

# PAINUC

The Nuclear Matter  
studied with the PAINUC experiment  
Self Shunted Streamer Chamber  
exposed to the  $E_{\pi} = 106$  MeV  
JINR phasotron  $\pi$  beam

## PAINUC

Istituto Nazionale di Fisica Nucleare (To/Al/Bs)  
Dipartimento di Fisica Generale (Torino)  
Centro Studi e Ricerche "E. Fermi" (Roma)  
Joint Institute for Nuclear Research (Dubna)

Meson 2010, Jagiellonian University, Cracow, 10-15 June 2010

# Outline

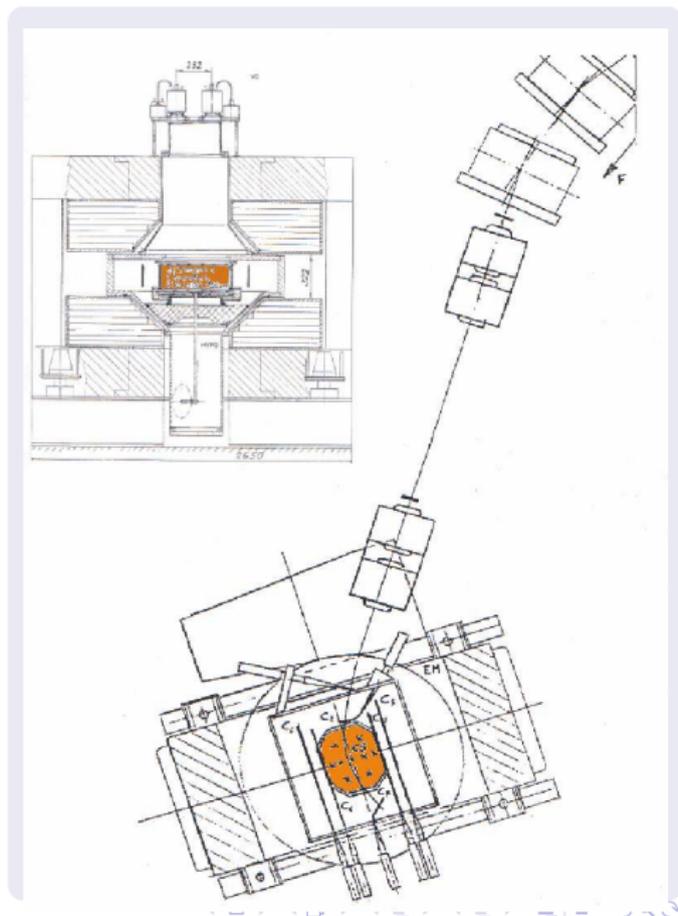
- 1 Experimental Apparatus
  - The Self Shunted Streamer Chamber
- 2 Event Reconstruction
  - DIGITIZATION: Helix Track Reconstruction
- 3 Event Recognition
- 4 High Energy  $\gamma$ s
- 5 Resonances in the nuclear medium
- 6 The  $\pi^{+4}\text{He} \rightarrow 3\text{pn}$  absorption channel
- 7 Summary

# The Laboratory for Nuclear Problem



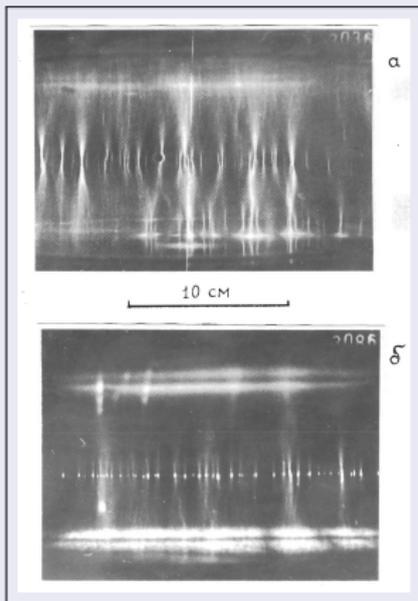
## Devices

- Phasotron: channel III  
 $T_{\pi} = 50 - 250 \text{ MeV}$
- Self Shunted Streamer Ch.  
**(SSSC)**
- Electromagnet  
**MC-4A**  
 $(H = 0.650 \pm 0.005 \text{ T})$
- Scintillators **C<sub>1</sub> – C<sub>7</sub>**
- High Voltage pulse generator  
**HVPG Marx-Arkadiev**  
 $(\Delta V = 250 \text{ KV})$
- 2 *Sensys Photometric CCD*



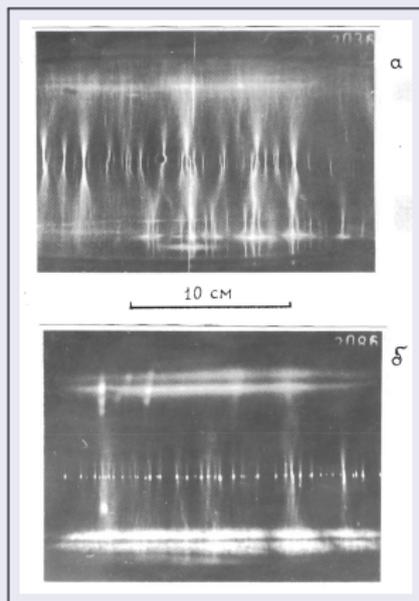
## The Shunting Effect

- highly localized tracks:
  - streamers: 1-2 mm
- high contrast



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- high contrast



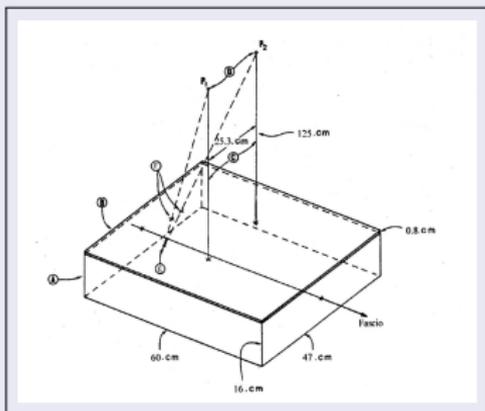
## Features

- ${}^4\text{He} \rightarrow \begin{cases} \text{target} \\ \text{detection medium} \end{cases}$
- momenta of strongly ionizing particles are *measurable*  
 $\mathbf{P}_{\text{xHe}}, \mathbf{P}_{\text{p}}, \mathbf{P}_{\text{xH}}$

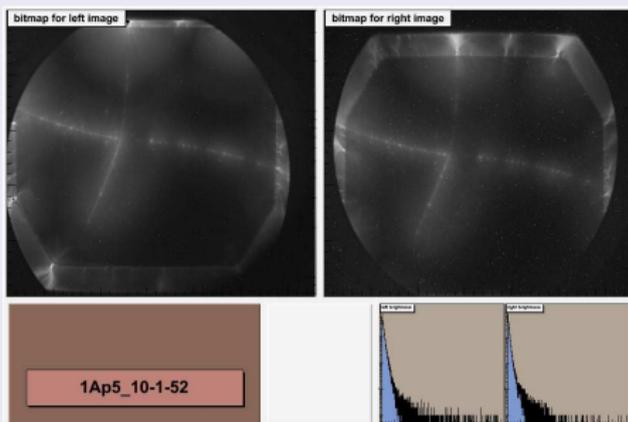
## Averaged Track Lengths in ${}^4\text{He}$

Track (mm)	$T_{\pi}$ (MeV)	$T_{\text{p}}$ (MeV)	$T_{{}^3\text{He}}$ (MeV)	$T_{\alpha}$ (MeV)
10	0.16	0.17	0.25	0.3
50	0.27	0.55	1.70	1.8
100	0.40	0.85	2.90	3.3
100(Ne)	1.40	3.40	11.10	12.9
<b>200</b>	0.57	1.30	4.50	<b>5.0</b>

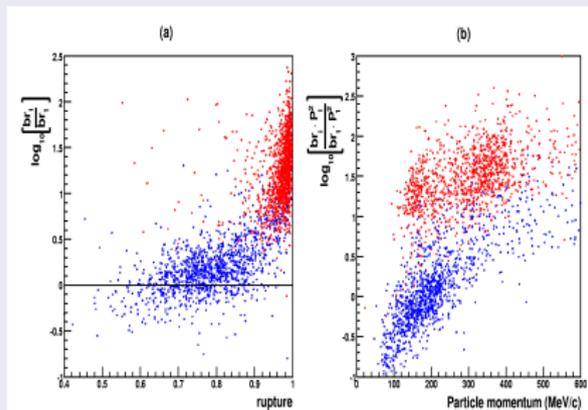
# Event reconstruction



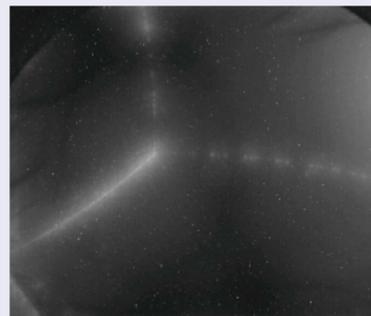
- res.: 1317 × 1035 pixels  
→ 1 pixel  $\equiv$  1 mm
- dynamic res.: 12 bit  
→  $2^{12} = 4096$  grey lev.



- vertex position
- vertex uncertainty
- directional cosines
- **brightness**
- radiuses  $\rightarrow$  momenta
- momenta uncertainty



since  $-dE/ds \propto z^2 m^2/p^2 \dots$   
 ...**brightness**\* $p^2 \propto m^2$   
 can be used as a **mass index**...  
 ...to **separate**  $\pi$  from  $p$ ,  $\alpha$ ,  ${}^3\text{He}$  and  ${}^3\text{H}$ .



# Event Recognition

The following 2-prong  $\pi^\pm$ <sup>4</sup>He reaction channels have been separated by means of two approaches:

- $\pi^\pm + {}^4\text{He} \rightarrow \pi^\pm + {}^4\text{He}$
- $\pi^\pm + {}^4\text{He} \rightarrow \pi^\pm + {}^4\text{He} + \gamma$
- $\pi^\pm + {}^4\text{He} \rightarrow \pi^\pm + {}^3\text{He} + n$
- $\pi^+ + {}^4\text{He} \rightarrow 3p + n$

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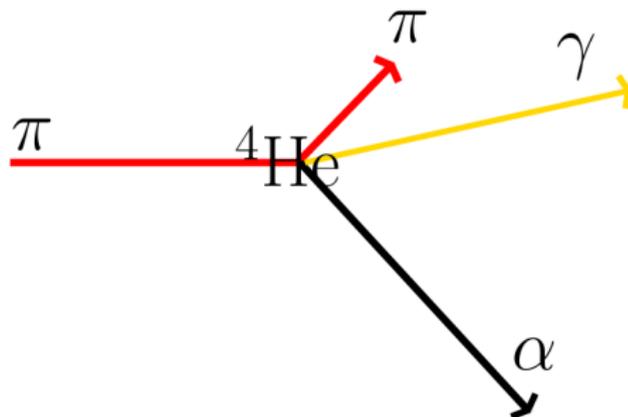
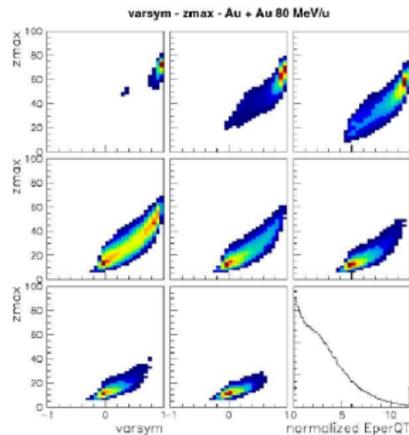
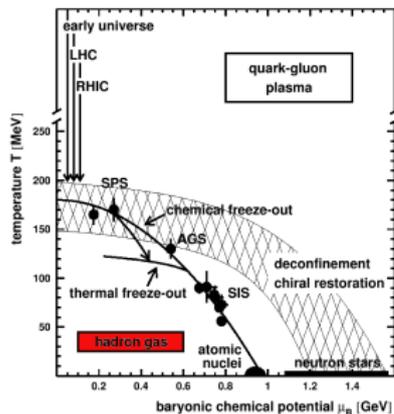
by using  
 classical parameters  
 for PID: (ionization power)

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- $\pi^{\pm} + {}^4\text{He} \rightarrow \pi^{\pm} + {}^4\text{He} + \gamma$
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by using  
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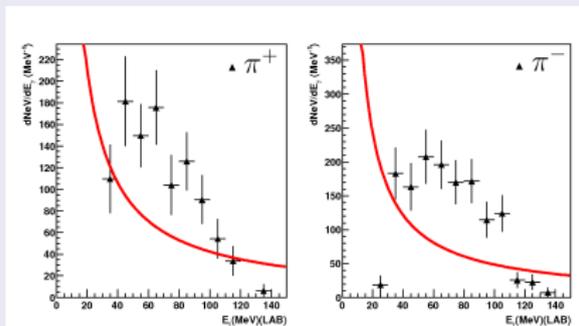
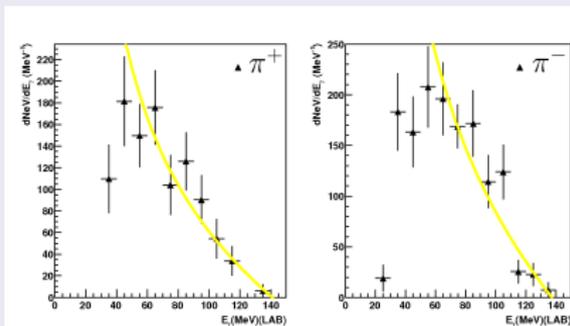
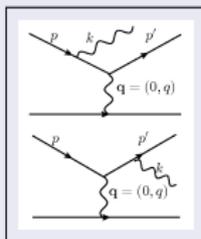
by  
non-linear multidimensional cuts  
performed by an  
Artificial Neural Network

High Energy  $\gamma$ s

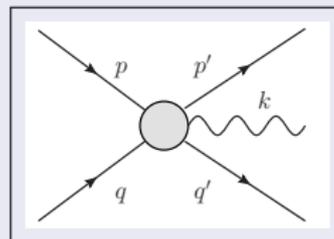
Branching ratios for 2-prong  $\pi^{\pm 4}\text{He}$  reaction channels at 106 MeV:

	Channel	BR, $\pi^-$	BR, $\pi^+$
1.	$\pi^{\pm 4}\text{He}$	$0.76 \pm 0.05$	$0.51 \pm 0.05$
2.	$\pi^{\pm 4}\text{He}\gamma$	$0.11 \pm 0.04$	$0.05 \pm 0.03$
3.	$\pi^{\pm}n^3\text{He}$	$0.13 \pm 0.03$	$0.44 \pm 0.04$

# The External and Internal Bremsstrahlung hypotheses have been tested both for $\pi^\pm$ :

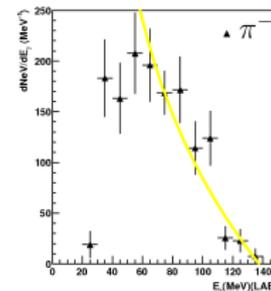
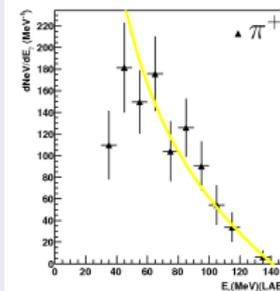
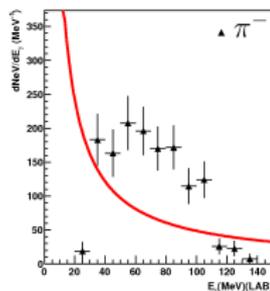
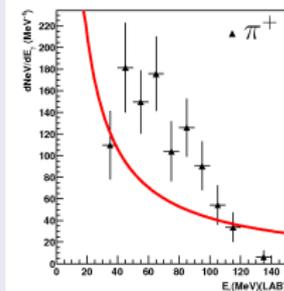
 $\chi^2/\text{ndf} \sim 11$  $\chi^2/\text{ndf} \sim 7$  $\chi^2/\text{ndf} \sim 5-10$ 

Landau, QED, vol.4



F.E.Low, Phys.Rev.110(4),1958

The **bremsstrahlung radiation** cannot explain the BR of  $\gamma$  emission:  
a **factor 10-30** from theory is observed



BR radiative / elastic	
$\pi^+p \rightarrow \pi^+p\gamma$	$\pi^+{}^4\text{He} \rightarrow \pi^+{}^4\text{He}\gamma$
0.0185 [38], [39]	$\sim 0.1$
BR proton/ ${}^4\text{He}$ comparison	
0.185	
BR proton/ ${}^4\text{He}$ expectation	
$\left(\frac{Z_\alpha}{Z_p}\right)^3 \left(\frac{M_p}{M_\alpha}\right)^2$ (att.field)	1.73
$\left(\frac{Z_\alpha}{Z_p}\right)^3 \left(\frac{M_p}{M_\alpha}\right)^3$ (rep.field)	6.48

The radiative  $\Delta$  decay

$$\Delta \rightarrow N\gamma:$$

has low BR :  $5 \cdot 10^{-3}$ .

