} \\ & \text{ of the SU(3) group} \end{split}$$

 $\mathcal{U}_n(p,q;I_1,...,I_n;Y_1,...,Y_n)$  --- isoscalar factor

# Pion multiplicity distributions from $\bar{p}p\,$ annihilation



pp cross sections Elastic:  $\bar{p}p \rightarrow \bar{p}p$ Charge exchange:  $pp \rightarrow nn$ Annihilation:  $\bar{p}p \rightarrow \text{mesons}$ **Production:**  $\bar{p}p \rightarrow \bar{N}N + \text{mesons}$ Hyperon production:

 $\bar{p}p \rightarrow Y\bar{Y} + \text{mesons},$  $YK\bar{N} + \text{mesons},$  $N\bar{K}\bar{Y} + \text{mesons}.$ 



## Strangeness production in $\overline{p}p$ collisions



32

Some exclusive  $\bar{p}p$  annihilation channels to  $K\bar{K}$ 



Rapidity distributions of  $\Lambda$  and  $K_S^0$  from  $\bar{p}(607 \ MeV/c)^{20}$ Ne.

Data (LEAR): F. Balestra et al., PLB 194, 192 (1987).

Intranuclear Cascade (INC) Model calculations from J. Cugnon et al., PRC 41, 1701 (1990).

Hyperons are mostly produced in  $\overline{K}(\overline{K}^*)N$  collisions. Hyperon rescattering with flavour/charge exchange very important (e.g.  $\Sigma^+n \to \Lambda p$ ).



Rapidity distributions of  $\Lambda$  and  $K_S^0$  from  $\bar{p}(4 \ GeV/c)^{181}$ Ta with partial contributions from different reaction channels

 $B \equiv N, \Delta, N^*...$ 

nonstrange baryons,

 $M \equiv \pi, \ \eta, \ \rho, \ \sigma, \ \omega, \ \eta'$ 

- nonstrange mesons

Data (KEK): K. Miyano et al., PRC 38, 2788 (1988).

~70-80% of the Y(Y\*) production rate is due to antikaon absorption  $\bar{K}B \rightarrow YX, \ \bar{K}B \rightarrow Y^*, \ \bar{K}B \rightarrow Y^*\pi$ 



Hyperon rapidity distribution:

Data (KEK): K. Miyano et al., PRC 38, 2788 (1988).



#### → Sensitivity to the hyperon-nucleon scattering cross sections

Transverse momentum distributions of  $\Lambda$ , K<sub>S.</sub> and  $\bar{\Lambda}$  from  $\bar{p}(4 \ GeV/c)^{181}$ Ta

```
Data (KEK): K. Miyano et al., PRC 38, 2788 (1988).
```

INC calculations from J. Cugnon et al., PRC 41, 1701 (1990).



 $\Xi$  inclusive momentum spectrum with partial contributions

Partial contributions to the  $\Xi$  production rate:

$$K(K^*)B \to \Xi X \sim 35\%$$
$$\Xi^* \to \Xi \pi \sim 26\%$$
$$K(K^*)Y(Y^*) \to \Xi X \sim 17\%$$
$$\bar{B}B \to \Xi X \sim 6\%$$





#### Without SMM



Good agreement with data on the yields of free  $\Lambda$ 's. Single (double)  $\Lambda$  hypernucleus formation probability reaches ~3% (0.01%) for <sup>208</sup>Pb.



Momentum spectra of produced strange particles.

Similar behaviour at large momenta for all particles.

 $\Xi^{-}$  spectra are suppressed at low momenta.



### Triggering $\Xi^-$ :



Large background due to  $\pi, \eta, \rho, \omega + N \rightarrow YK$ .  $\equiv$ +-trigger is much more selective near threshold  $(p_{lab}^{thr} = 2.6 \text{ GeV/c for } \bar{p}p \rightarrow \Xi^- \Xi^+)$  than  $2K^+$ -trigger.

Momentum spectra of protons and pions for  $p_{lab}$ =608 MeV/c.

Data (LEAR): P.L. McGaughey et al., PRL 56, 2156 (1986).

A weak sensitivity to the  $\overline{p}$ mean field: best agreement for  $\xi \approx 0.3$ , or Re(V<sub>opt</sub>)=-(220±70) MeV



43

A.L., I.A. Pshenichnov, I.N. Mishustin, and W. Greiner, PRC 80, 021601 (2009)

Rapidity spectra of protons and pions for  $p_{lab}$ =608 MeV/c.

Data (LEAR): P.L. McGaughey et al., PRL 56, 2156 (1986).

