

\bar{K} nuclear interactions and dynamics

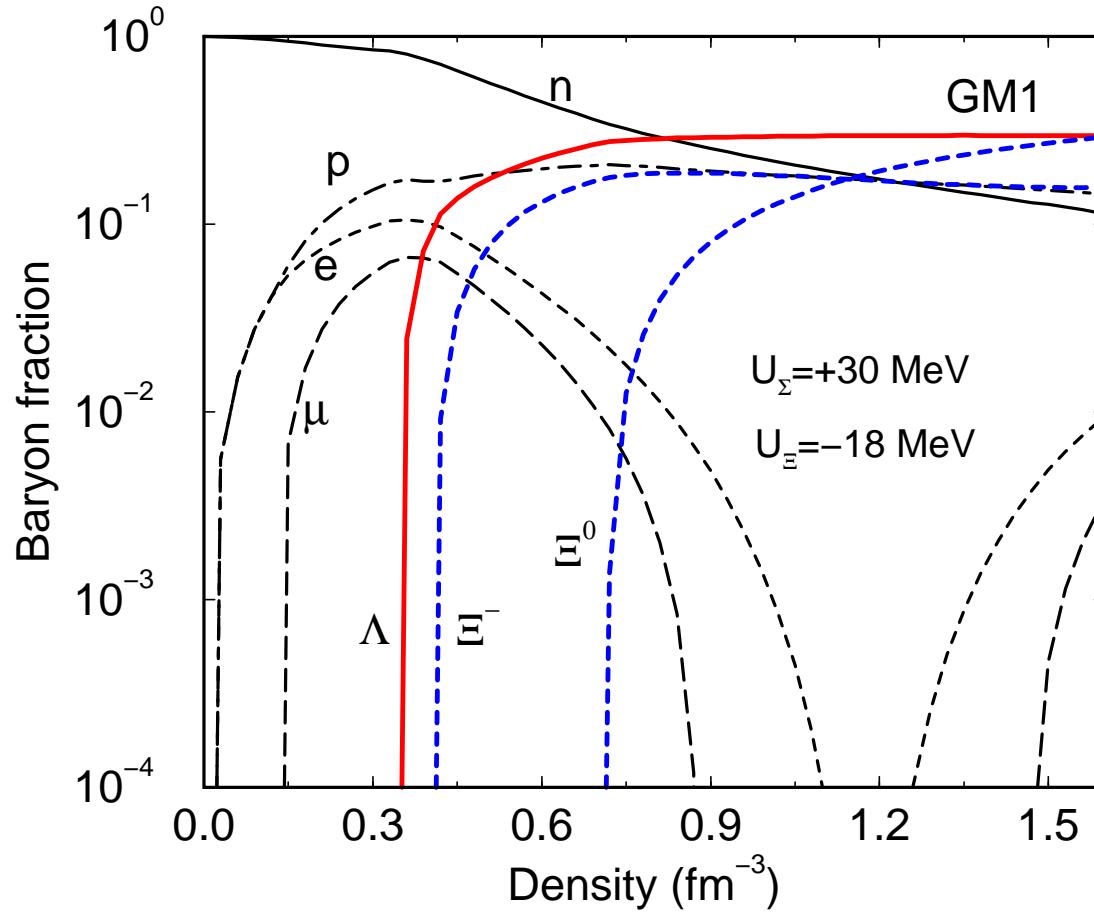
Avraham Gal

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- $\bar{K}N - \pi Y$ dynamics and studies of $K^- pp$
- \bar{K} -nucleus potentials from K^- atoms
(see Friedman's talk)
- Narrow \bar{K} nuclear quasibound states?
- \bar{K} in multistrange matter; \bar{K} condensation?