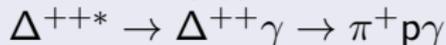
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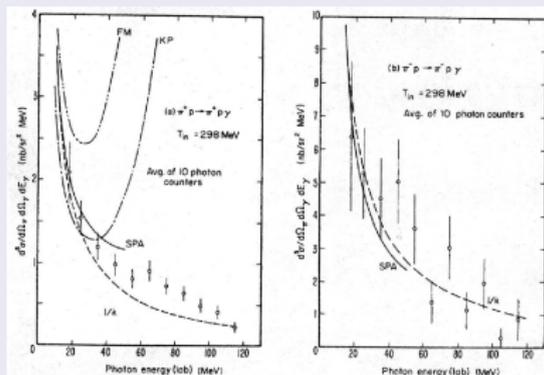
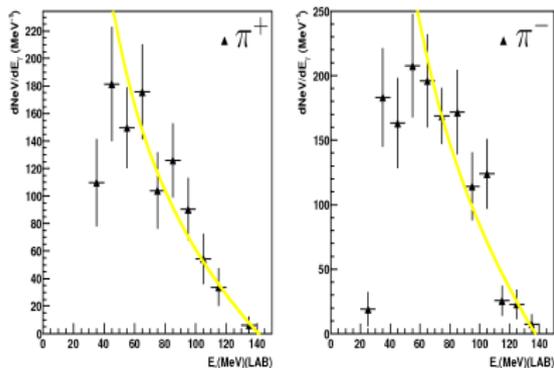
The  $\Delta^{++}$  magnetic dipole moment

$\mu(\Delta^{++} = 2\mu(p))$  de-excitation,



should give a peak at

$\omega \sim 80-100$  MeV



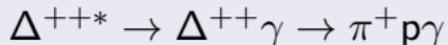
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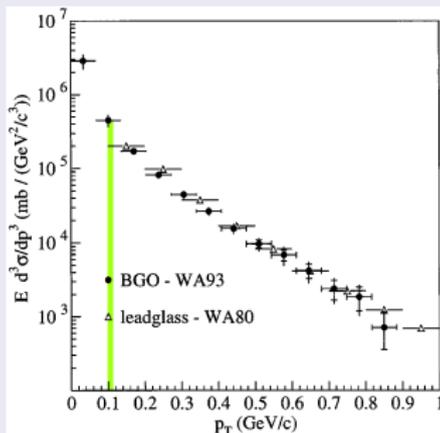
The  $\Delta^{++}$  magnetic dipole moment

$\mu(\Delta^{++} = 2\mu(p))$  de-excitation,



should give a peak at

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The same background  
of  $\pi$  and  $\gamma$   
is observed at  $T < 100$  MeV  
in RHIC collisions

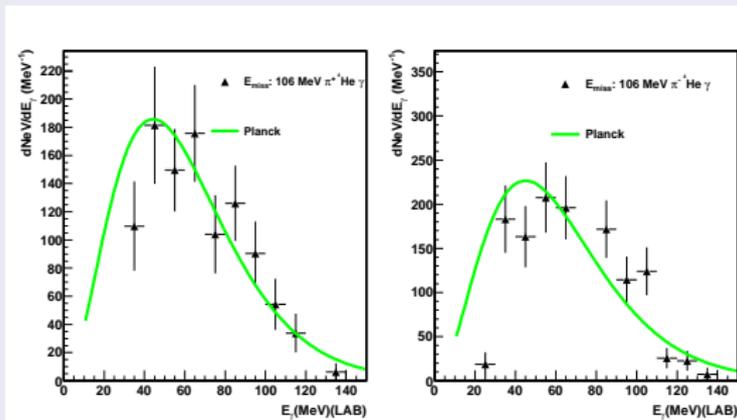
The  $\gamma$ s energy distribution shows a **Planck thermal behaviour**:

$$\frac{dI}{dE} \propto E^3 e^{-E/T}$$

with  **$T=16.0 \pm 1$  MeV**

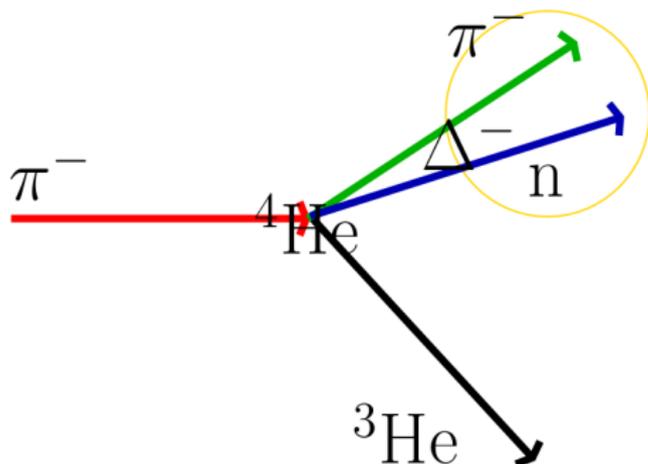
$$T_{\pi^+} = 16.0 \pm 0.9 \text{ MeV}$$

$$T_{\pi^-} = 15.9 \pm 0.6 \text{ MeV}$$



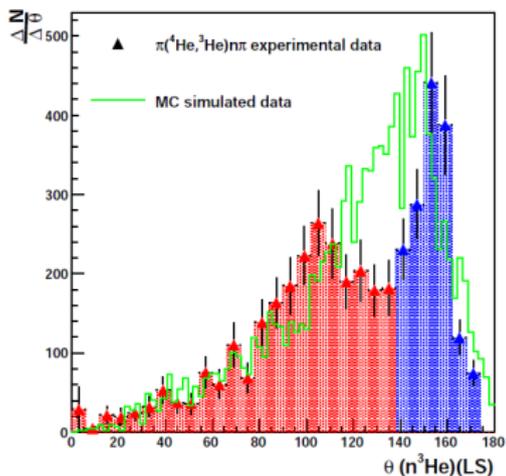
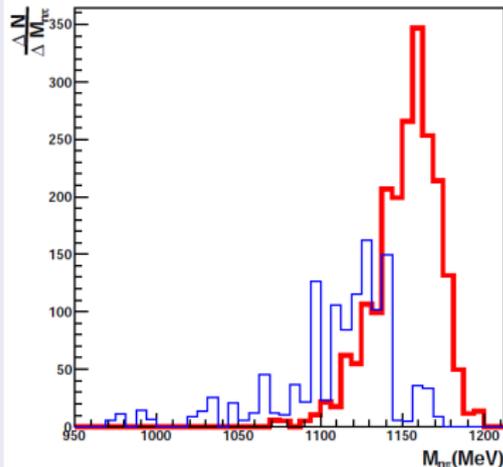
... explains high energy  $\gamma$ s with **no  $^4\text{He}$  break-up**  
and **isotropic** cross section.

# Resonances in the nuclear medium

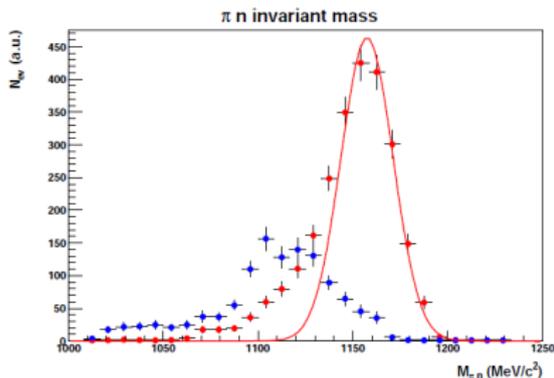


**first experimental  
 $\Delta^-$  observation  
 in  $\pi^- n {}^3\text{He}$  knockout  
 reaction:  
 signatures for a  
 collective resonance**

we observed  $\Delta^-$  resonance  
 in  $\pi^- n^3\text{He}$  reactions  
 for the events at **intermediate**  $\theta_{n\text{He}}$  opening angles

(a) -  $n^3\text{He}$  opening angle vs  $\theta$  ( $n^3\text{He}$ )(LS)(d) -  $M_{\text{ntc}}$ 

## Features of $\Delta^-$ in $n^3\text{He}$ reaction:



$$\frac{\partial p}{\partial M_{\Delta}} = \frac{\sqrt{2}}{\sqrt{\pi}\sigma\Gamma} \exp\left\{-\frac{1}{2\sigma^2}[(\Gamma/2)^2 + (M_{\Delta} - M_{\Delta}^0)^2]\right\}.$$

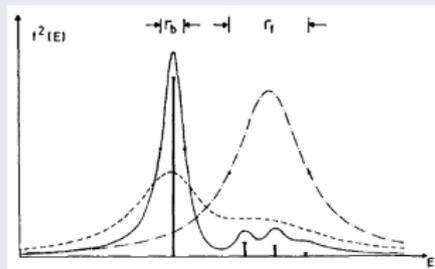
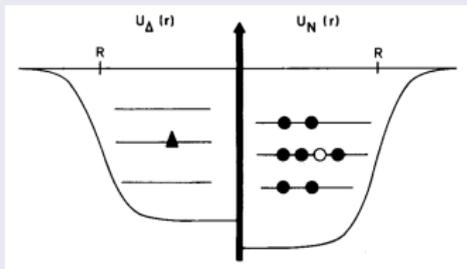
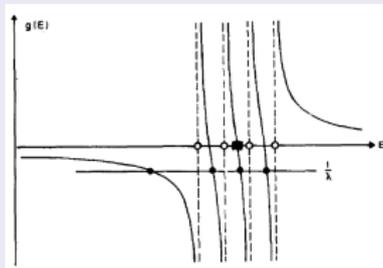
$$\begin{cases} M_{\Delta} = (1157 \pm 1) \text{ MeV}/c^2 \\ \Gamma(\Delta) = (38 \pm 2) \text{ MeV}/c^2 \\ \sigma = 14 \text{ MeV}/c^2 \end{cases}$$

$$\begin{cases} \Delta M_{\Delta} = (1232 - 1157) \text{ MeV}/c^2 = 75 \text{ MeV}/c^2 \\ \Delta\Gamma = (110 - 38) \text{ MeV}/c^2 = 72 \text{ MeV}/c^2 \end{cases}$$

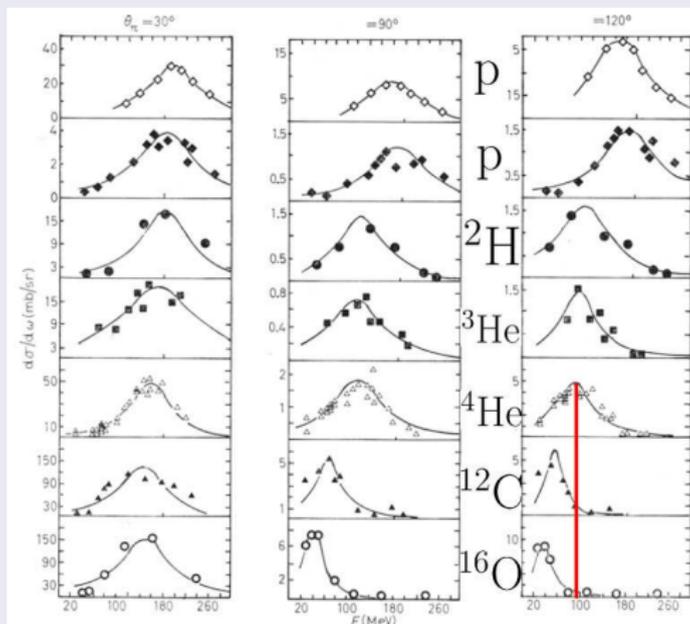
at high **3-mom** and low  **$q^2$** :  
the whole nucleus involved.

In 1974 Dillig and Huber [Phys.Lett.B 48, 5 (1974) 419], argued on the existence of a **collective giant (3,3) resonance**

The residual  $\Delta N$  interaction could give rise to a **collective state** with **energy shift** and **width narrowing**



... the **backscattering** kinematics reveals  
 the **energy shift** and  
 the **width narrowing**



[N.Cim.A 55 n.3 (1980) 273]

The **interacting nucleons** can modify the **excitation energy** and the **width** by introducing **binding energy**

$$E_{exc} = E_{exc}^{free} - \mathcal{B}_N[\mathcal{N}_N(A) - \mathcal{N}_N(1)],$$

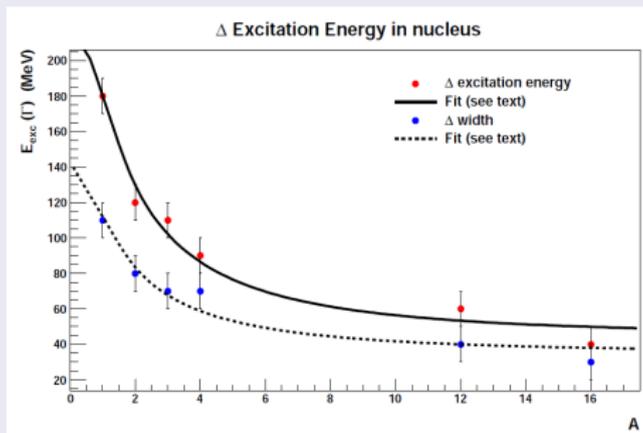
$$\Gamma = \Gamma^{free} - \frac{d\Gamma}{d\mathcal{N}_N}[\mathcal{N}_N(A) - \mathcal{N}_N(1)]$$

by weighting the **interacting nucleons** with a **Yukawa-like** pdf

$$P(r) = \frac{e^{-r/\lambda}}{r}$$

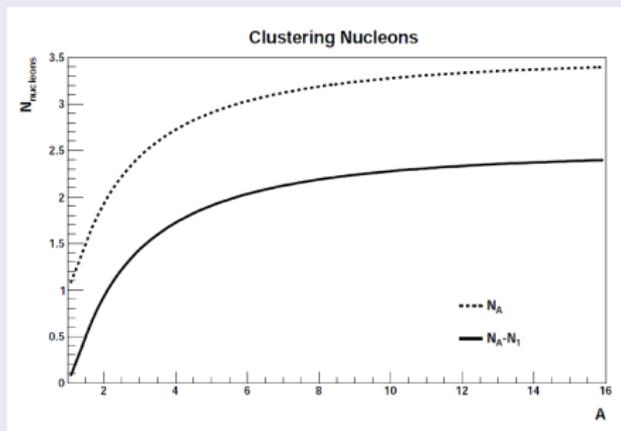
$$\mathcal{N}_N(A) = \begin{cases} A & R(A) < \delta \\ \frac{\int_0^\delta V(\delta) \frac{dN_N(r)}{dr} dr + \int_\delta^{R(A)} V(r) \frac{dN_N(r)}{dr} dr}{V(\delta)} & R(A) \geq \delta \end{cases}$$

The **empirical model** is in **good agreement** with data on several nuclei:  $p$ ,  $d$ ,  $T$ ,  ${}^3\text{He}$ ,  ${}^4\text{He}$ ,  ${}^{12}\text{C}$ ,  ${}^{16}\text{O}$   
(data extracted from N.Cim. 55A n.3 (1980), 273)

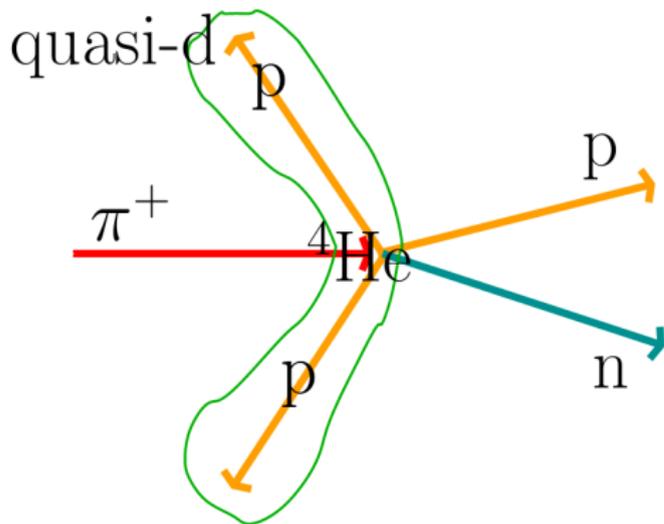


Mesonic Probe	Nucleus	$E_{exc}$	$\Delta E_{exc}$ (MeV)	$\Gamma$ (MeV)	$\Delta\Gamma$ (MeV)
$\pi^-$	p	180	10	110	10
$\pi^+$	p	180	10	110	10
$\pi^\pm$	${}^2\text{H}$	120	10	80	10
$\pi^-$	${}^3\text{He}$	110	10	70	10
$\pi^\pm$	${}^4\text{He}$	90	10	70	10
$\pi^\pm$	${}^{12}\text{C}$	60	10	40	10
$\pi^+$	${}^{16}\text{O}$	40	10	30	10

The **collective  $\Delta$**  seems to be  
 **$\pi 3N$ - $\pi 4N$**  system  
 with **strong contributions** from the **additional nucleons**



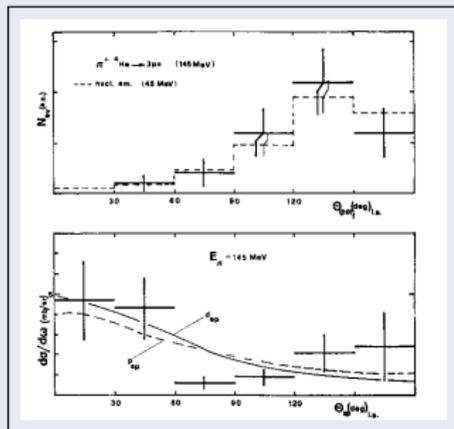
Binding energy per additional nucleon:  $E_B = (53.3 \pm 13.4)$  MeV  
 Contribution to width  $\Gamma$  per add. nucleon:  $\frac{d\Gamma}{dN} = (30.8 \pm 4.2)$  MeV/ $c^2$   
 Life increase per additional nucleon:  $\frac{d\tau}{dN} \simeq 1.64 \cdot 10^{-24}$  s



**The  $\pi^{+4}\text{He} \rightarrow 3\text{pn}$   
absorption channel**

The **abs** on a **q-deuteron** (QDA) is well established from the 70s by experimental evidences at PSI, TRIUMF, LAMPF.

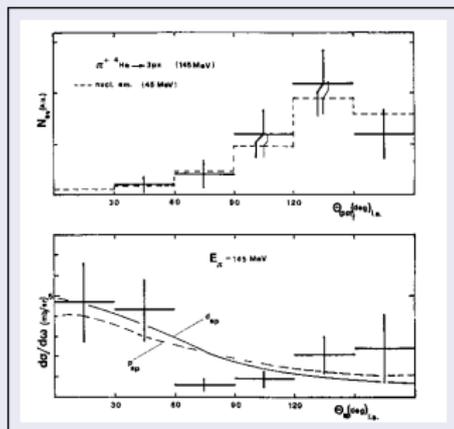
## QDA on ${}^4\text{He}$



Nucl.Phys.A 340,(1980),372

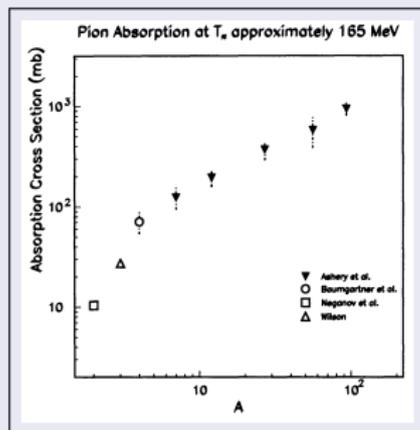
The **abs on more than 2 nucleons** are evident from the 80s in several experimental observations

### QDA on ${}^4\text{He}$



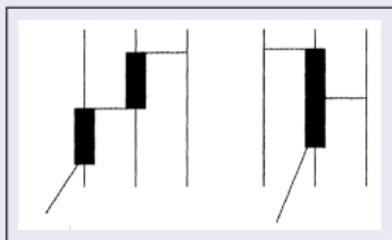
Nucl.Phys.A 340,(1980),372

### $\sigma_{abs}^{tot}$ vs nucleus



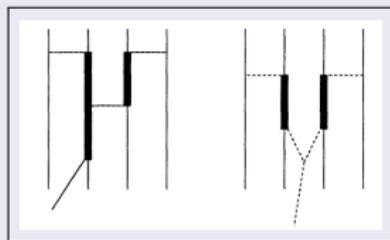
- $\sigma^{3\text{He}}/\sigma_H \sim 2$  (exp. 1.5 if **QDA**)
- $\sigma^{4\text{He}}/\sigma_H \sim 8$  (exp. 4 if **QDA**)
- for  $A > 4$   $\sigma \propto A^{2/3}$  (black disk)

Theoretical models were developed to introduce **multinucleon pion absorption** mainly via  $\Delta\text{N}$  and  $\Delta\Delta$  intermediate states



Nucl.Phys.A,448,(1986),597.

3 nucleons absorption (3NA)  
by sequential  $\Delta\text{N}$  excitation



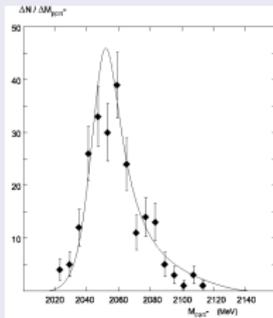
Phys.LettB,118,(1982),39.

3 nucleons absorption (3NA)  
by coherent  $\Delta\Delta$  excitation

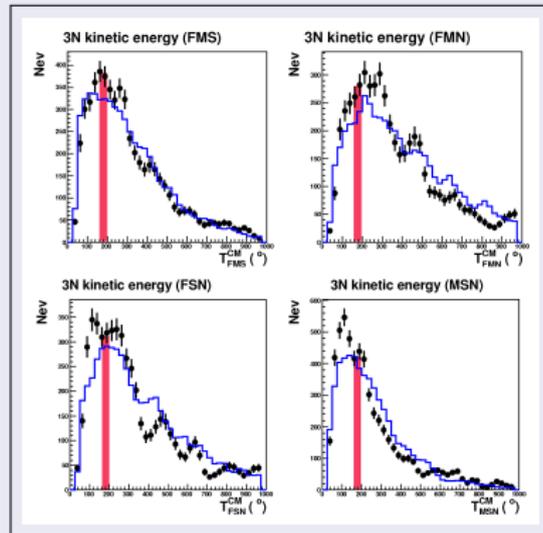
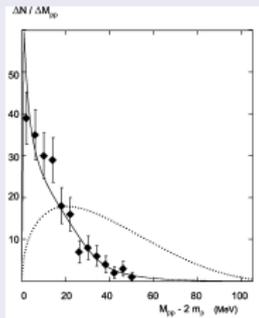
None of the models were able to explain the observations:

- several mechanisms involved
- most probably also Final and Initial State Interaction Effects
  - Collective Resonance

# The excitation of the dibarionic $d'$ ( $\pi\text{NN}$ ) in the $3\text{NA}$



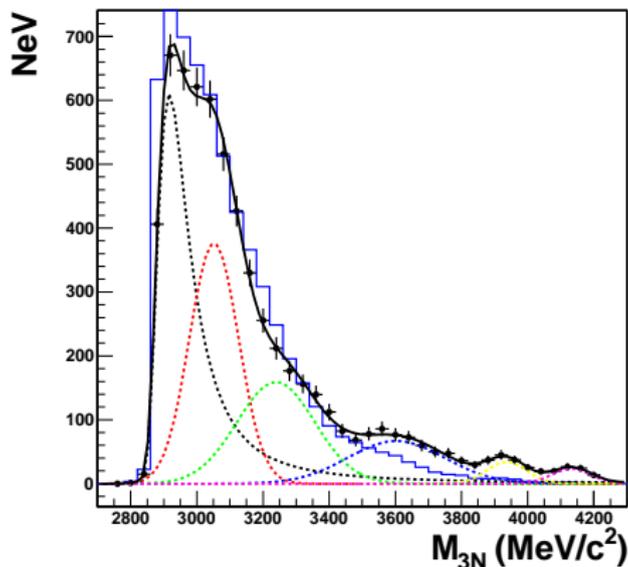
EPJA 28,1117(2006)



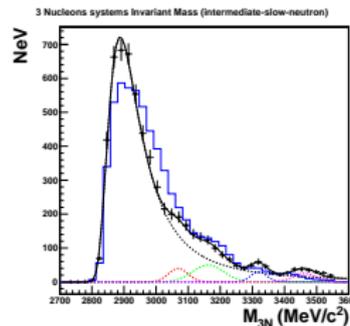
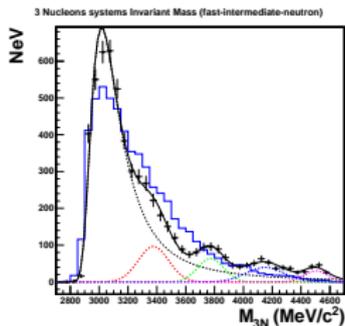
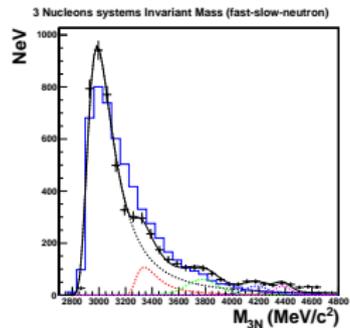
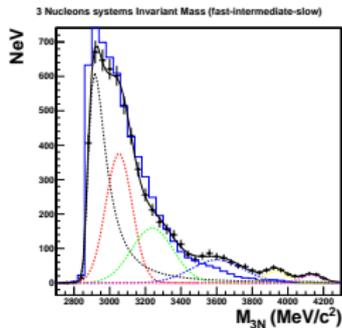
The  $\pi\text{NNN} \rightarrow d'\text{N} \rightarrow \text{NNN}$  is expected to occur with a **190 MeV** energy release.

### 3-Nucleon Invariant Mass spectra $M_{NNN}$

3 Nucleons systems Invariant Mass (fast-intermediate-slow)



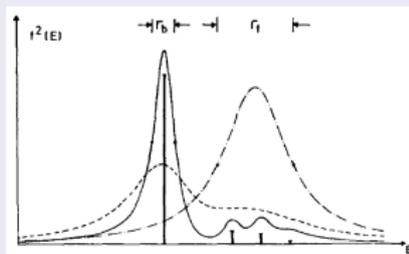
... reveal clear structures ...



... that have been fitted to identify **mass** and **width** of peaks.

The observed peaks have **common values** for all the 3N systems

State	FMS		FMN		FSN		MSN	
	M	$\Delta M$						
0	2923	$\pm 30$	-	-	-	-	2895	$\pm 32$
1	3052	$\pm 74$	3031	$\pm 64$	3000	$\pm 60$	3069	$\pm 30$
2	-	-	-	-	-	-	3162	$\pm 48$
3	3239	$\pm 118$	3377	$\pm 105$	3350	$\pm 50$	3320	$\pm 25$
4	-	-	-	-	-	-	3462	$\pm 35$
5	3603	$\pm 46$	3773	$\pm 90$	3775	$\pm 120$	-	-
6	3936	$\pm 60$	-	-	-	-	-	-
7	4132	$\pm 58$	4151	$\pm 132$	4180	$\pm 90$	-	-
8	-	-	-	-	4380	$\pm 60$	-	-
9	-	-	4503	$\pm 80$	-	-	-	-



... the less energetic 3N system allows the observation of a finer structure.