NPA 804 (2008) NPA 835 (2010) [HYP-X]

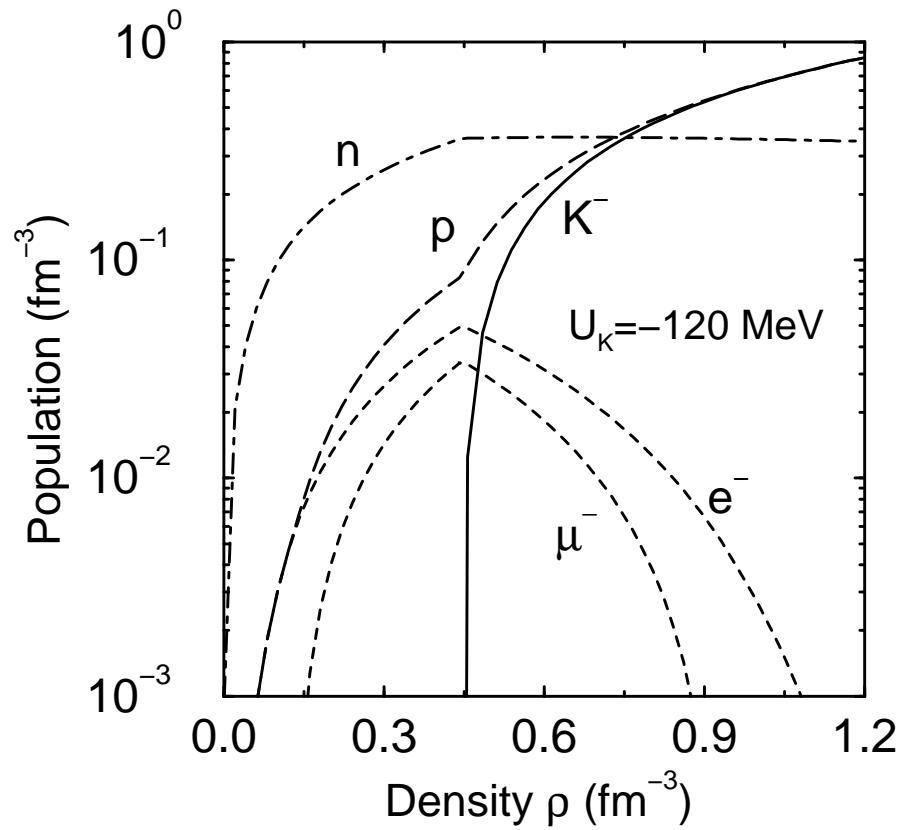
and many other reports in MESON 2010



J. Schaffner-Bielich, NPA 804 (2008) 309

RMF calculation of baryon & lepton fractions in neutron star matter

Strangeness acts for densities $\geq 2.5\rho_0$; why not $\Lambda \rightarrow p + K^-$?



N.K. Glendenning, J. Schaffner-Bielich, PRC 60 (1999) 025803

Lepton depletion $\ell^- \rightarrow K^- + \nu_\ell$ occurs for $\rho \geq 3\rho_0$

However, hyperons abort K^- condensation in neutron-star matter

$\bar{K}N - \pi Y$ dynamics and studies of K^-pp

Weinberg-Tomozawa leading chiral SU(3) effective ps meson - baryon potential

Zero-range limit of F-type SU(3) vector-meson exchange;
introduce form factors fitted to low-energy data

$$V_{ij}(\sqrt{s}) = -\frac{C_{ij}}{4f^2}(2\sqrt{s} - M_i - M_j)\sqrt{\frac{E_i + M_i}{2M_i}}\sqrt{\frac{E_j + M_j}{2M_j}}$$

$C_{\bar{K}N-\pi\Sigma}^{I=0}$ diagonal = 3, 4, and off-diagonal = $-\sqrt{3/2}$

$C_{\bar{K}N-\pi\Sigma-\pi\Lambda}^{I=1}$ diagonal = 1, 2, 0, and $\bar{K}N$ off-diagonal = $-1 - \sqrt{3/2}$

$$V_{ij} \rightarrow T_{ij} : \quad T_{ij}(\sqrt{s}) = V_{ij}(\sqrt{s}) + V_{il}(\sqrt{s}) G_l(\sqrt{s}) T_{lj}(\sqrt{s})$$

$T_{\bar{K}N-\bar{K}N} * \rho$: \bar{K} -nuclear energy dependent potential

Extend to NLO

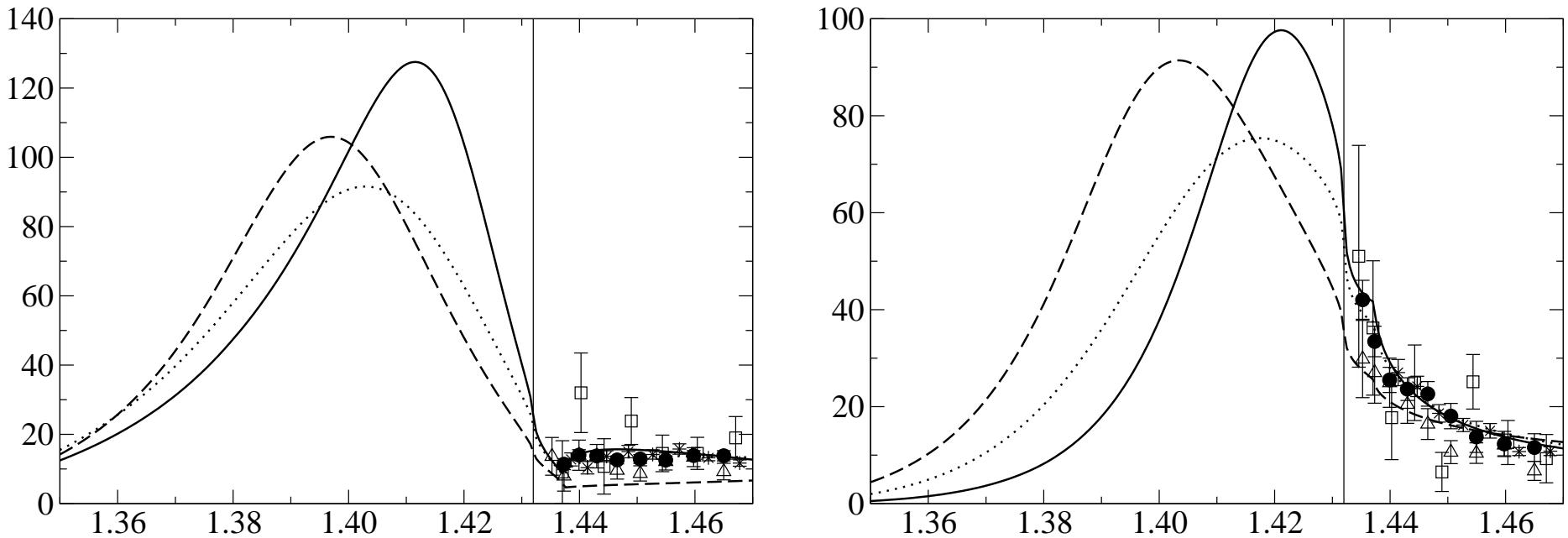
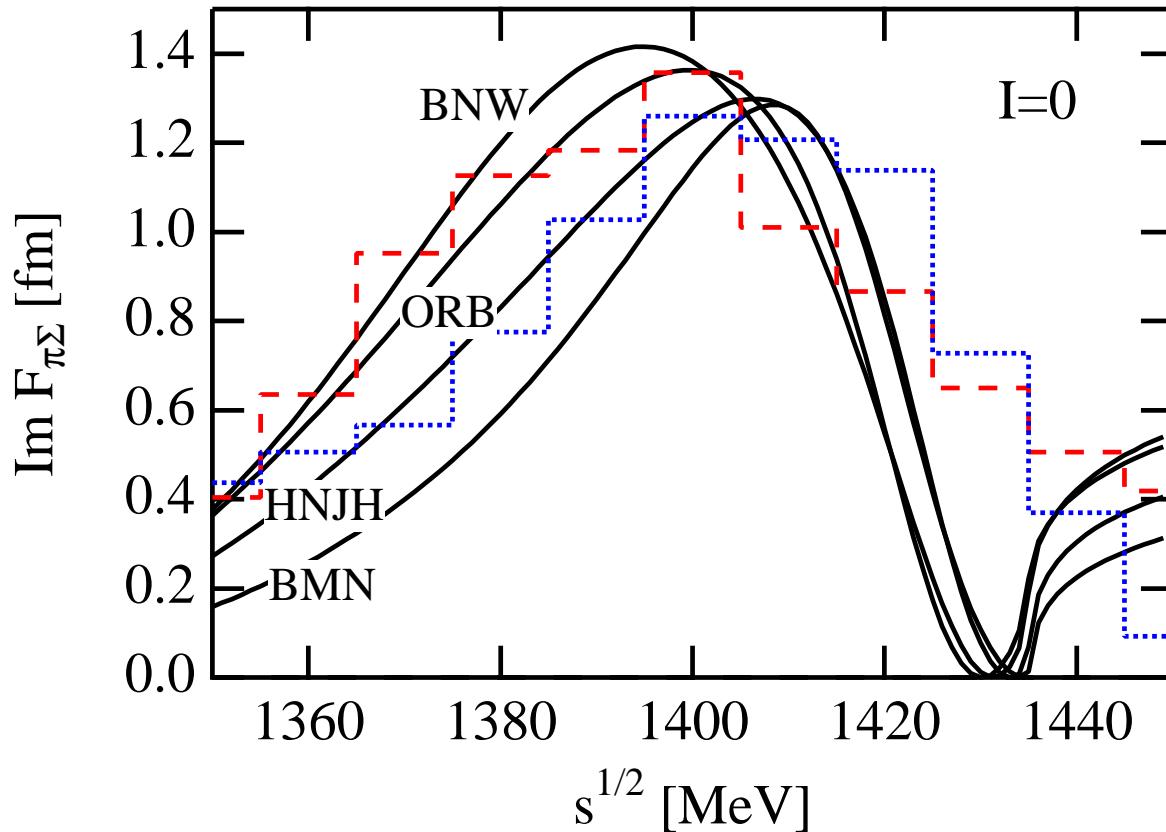