# Summary

## PAINUC collaboration: Recent results and Future programs

- study of  $\alpha$  at the hadron-gas state transition:
  - evidence for a  $\pi^\pm + {}^4\text{He} \rightarrow \pi^\pm + {}^4\text{He} + \gamma$  reaction
    - ▶ Nuovo Cimento B (2007)
    - ▶ JPPNP 61 n.1 (2008) 308

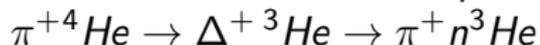
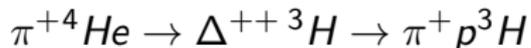
$$\frac{dI}{dE} \propto E^3 e^{-E/T}$$

with  $T=16\pm 1$  MeV

## PAINUC collaboration: Recent results and Future programs

- studies of **collective resonances** in the nuclear medium:
  - **first experimental evidence** for  $\Delta^-$  in  $\pi^- + {}^4\text{He} \rightarrow \pi^- + {}^3\text{He} + n$  reaction
    - ▶ Eur. Phys. J. A 34, 255-269 (2007)
  - a first **empirical model** for the collective  $\Delta$  is proposed which suggest the **resonance involves** from **3 to 4 nucleons**

other resonant channels under study:



## PAINUC collaboration: Recent results and Future programs

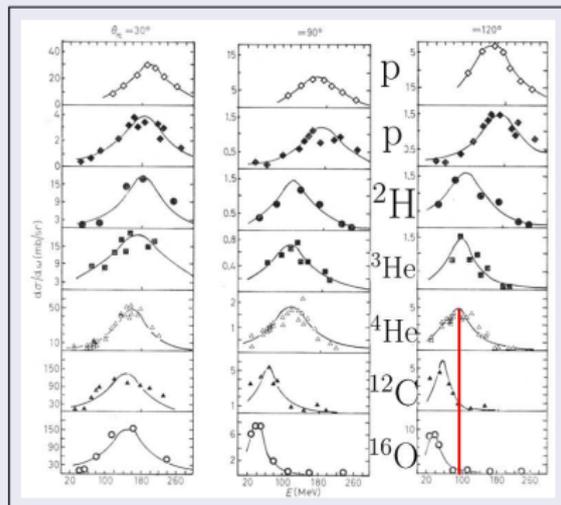
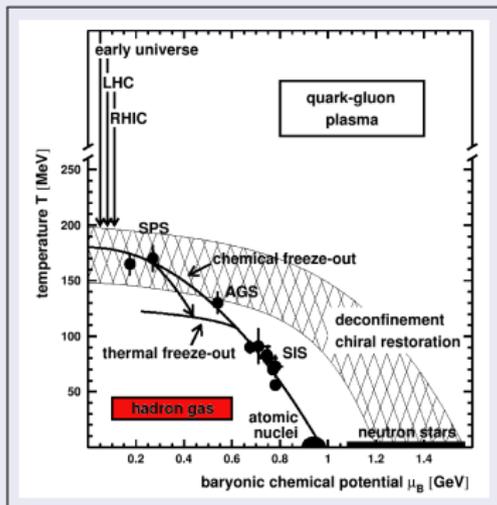
- studies of  $\pi$  absorption mechanisms:
  - the absorption in  $\pi^+{}^4\text{He} \rightarrow \pi^+{}^3\text{pn}$ 
    - ▶ occurs at  $\sim 14\%$  on a 3 body system
    - ▶ and  $\sim 56\%$  on a 2 body system + effects or 3 body system
  - resonant peaks in 3-body invariant mass distributions
    - ▶ could be the collective resonance mass eigenstates
    - ▶ would suggest 3N abs via a intermediate collective state

possible signatures also for

- absorption via intermediate dibarionic state:  $d'N \rightarrow 3N$  absorption
  - 4 nucleons absorptions
- structures in 3N invariant mass systems: collective resonance

# Backup

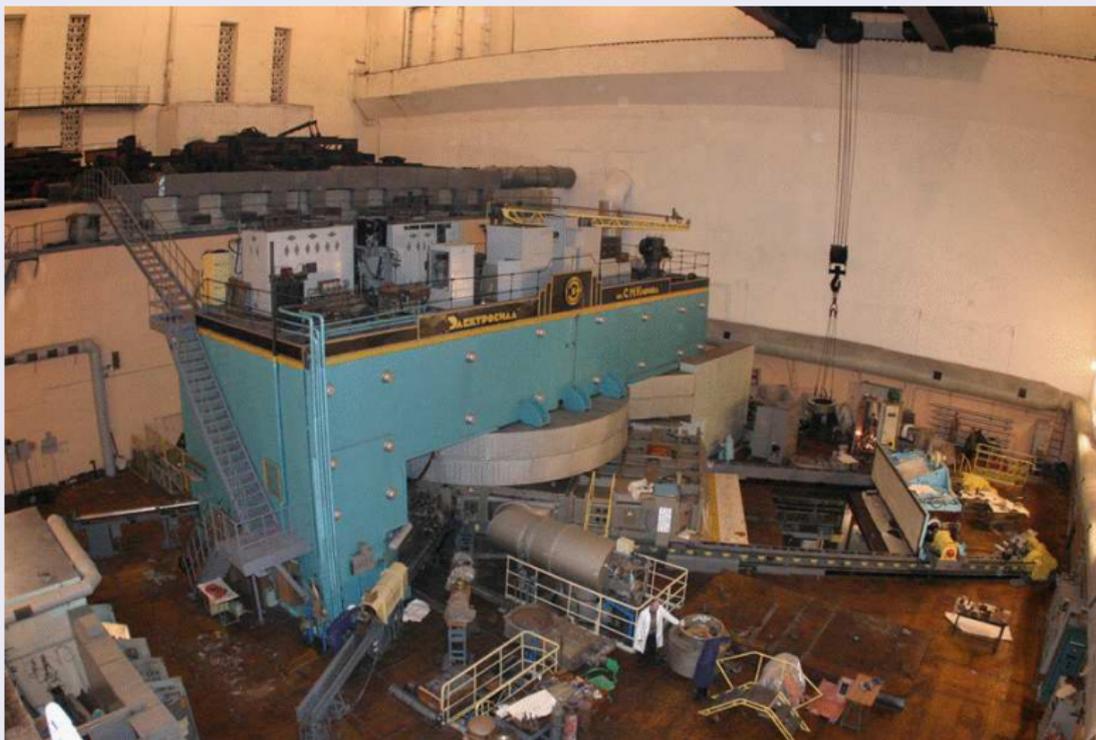
# Present data on $\pi^{\pm}{}^4\text{He}$ at $T_{\pi} = 106$ MeV: at **Fermi-gas transition** and **max $\Delta$ excit.** on ${}^4\text{He}$



**No observables** available for **light nuclei** at Fermi-gas transition phase.

Investigation of  $\Delta$  modifications in **intermediate temperature nuclear medium**

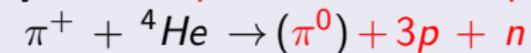
# The Phasotron



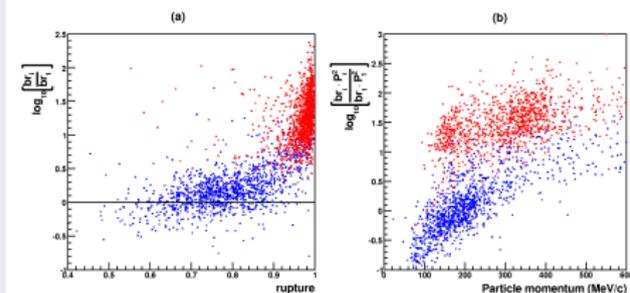
# The Pion Line



Mass indicators identify **Break-Up**, **SCX** and **Absorption** reaction channels:



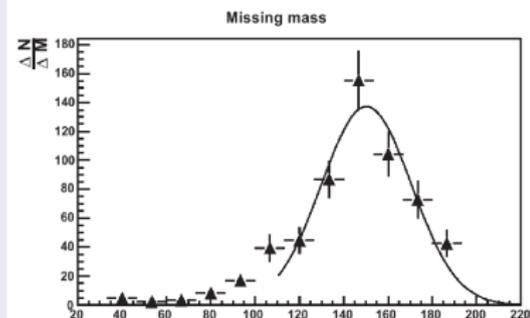
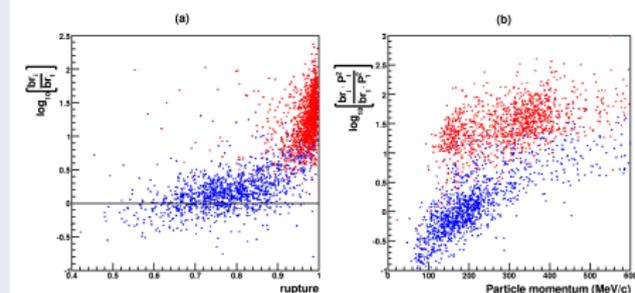
$$\left\{ \begin{array}{l} \text{SCX} \Rightarrow M_{\frac{\text{sec1}}{\text{inc}}} = \frac{br_{\text{proton}} p_{\text{proton}}^2}{br_{\pi \text{ inc}} p_{\pi \text{ inc}}^2} \simeq 50 \\ \text{breakup} \Rightarrow M_{\frac{\text{sec2}}{\text{sec1}}} = \frac{br_{\pi^+} p_{\pi^+}^2}{br_{\pi \text{ inc}} p_{\pi \text{ inc}}^2} \simeq 1, \end{array} \right.$$



Mass indicators identify **Break-Up**, **SCX** and **Absorption** reaction channels:



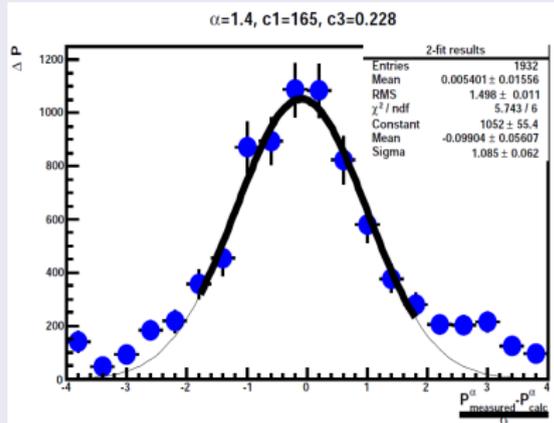
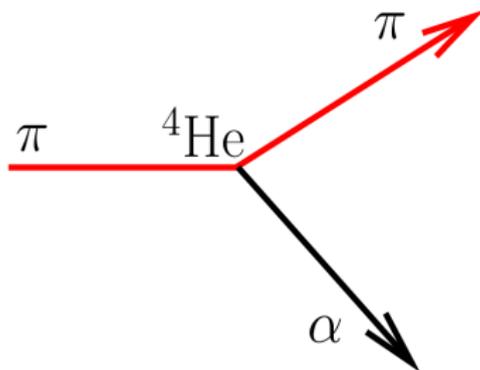
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For **diffusion cloud chamber**  
Blackett found:

$$\left(\frac{\delta p}{p}\right)_{stat} \propto \frac{p^2}{L^2}$$

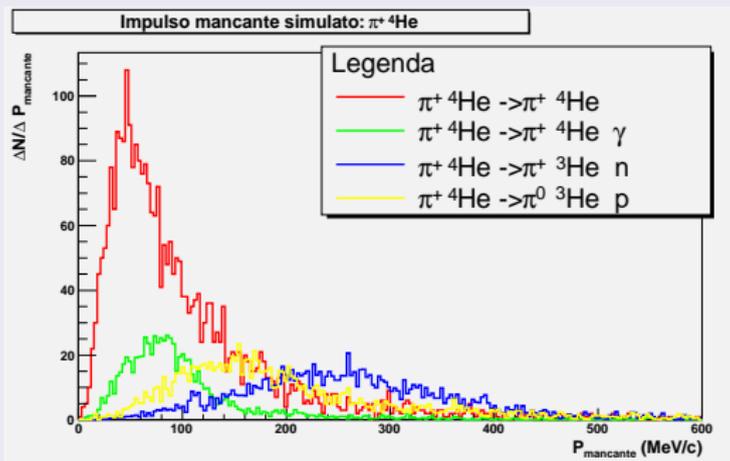
$$\delta k \propto \frac{1}{L^2}$$



$$\begin{cases} \sigma_{\pi} = C_{\pi} \left(\frac{p}{l}\right)^{\lambda} = \sqrt{165} \left(\frac{p}{l}\right)^{1.4} \\ \sigma_{\alpha} = C_{\alpha} \left(\frac{p}{l}\right)^{\lambda} = \sqrt{0.228} \left(\frac{p}{l}\right)_{\alpha}^{1.4} \end{cases}$$

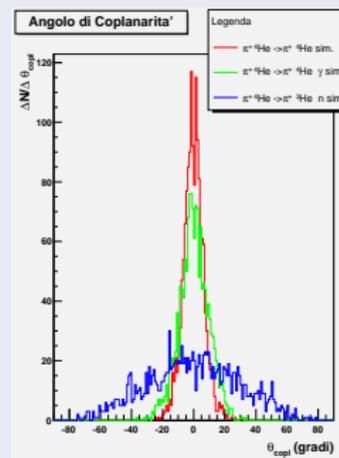
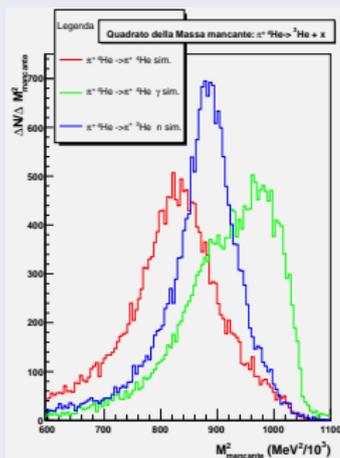
Several **kinematical parameter** were **investigated** to separate reaction channels:

- missing momentum
- missing mass
- coplanarity angle



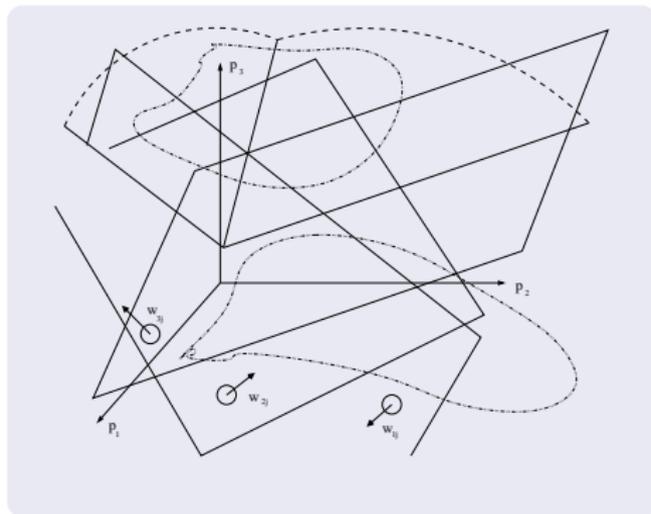
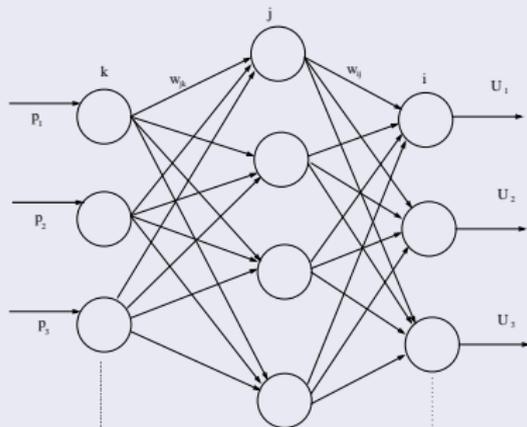
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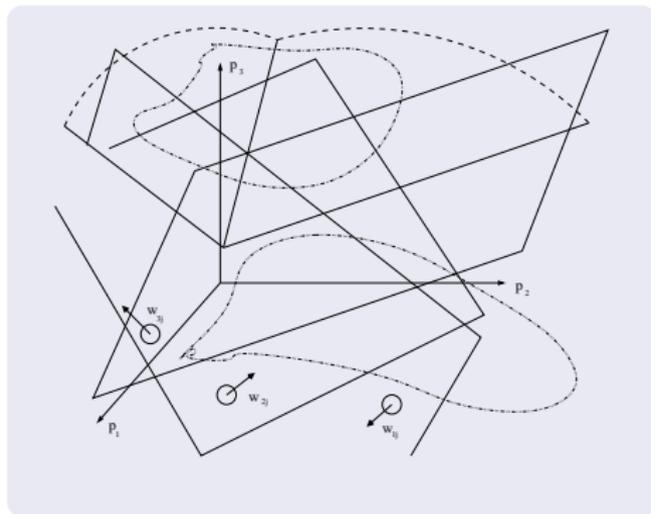
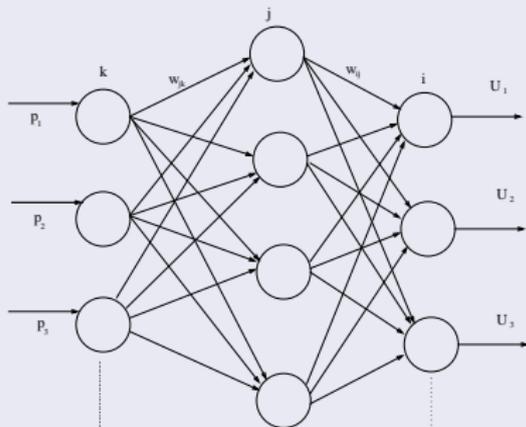
The ANN generates the **best surface** for **separating events** within the parameter space

$$U_i = f_a \left[ \frac{1}{T} \sum_j w_{ij} f_a \left( \frac{1}{T} \sum_k w_{jk} p_k + o_j \right) + o_i \right]$$



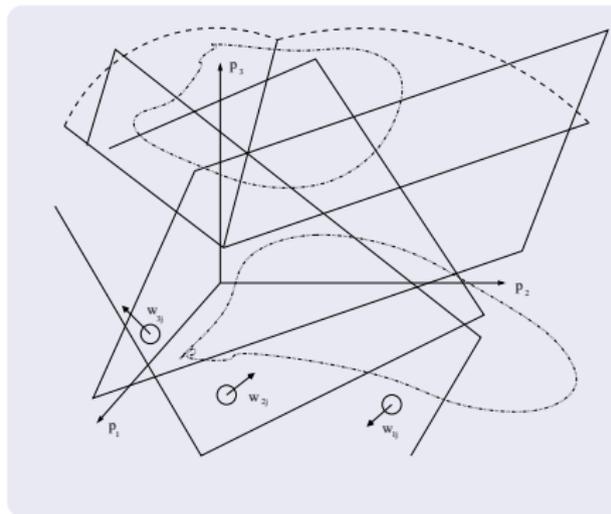
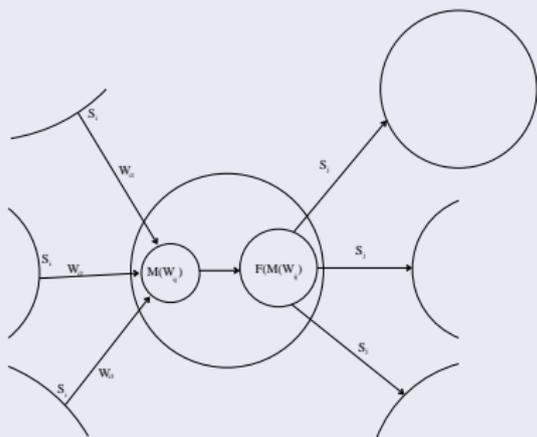
The **kinematical parameters** serve as input of the 4 **input neurons**

- $w_{ij}$  intra-neurons weight
- $p_k$  array of kinematical parameters



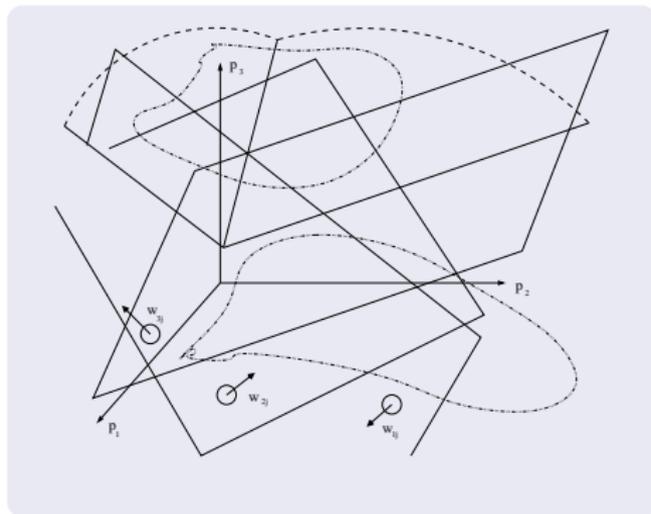
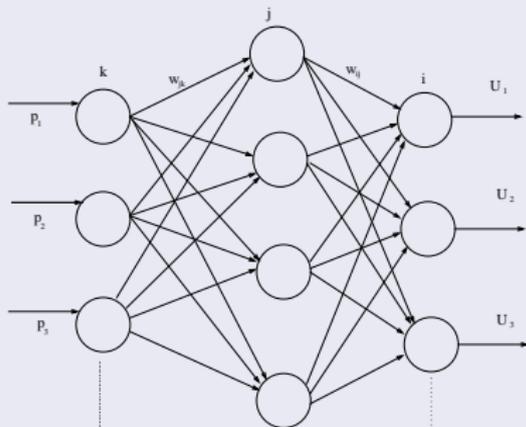
During the **training phase** a simulated population allows for **intra-neurons weight adjustment**

$$\Delta w_{ij} = \gamma \frac{\partial E}{\partial w_{ij}}.$$

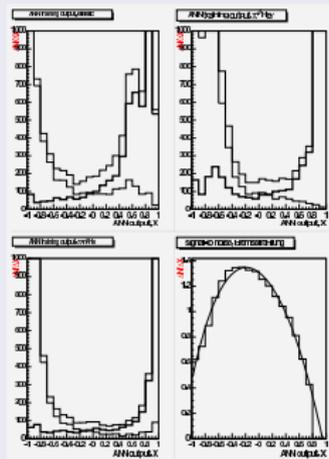
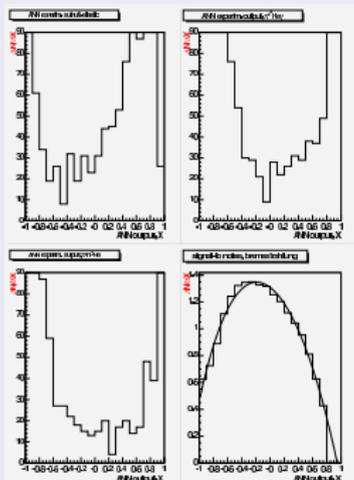


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The **results** is the **probability** for each event  
to **belong** to each channel



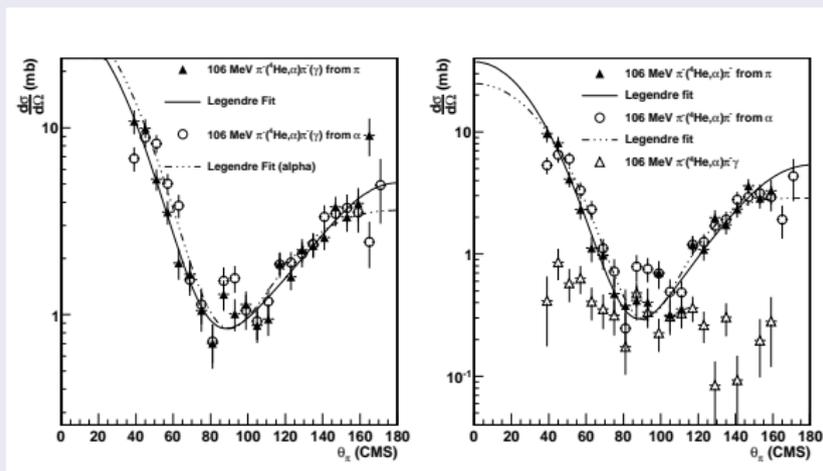


Comparison between present data at 106 MeV with previous at 120 MeV  
with diffusion chamber

The  $\gamma$ s were probably counted as  $\pi^+n^3\text{He}$  and  $\pi^0p^3\text{He}$   
Nucl. Phys. A340, (1980), 372

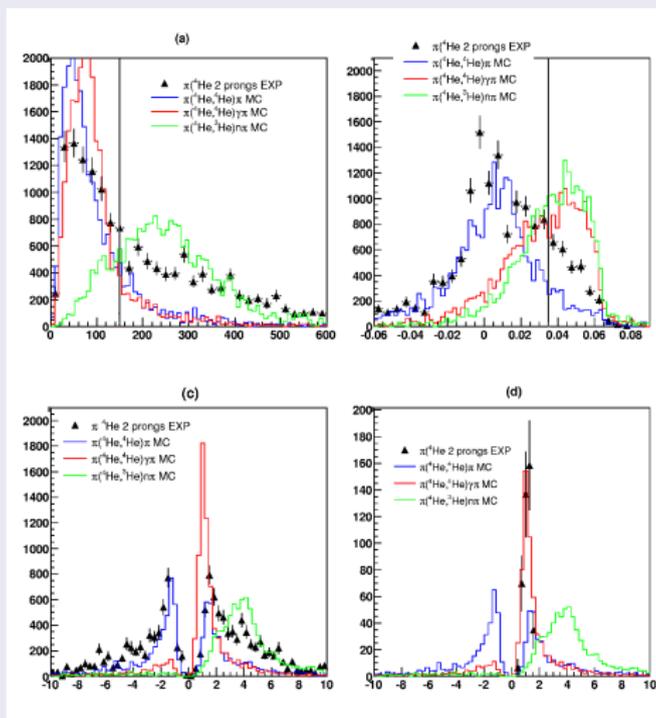
channel	1980:	2006:
	diff.ch.(15 atm) 120 MeV	str.ch.(1 atm) 106 MeV
1. $\pi^+{}^4\text{He}$	$0.59 \pm 0.08$	$0.35 \pm 0.04$
2. $\pi^+{}^4\text{He}\gamma$	—	$0.04 \pm 0.02$
3. $\pi^+n^3\text{He}$	$0.24 \pm 0.04$	$0.32 \pm 0.03$
4. $\pi^0p^3\text{He}$	$0.18 \pm 0.05$	$0.29 \pm 0.02$

After the **separation from elastic events**:

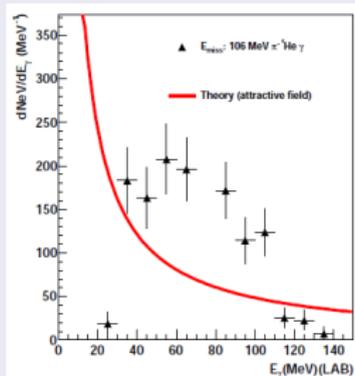


The radiative cross section doesn't show the typical optical behavior of the elastic channel.

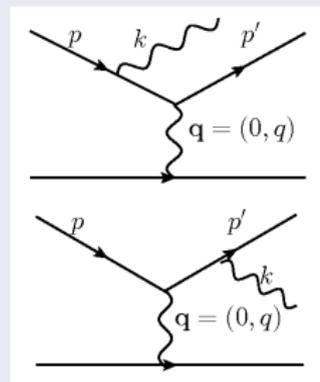
To check the  $\pi^4\text{He}\gamma$  events severe cuts were applied:



## The External Bremsstrahlung radiation for attractive field in $\pi^4\text{He}$ interaction:

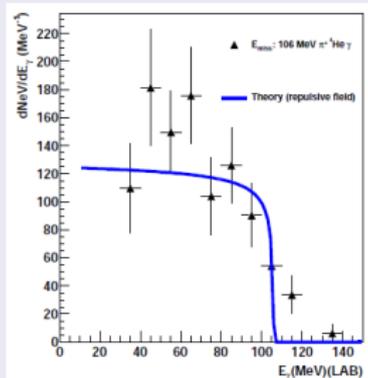


$$\chi^2/\text{ndf} \sim 7$$

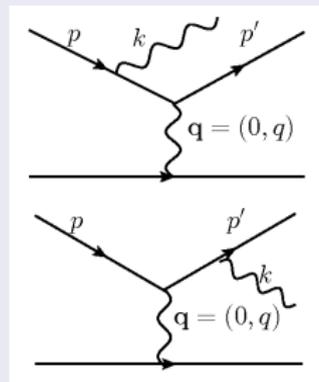


$$\frac{d\sigma}{d\omega} = \frac{64\pi}{3c} Z^3 \alpha^4 (\lambda_{\text{Compt}}^\pi)^2 \frac{1}{\beta^2} \frac{1}{\omega}$$

# The External Bremsstrahlung radiation for repulsive field in $\pi^4\text{He}$ interaction:

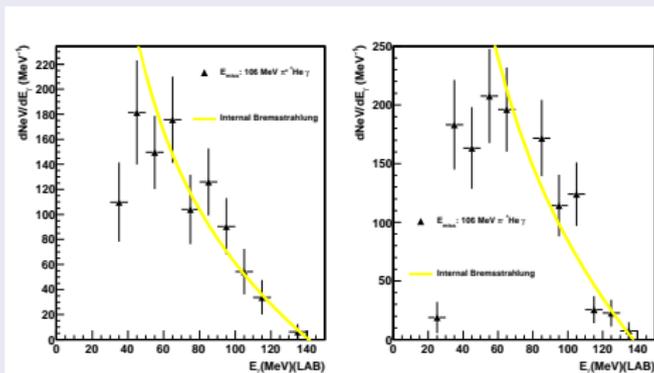
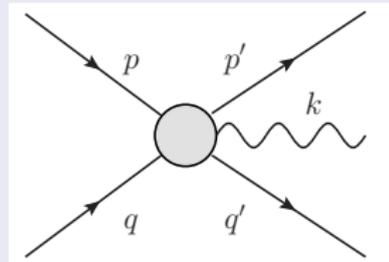


$$\chi^2/\text{ndf} \sim 3$$



$$\frac{d\sigma}{d\omega} = \frac{128\pi}{3c} Z^3 \alpha^4 (\lambda_{\text{Compt}}^\pi)^3 \frac{1}{\beta^4} \exp \left[ - \sqrt{\frac{2\pi^2 Z^2 \alpha^2 mc^2}{\hbar(\omega_0 - \omega)}} \right]$$

The **Internal Bremsstrahlung radiation**:  
 according to Low theorem the amplitude can  
 be expanded in terms of  $\pi$  energy.