Figure 1: Calculated cross sections for $K^- p \rightarrow \pi^\mp \Sigma^\pm$ multiplied by $4|\mathbf{q}_{cm}^{K^- p}|/\sqrt{s}$ and continued below the $K^- p$ threshold (vertical line), for three chiral coupled-channel fits to the $K^- p$ low-energy data. The fit shown by the solid (dashed) lines excludes (includes) the DEAR value for $a_{K^- p}$.

From B. Borasoy, R. Nißler, W. Weise, EPJA 25 (2005) 79.

Extrapolation below threshold $\rightarrow \pi\Sigma$ resonance $\Lambda(1405)$

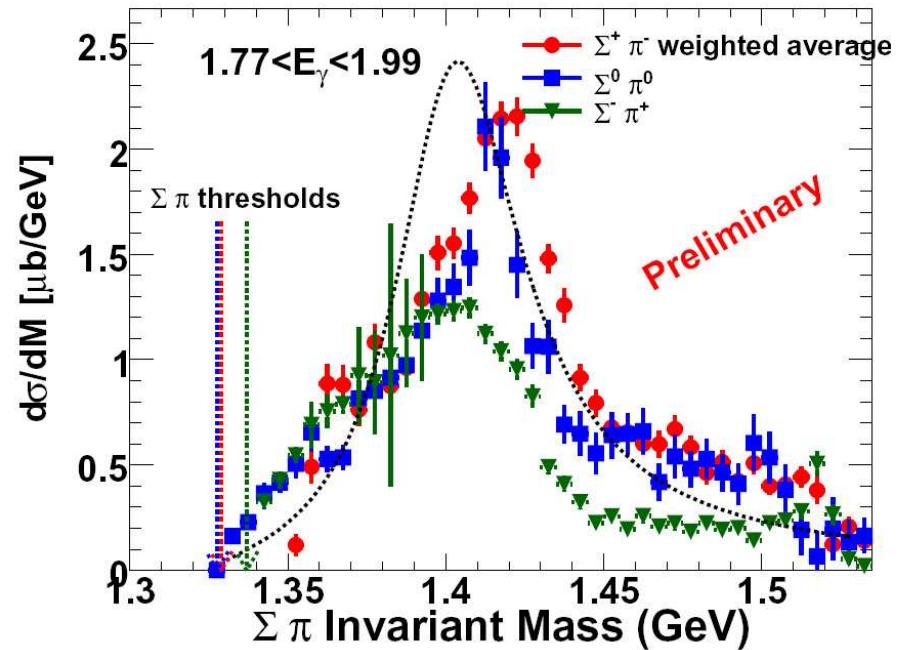
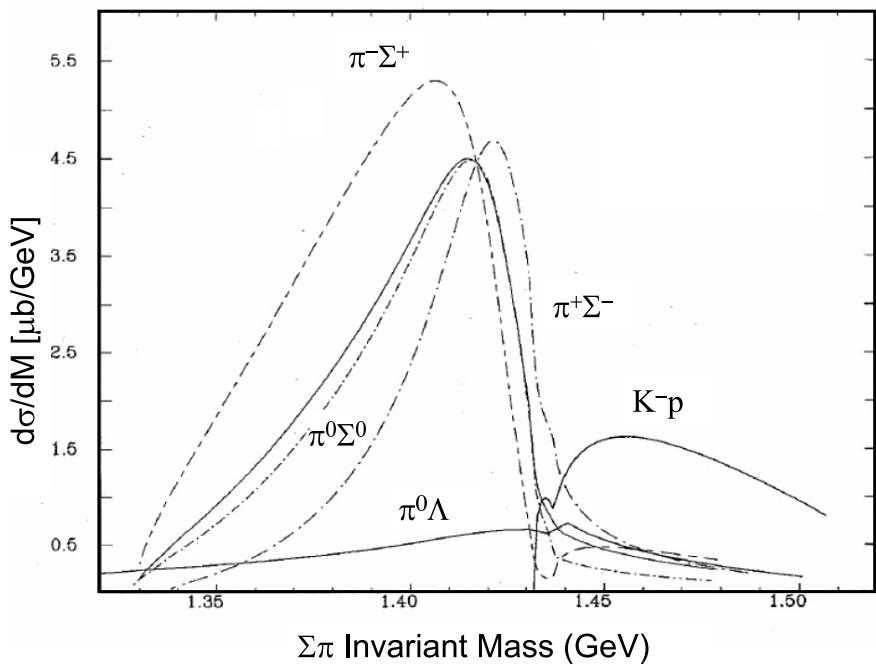
$$\gamma = \frac{\Gamma(K^- p \rightarrow \pi^+ \Sigma^-)}{\Gamma(K^- p \rightarrow \pi^- \Sigma^+)} = 2.36 \pm 0.04 \implies \text{isospin dependence}$$