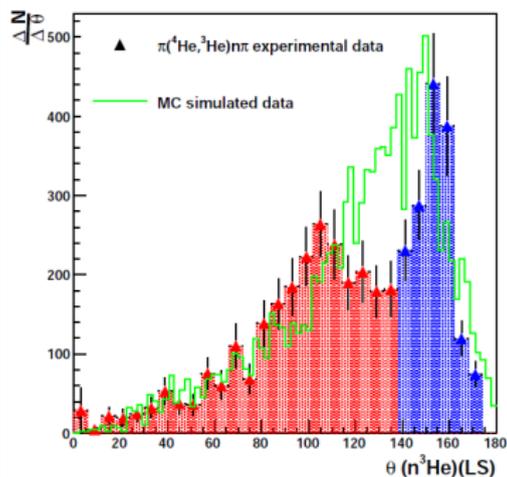


$$\chi^2/\text{ndf} \sim 5-10$$

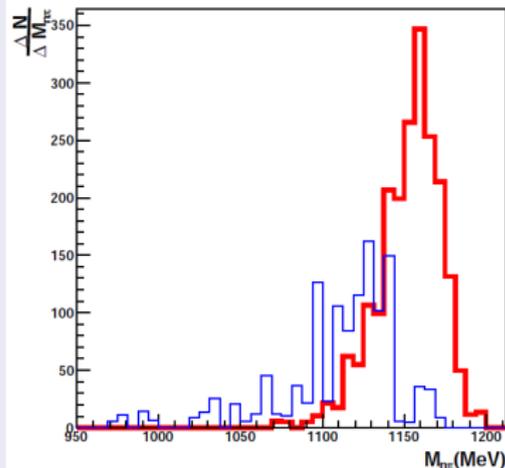
$$\sigma = \varphi \left[ \frac{|c_1|^2}{\omega} + (c_1^* c_2 + c_1 c_2^*) + (c_2^* c_3 + c_2 c_3^*) \omega + \dots \right] = \frac{\sigma_0}{\omega} + \sigma_1 + \sigma_2 \omega + \dots$$

we observed  $\Delta^-$  resonance  
 in  $\pi^- n^3\text{He}$  reactions  
 for the events at **intermediate**  $\theta_{n\text{He}}$  opening angles

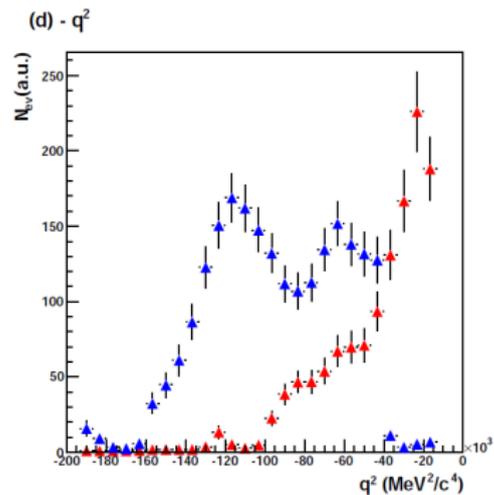
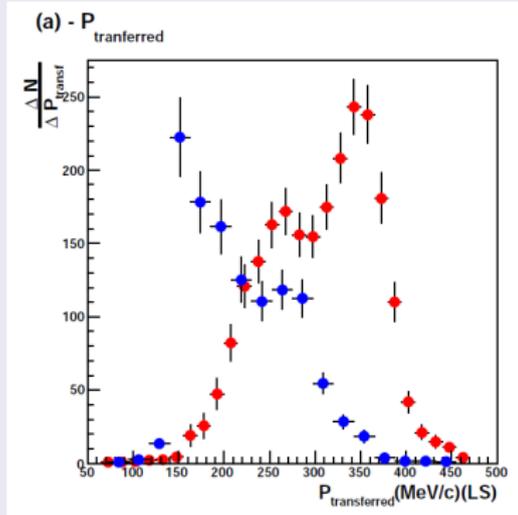
(a) -  $n^3\text{He}$  opening angle vs  $\theta$  ( $n^3\text{He}$ )(LS)



(d) -  $M_{\text{ntc}}$

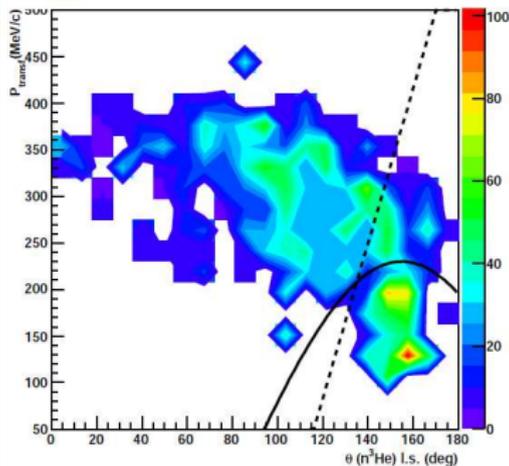


at **high 3-momentum** transfer and **low  $q^2$**   
 thus for quasi-elastic backscattered pions:  
 the whole nucleus is involved

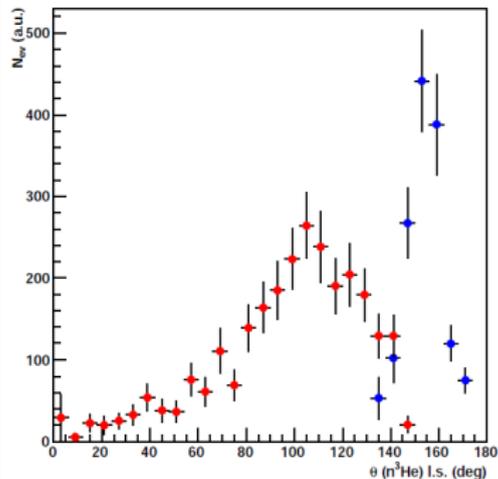


a **2D cut** on 3-momentum transfer and  $\theta_{nHe}$   
resolves the resonant  $\Delta^-$  process  
from the non-resonant events

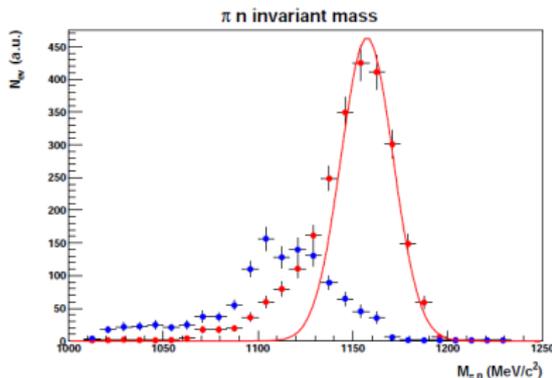
(b)  $P_{transf}$  vs  $\theta$  ( $n^3He$ ) - 2D cut



(a)  $\theta$  ( $n^3He$ ) Resonant and Nonresonant processes



## Features of $\Delta^-$ in $n^3\text{He}$ reaction:



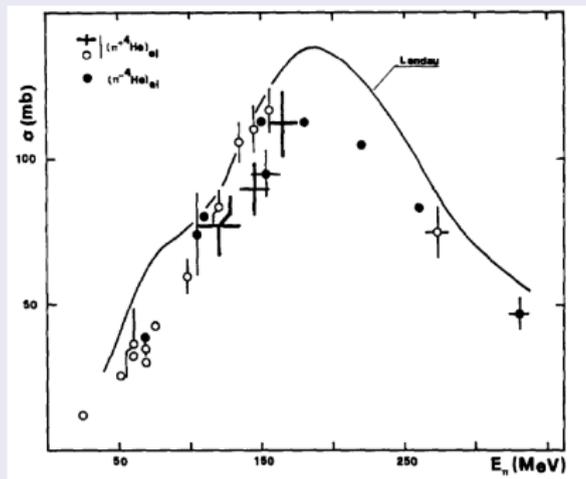
$$\frac{\partial p}{\partial M_{\Delta}} = \frac{\sqrt{2}}{\sqrt{\pi}\sigma\Gamma} \exp\left\{-\frac{1}{2\sigma^2}[(\Gamma/2)^2 + (M_{\Delta} - M_{\Delta}^0)^2]\right\}.$$

$$\begin{cases} M_{\Delta} = (1157 \pm 1) \text{ MeV}/c^2 \\ \Gamma(\Delta) = (38 \pm 2) \text{ MeV}/c^2 \\ \sigma = 14 \text{ MeV}/c^2 \end{cases}$$

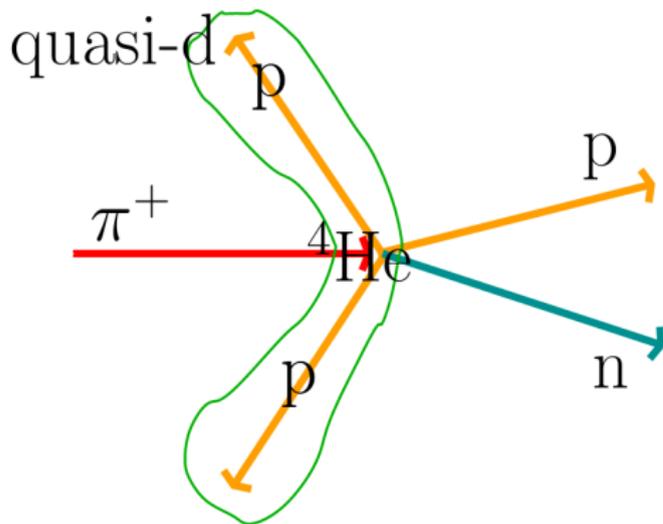
$$\begin{cases} \Delta M_{\Delta} = (1232 - 1157) \text{ MeV}/c^2 = 75 \text{ MeV}/c^2 \\ \Delta\Gamma = (110 - 38) \text{ MeV}/c^2 = 72 \text{ MeV}/c^2 \end{cases}$$

at high **3-mom** and low  **$q^2$** :  
the whole nucleus involved.

Previous measurements **on the full phase space**  
do **not show any energy shift**:  
the resonance is believed to undergo  
**multiscattering** and **Fermi motion broadening** effects.



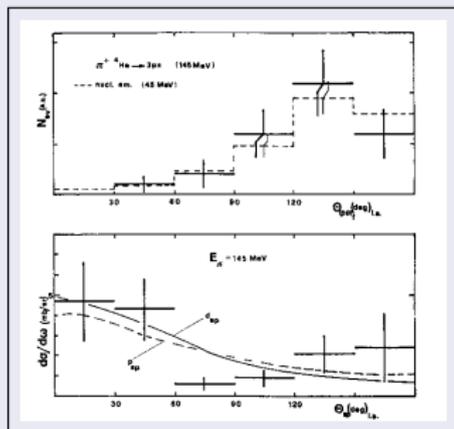
[Nu.Ph.A 340 (1980) 372]



**The  $\pi^{+4}\text{He} \rightarrow 3\text{pn}$   
absorption channel**

The **abs** on a **q-deuteron** (QDA) is well established from the 70s by experimental evidences at PSI, TRIUMF, LAMPF.

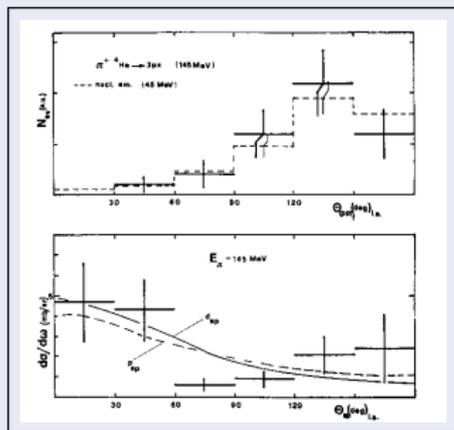
## QDA on ${}^4\text{He}$



Nucl.Phys.A 340,(1980),372

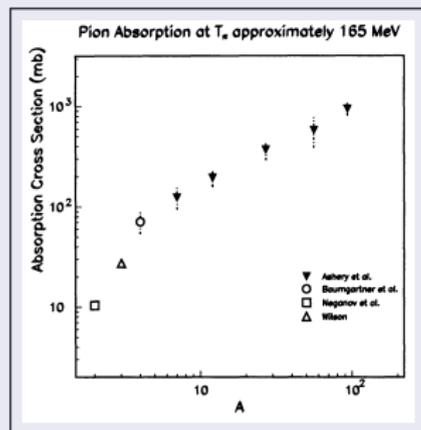
The **abs on more than 2 nucleons** are evident from the 80s in several experimental observations

## QDA on ${}^4\text{He}$



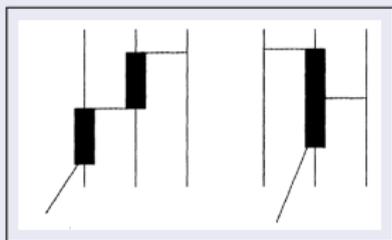
Nucl.Phys.A 340,(1980),372

## $\sigma_{\text{abs}}^{\text{tot}}$ vs nucleus



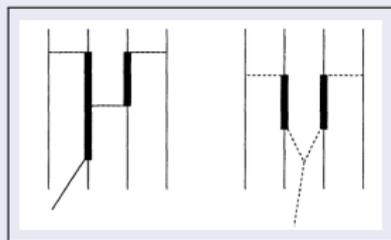
- $\sigma^{3\text{He}}/\sigma_H \sim 2$  (exp. 1.5 if **QDA**)
- $\sigma^{4\text{He}}/\sigma_H \sim 8$  (exp. 4 if **QDA**)
- for  $A > 4$   $\sigma \propto A^{2/3}$  (black disk)

Theoretical models were developed to introduce **multinucleon pion absorption** mainly via  $\Delta\text{N}$  and  $\Delta\Delta$  intermediate states



Nucl.Phys.A,448,(1986),597.

3 nucleons absorption (3NA)  
by sequential  $\Delta\text{N}$  excitation



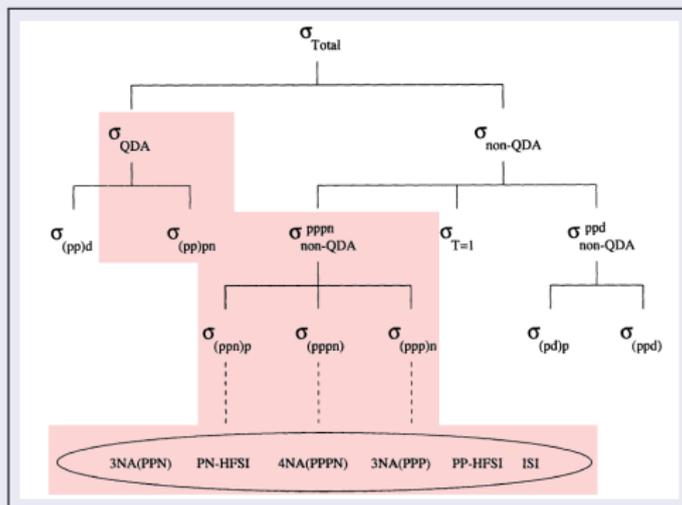
Phys.LettB,118,(1982),39.