T. Hyodo, W. Weise, PRC 77 (2008) 035204 ($\pi^-\Sigma^+$, ... sum of $\pi^\pm\Sigma^\mp$)

$\Lambda(1405)$ shape in $\pi - \Sigma$ spectrum, calculated in chiral models

Do chiral models work well? Experimentally, need a $\pi^0\Sigma^0$ spectrum

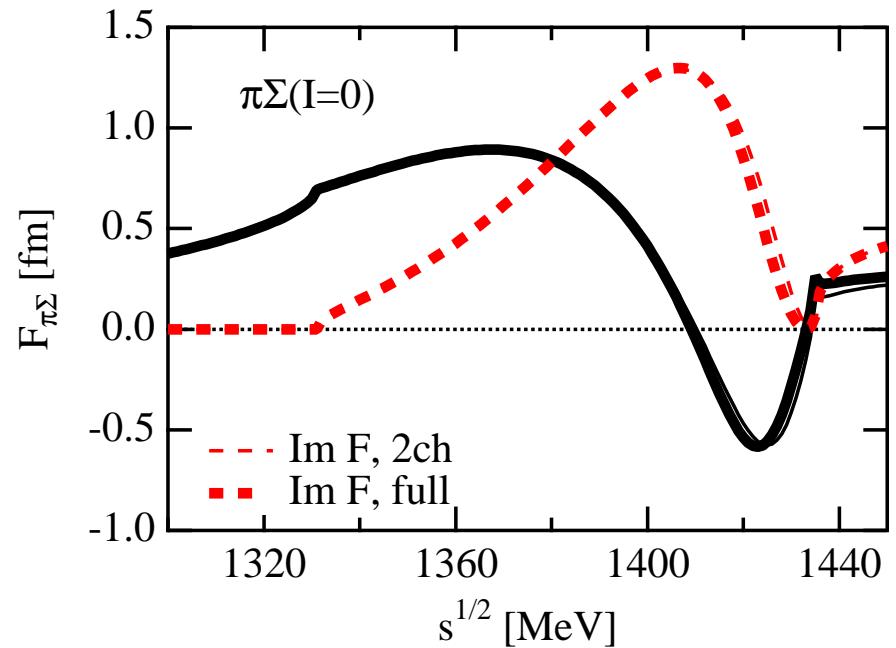
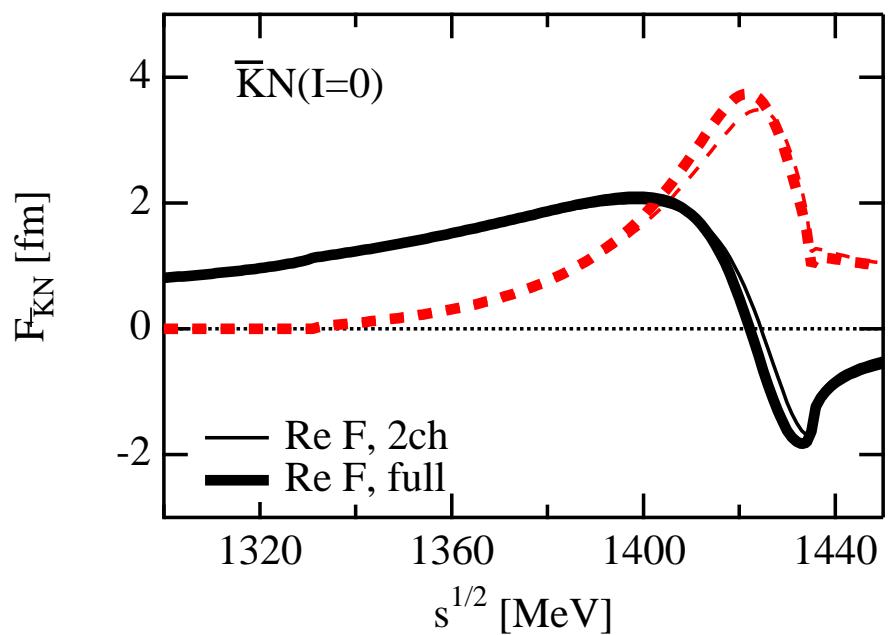


R. Schumacher (for the CLAS Collab.) NPA 835 (2010) 231

Line shapes of $\Lambda(1405)$ predicted in a chiral model (left) and presented by CLAS in HYP-X (right)