3 nucleons absorption (3NA)  
by coherent  $\Delta\Delta$  excitation

None of the models were able to explain the observations:

- several mechanisms involved
- most probably also Final and Initial State Interaction Effects
  - Collective Resonance

The  $\pi$  absorption on  ${}^4\text{He}$ , with the  $\pi^{+4}\text{He} \rightarrow \text{pppn}$  channel is the sum of **several contributions**



... but SFSI, HSFSI and ISI can be present also in 3NA and 4NA together with  $\Delta\text{N}$ ,  $\Delta\Delta$ , collective and  $d'(\pi\text{NN})$  states

For this reason a **global fit** requires **high statistics** and **reliable models**.  
 The **IntraNuclearCascade MC**, used at LADS analysis  
 models the **3 and 4NA** as **2NA + effects**

### Multinucleons $\pi^+{}^4\text{He}$ Absorption (A.O. Mateos PHD Thesis (LADS))

Process	70 MeV	118 MeV	164 MeV	239 MeV
pure QDA	$19.6 \pm 2.8$	$25.5 \pm 1.8$	$22.9 \pm 2.0$	$9.8 \pm 0.7$
2NA+HFSI	$7.1 \pm 3.9$	$13.7 \pm 6.0$	$6.8 \pm 4.1$	$2.5 \pm 0.6$
pd/ppd	$4.9 \pm 0.8$	$6.8 \pm 0.5$	$6.5 \pm 0.6$	$2.4 \pm 0.2$
3NA/4NA	$2.4 \pm 2.0$	$3.8 \pm 3.3$	$9.3 \pm 2.4$	$9.2 \pm 0.8$
Total	$34.5 \pm 5.5$	$51.7 \pm 4.4$	$48.2 \pm 4.4$	$24.8 \pm 1.8$

>40% of ABS in  $\Delta$  region not clearly identified as **2NA+effects** or **3-4NA**.  
 The **4NA** seems a **phase space ABS**.

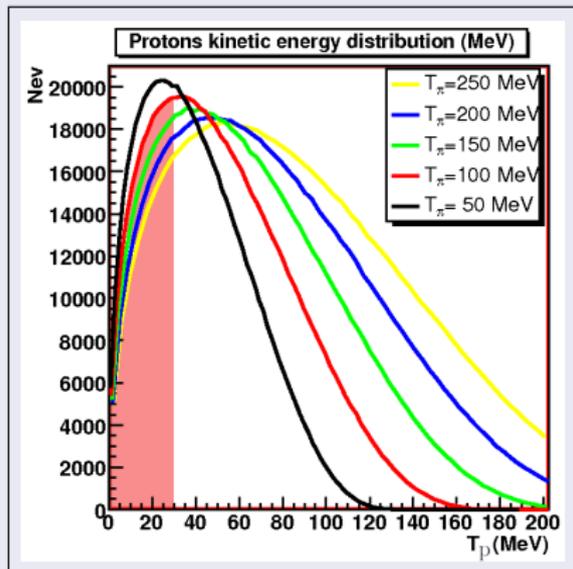
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 The **IntraNuclearCascade MC**, used at LADS analysis  
 models the **3 and 4NA** as **2NA + effects**

$^3\text{He}$ ,  $^4\text{He}$  3NA with  $T_p > 30$  MeV, Phys.Rev.C,55(6),(1997),2931

Pion Energy (MeV)	2NA+ISI	2NA+HFSI/3N-PS (L=0,1)
70	11±8 %	89±8 %
118	4±3 %	96±3 %
162	16±5 %	84±5 %
239	29±9 %	71±9 %
330	38±13 %	62±13 %

**Max 3NA ABS** at the maximum of **collective  $\Delta$**  excitation. However  
**2NA+effects** or **3-4NA** not clearly identified.

## Present data on absorption at $T_\pi = 106$ MeV

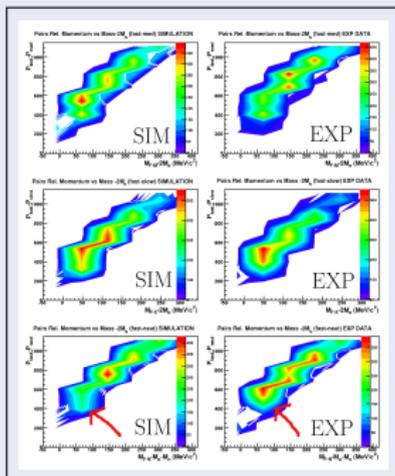


- Full kinematics at low energy:  $T_p < 30$  MeV at  $T_\pi \sim 100$  MeV is  $\sim 30\%$  of the phase space
- all 4 nucleons are measured
- low stat: no global fit
- study of strong deviations from PS allows to identify main active ABS mechanisms

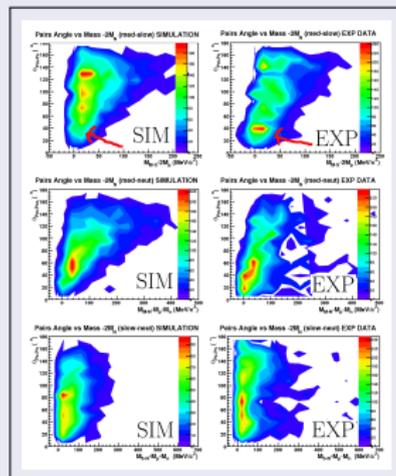
2-body correlations: kinematical distributions.

8 kin. pars. have been used to study **pppn** final states

2-body  $P_{rel}$  vs  $M_{NN}$



2-body  $\theta_{NN}$  vs  $M_{NN}$



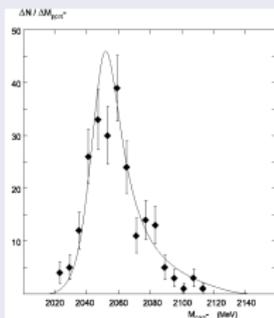
The use of 2 Dim kinematical distributions allows a more reliable identifications of **ISI**, **SFSI** and **HFSI**

## 2-body correlations: summary table

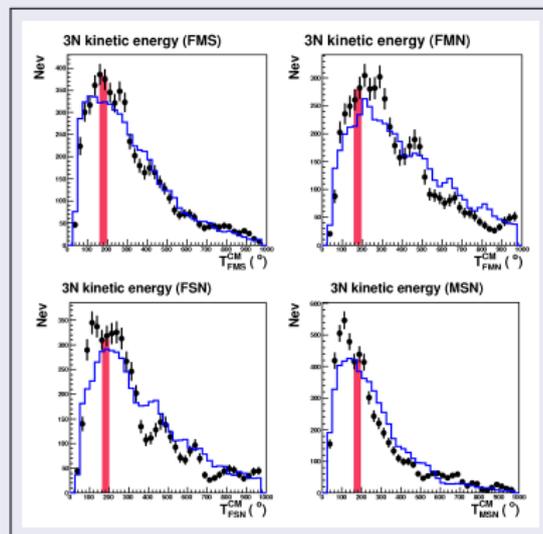
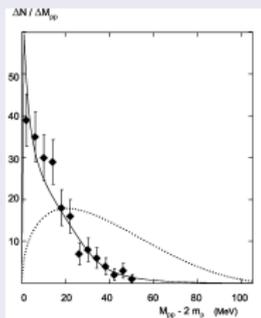
		INTERM. PROTON	SLOWEST PROTON	NEUTRON		
FASTEST P	$\theta_{NN}$	160	30	170		
	SFSI	NO	NO	NO		
	HFSI	NO	NO	NO		
	ISI	NO	NO	WEAK		
	2N/3N/2S/2+E	2N/2S	2S	2N/2S/2+E		
INTERM. P	$\theta_{NN}$		35	150	30	130
	SFSI		WEAK	NO	WEAK++	NO
	HFSI		NO	NO	NO	NO
	ISI		NO	NO	NO	NO
	2N/3N/2S/2+E		2S/2+E	2N/2S	2S/2-E	3N
SLOWEST P	$\theta_{NN}$				120-140	35
	SFSI				NO	NO
	HFSI				WEAK	NO
	ISI				NO	NO
	2N/3N/2S/2+E				3N/2N+E	3N/2S

No clear 2NA. All nucleon pairs show signatures of 2NA+ (H/S)FSI, 2-step or 3NA.

# The excitation of the dibarionic $d'$ ( $\pi\text{NN}$ ) in the $3\text{NA}$

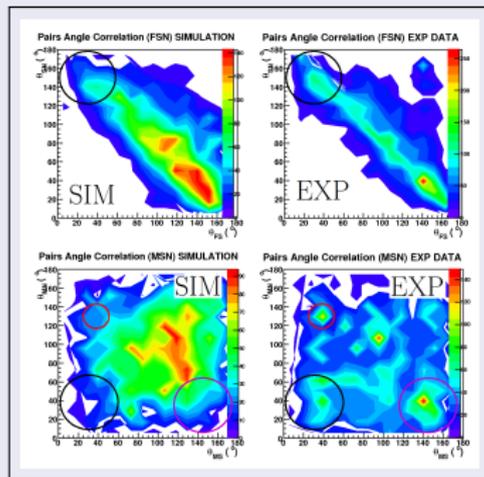
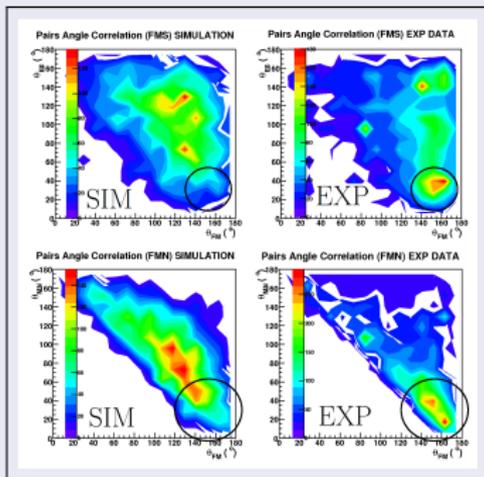


EPJA 28,1117(2006)



The  $\pi\text{NNN} \rightarrow d'\text{N} \rightarrow \text{NNN}$  is expected to occur with a **190 MeV** energy release.

## 3-body angular correlations: $\theta_{N1N2}$ vs $\theta_{N1N3}$



Strong **deviations** from PS suggest the presence of **absorption** mechanisms which directly involve **3-nucleon** systems

### 3-body correlations: summary table

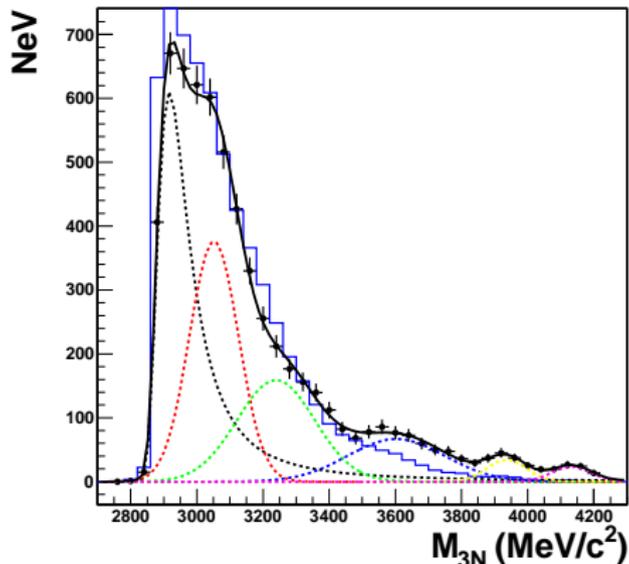
F=Fastest proton, M=Intermediate, S=Slow, N=Neutron

		MECH.	SIGN.	STAT	SIST	BCKG	STAT	SIST	SIG-BCKG	STAT	SIST
FMS		2NA(pd)	0.193	0.014	0.010	0.049	0.005	0.006	0.144	0.015	0.011
FMN		3NA(nd)/3NA(d')	0.367	0.020	0.016	0.328	0.010	0.027	0.039	0.022	0.031
FSN		2NA(nd)/3NA(d')	0.135	0.011	0.001	0.072	0.005	0.002	0.062	0.012	0.002
	black	4NA/3NA	0.107	0.010	0.012	0.038	0.004	0.001	0.103	0.011	0.012
MSN	purple	2NA(nd)/3NA(d')	0.133	0.005	0.011	0.068	0.012	0.008	0.065	0.013	0.014
	red	2NA(nd)/3NA(d')	0.026	0.004	0.005	0.019	0.003	0.001	0.007	0.005	0.005
TOTAL								3(4)NA	0.142	0.025	0.033
									0.564	0.034	0.038

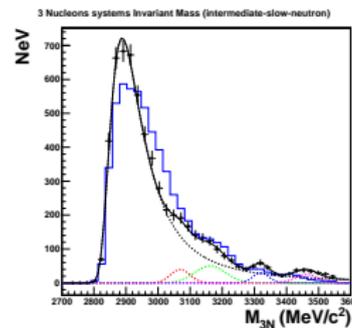
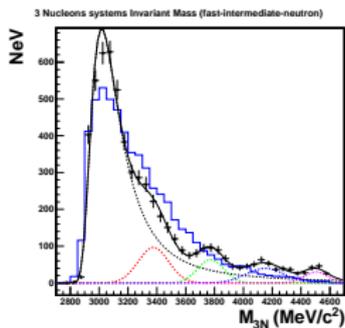
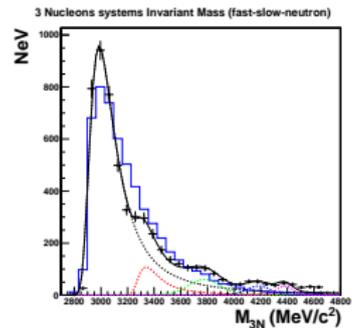
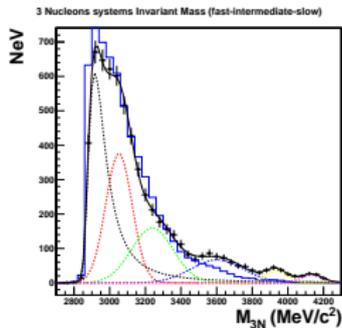
$\sim 40\%$  are not clearly identified  $2\text{NA}+(\text{H/S})\text{FSI}$  or  $3\text{NA}$ , in agreement with LADS results.  $\sim 14\%$  shows reliable features of a **2-Step 3NA process**

## 3-Nucleon Invariant Mass spectra $M_{NNN}$

3 Nucleons systems Invariant Mass (fast-intermediate-slow)



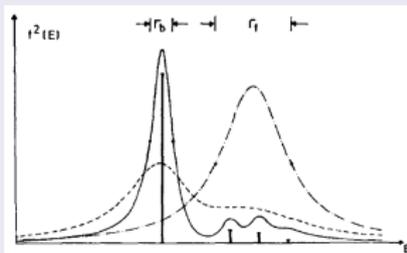
... reveal clear structures ...



... that have been fitted to identify **mass** and **width** of peaks.

The observed peaks have **common values** for all the 3N systems

State	FMS		FMN		FSN		MSN	
	M	$\Delta M$						
0	2923	$\pm 30$	-	-	-	-	2895	$\pm 32$
1	3052	$\pm 74$	3031	$\pm 64$	3000	$\pm 60$	3069	$\pm 30$
2	-	-	-	-	-	-	3162	$\pm 48$
3	3239	$\pm 118$	3377	$\pm 105$	3350	$\pm 50$	3320	$\pm 25$
4	-	-	-	-	-	-	3462	$\pm 35$
5	3603	$\pm 46$	3773	$\pm 90$	3775	$\pm 120$	-	-
6	3936	$\pm 60$	-	-	-	-	-	-
7	4132	$\pm 58$	4151	$\pm 132$	4180	$\pm 90$	-	-
8	-	-	-	-	4380	$\pm 60$	-	-
9	-	-	4503	$\pm 80$	-	-	-	-



... the less energetic 3N system allows the observation of a finer structure.