Related, weaker statistics data from LEPS and COSY-ANKE

$I = 0 \leftrightarrow I = 1$ interferences split $\Sigma^\pm\pi^\mp$ spectra

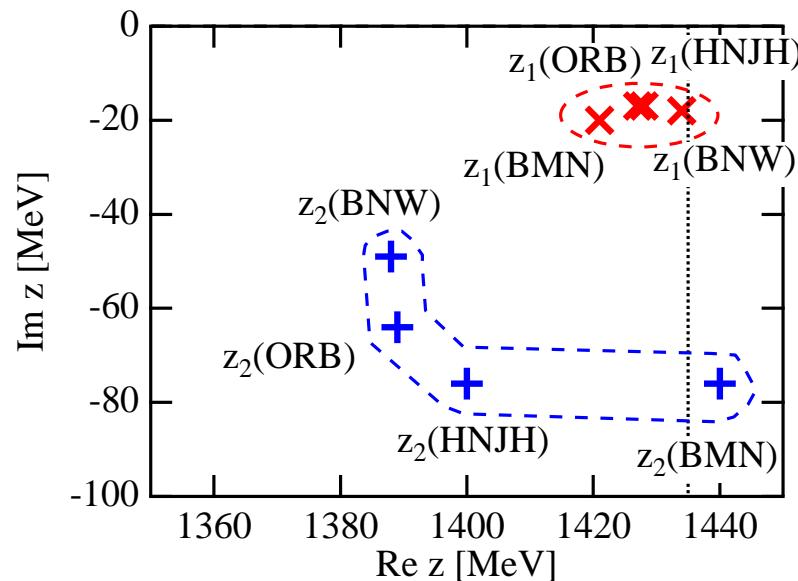
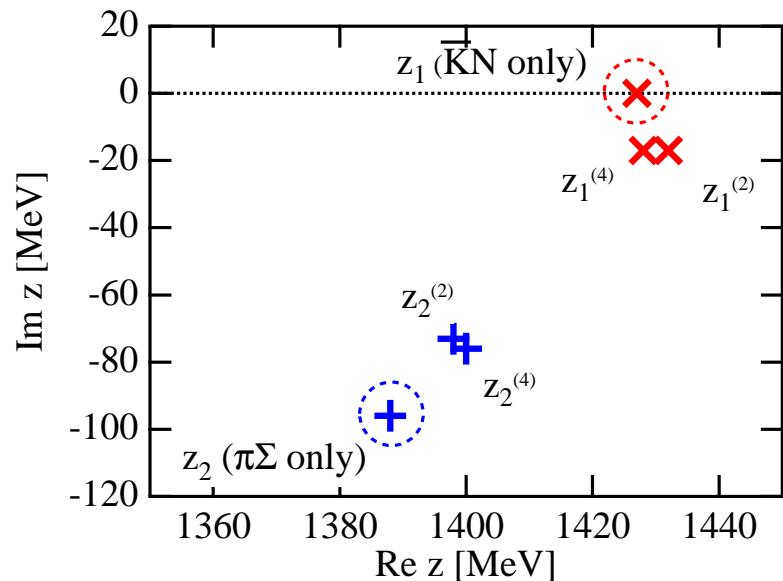


T. Hyodo, W. Weise, PRC 77 (2008) 035204

$I = 0$ coupled-channel amplitudes

Location of ‘resonances’: $\bar{K}N \approx 1420$ MeV, $\pi\Sigma \approx 1405$ MeV

Are there two distinct ‘ $\Lambda(1405)$ ’ resonances?