# The $\pi \rightarrow \mu\nu$ decay and the $\nu_\mu$ mass

$\nu$  masses are **fundamental** parameters  
for modern **cosmology** and **particle physics**.

Several **approaches** are used to address neutrinos' features:

- $\beta$  decay
- $0\nu 2\beta$  decay
- oscillations
- cosmological constraints
- direct measurement

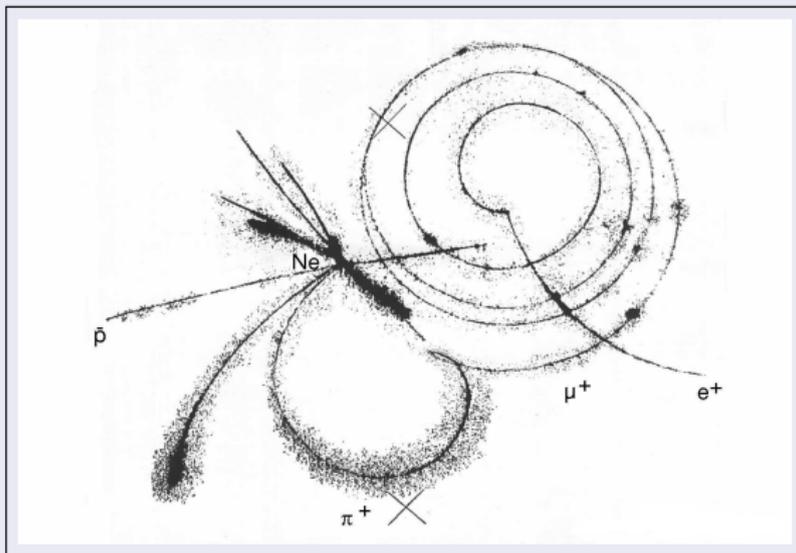
are **complementary** and the addressed **quantities** are in principle **different**

Electron  $\nu$  mass has been constrained by  $\beta$  decay:

- $\bar{\nu}_e < 2 \text{ eV (95\% c.l.)}$  from  ${}^3\text{H}$   $\beta$  decay
- $\nu_e < 225 \text{ eV (95\% c.l.)}$  from  ${}^{163}\text{Ho}$   $\beta$  decay

**Muon  $\nu$  mass** has been also constrained:

- by  $\pi$  decay in a spectrometer, with the assumptions of  $P_\pi=0$ ,  $\Delta P_\pi=0$  and  $\theta_{\pi\mu} = 0$ 
  - $\rightarrow M_\nu < 0.19 \text{ MeV (90\% c.l.)}$  Assamagan et al.  
Phys.Rev.D53:6065-6077,1996.
- by measuring the TOF of 3 GeV  $\nu_\mu$ 
  - $\rightarrow M_\nu < 50 \text{ MeV (99\% c.l.)}$  Adamson et al.  
Phys.Rev.D76:072005,2007.

CERN PS179:  $\bar{p}$ -Ne event

## Kinematics of event

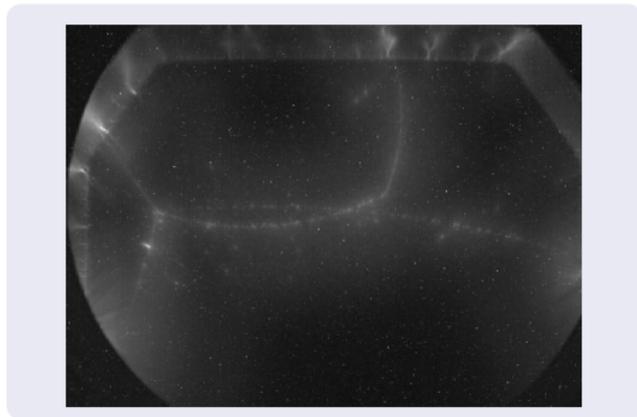
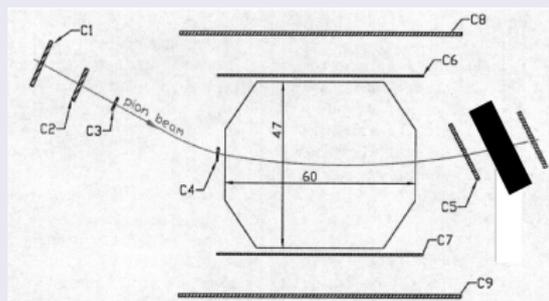
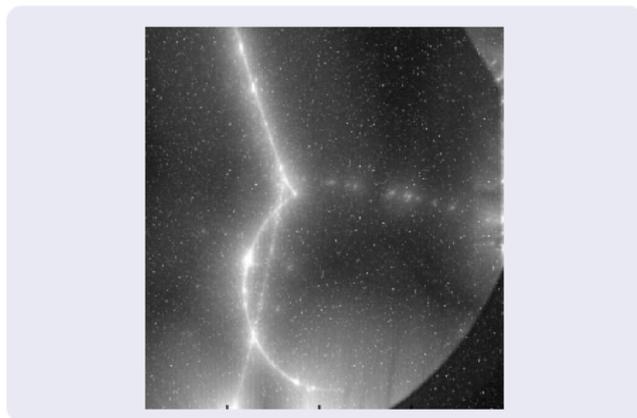
$$\begin{cases} P_\pi = (50 \pm 100) \text{KeV}/c \\ P_\mu = (29.9 \pm 19) \text{KeV}/c \\ \theta_{\pi\mu} = (163 \pm 1)^\circ \end{cases}$$

$$m_\nu^2(90\%c.l.) = (-11.1 + 1.282 \cdot 12.5) \text{MeV}^2$$

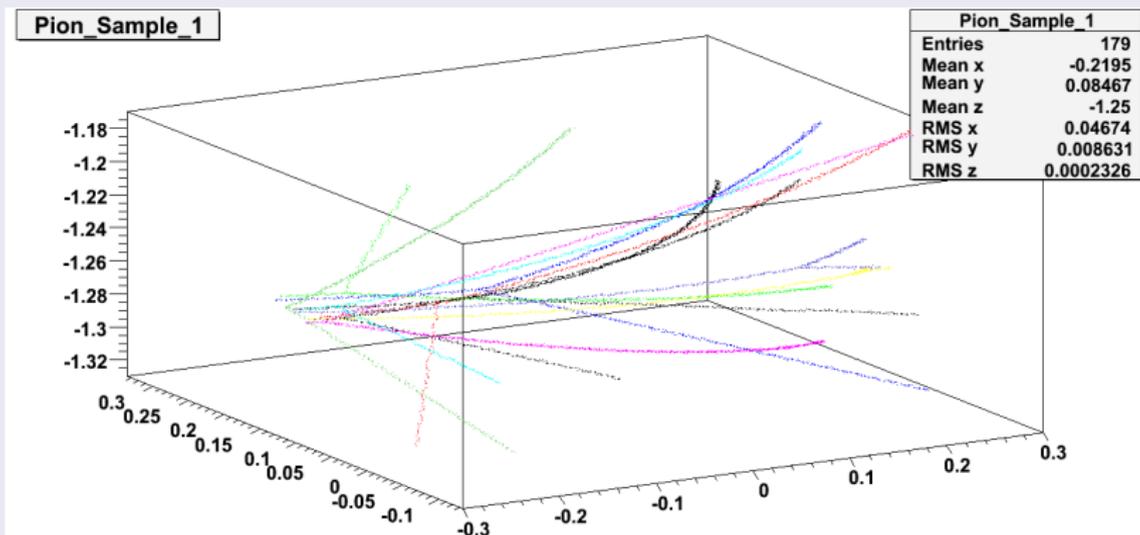
$$m_\nu(90\%c.l.) = 2.2 \text{MeV}$$

New measurement at PAINUC exp.

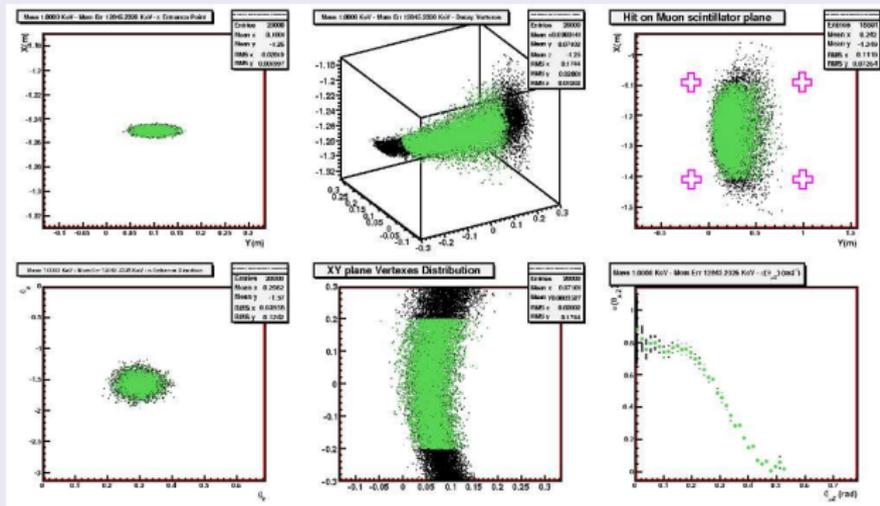
... both  
 $\pi^+ \rightarrow \mu^+ \nu$   
 and  
 $\pi^- \rightarrow \mu^- \bar{\nu}$



MC simulation of 68 MeV  $\pi^\pm$  decays with JINR streamer chamber.

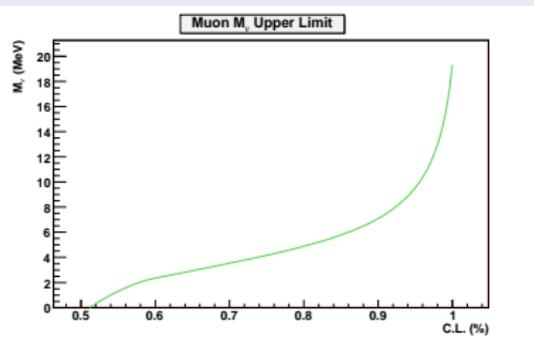
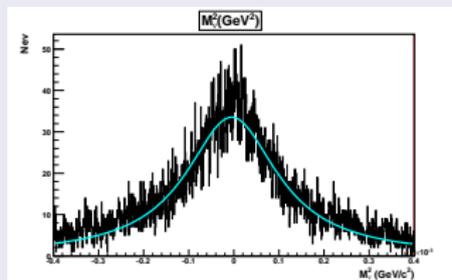


# Geometry, Hadron Stopper and Trigger Hodoscope displacement



Spatial and momentum beam spread, magnetic field, triggering and final hodoscope displacement, measurement uncertainties and their effects on the reconstructed mass have been studied

Results of MC simulation on the reconstructed  $m_\nu$  upper limit.

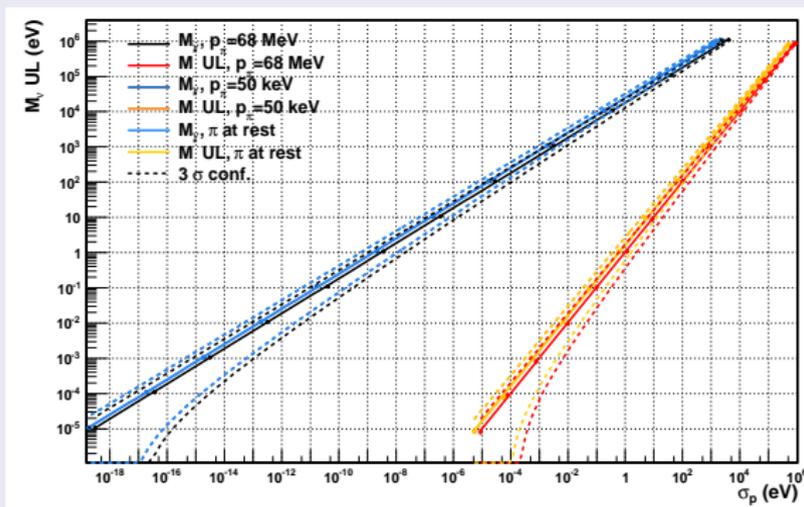


MC of  $\pi$  decays with *a priori* momentum and  $\pi$  mass resolution.

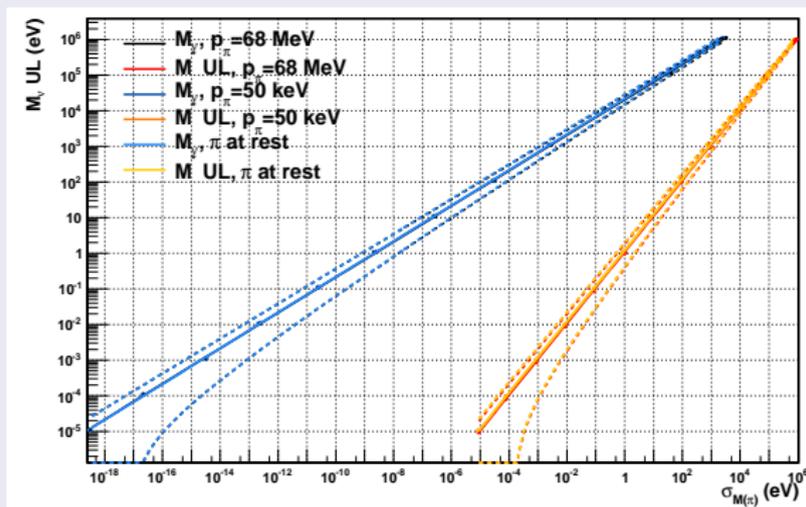
MonteCarlo parameters			
Energies of $\pi$ beam	$10^{-9} eV$	50 keV	68 MeV
N $\nu$ masses	12	Range (eV)	$10^{-5} - 10^6$
N decades for $p_{\pi(\mu)}$ error	30	Range (eV)	$10^{-20} - 10^9$
N steps per decade	18	Step spacing	$10^{1/18}$
N events per point	100	C.L.	90 %
$\pi$ mass (MeV)	139.570530	$\Delta M_\pi$ (eV)	350 eV
$\mu$ mass (MeV)	105.6583668	$\Delta M_\mu$ (eV)	4 eV

... to study the **effects** of momentum resolution and pion mass uncertainty on the final  $m_\nu$

Effects of the **momentum resolution**:  
 at  $T_\pi \sim 68$  MeV  $\sim 30\%$  less resolution needed



... and  $\sigma_p^{68\text{MeV}} = 5 \cdot 10^{-9} \text{ eV}/c^2$  for resolving a 1 eV neutrino!

Effects of the  $\pi$  mass uncertainty

The direct measurement is limited to  $m_{\nu} > 400$  keV due to pion mass uncertainty