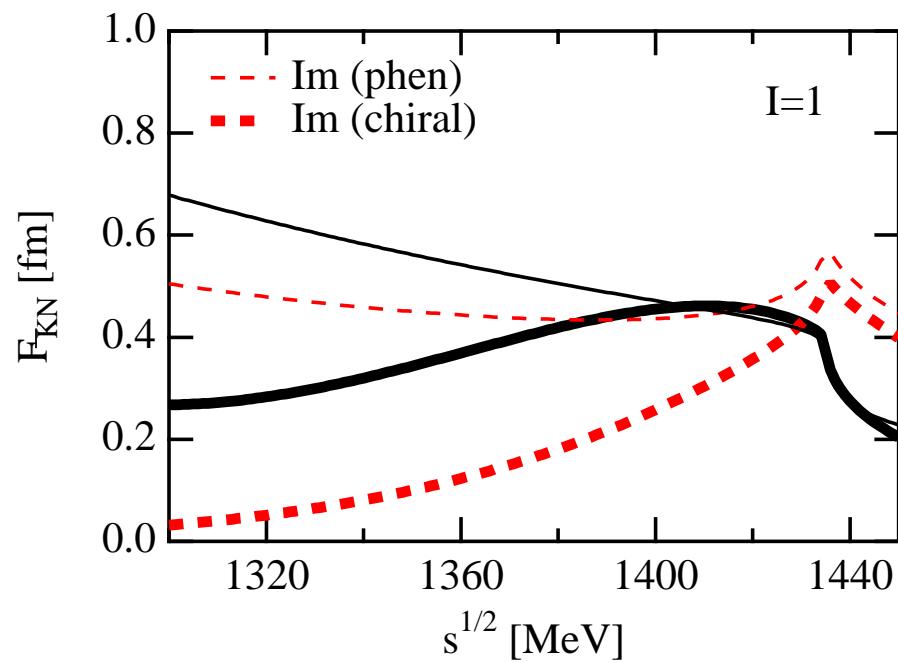
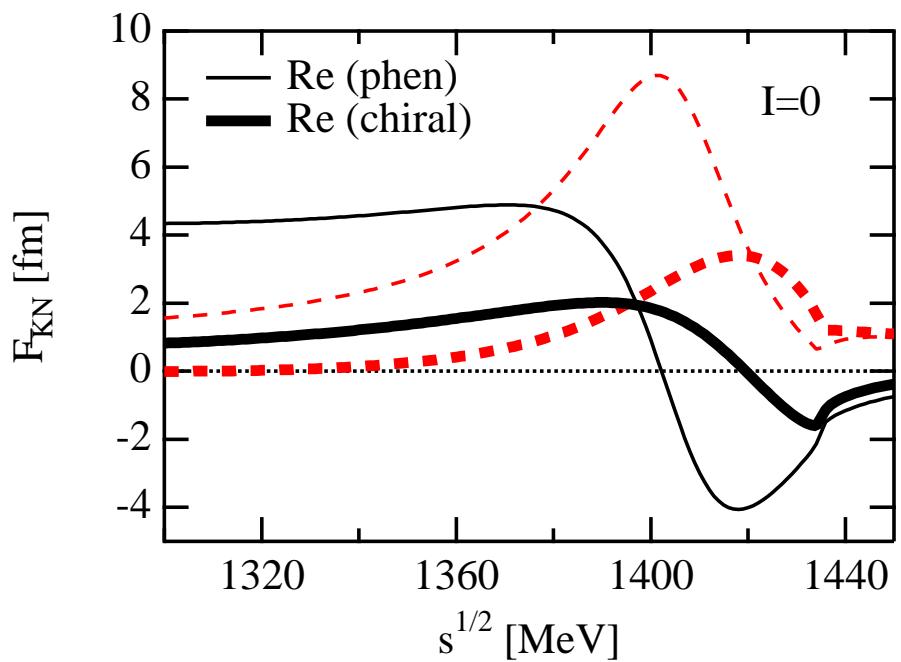
T. Hyodo, W. Weise, PRC 77 (2008) 035204

Two-pole structure in chiral coupled-channel calculations

Sizable model dependence for $\pi\Sigma$ resonance pole

$\bar{K}N$ QuasiBound State (QBS) at ≈ 1426 MeV

Single-pole calculations: $\bar{K}N$ QBS at ≈ 1405 , bound by 27 MeV



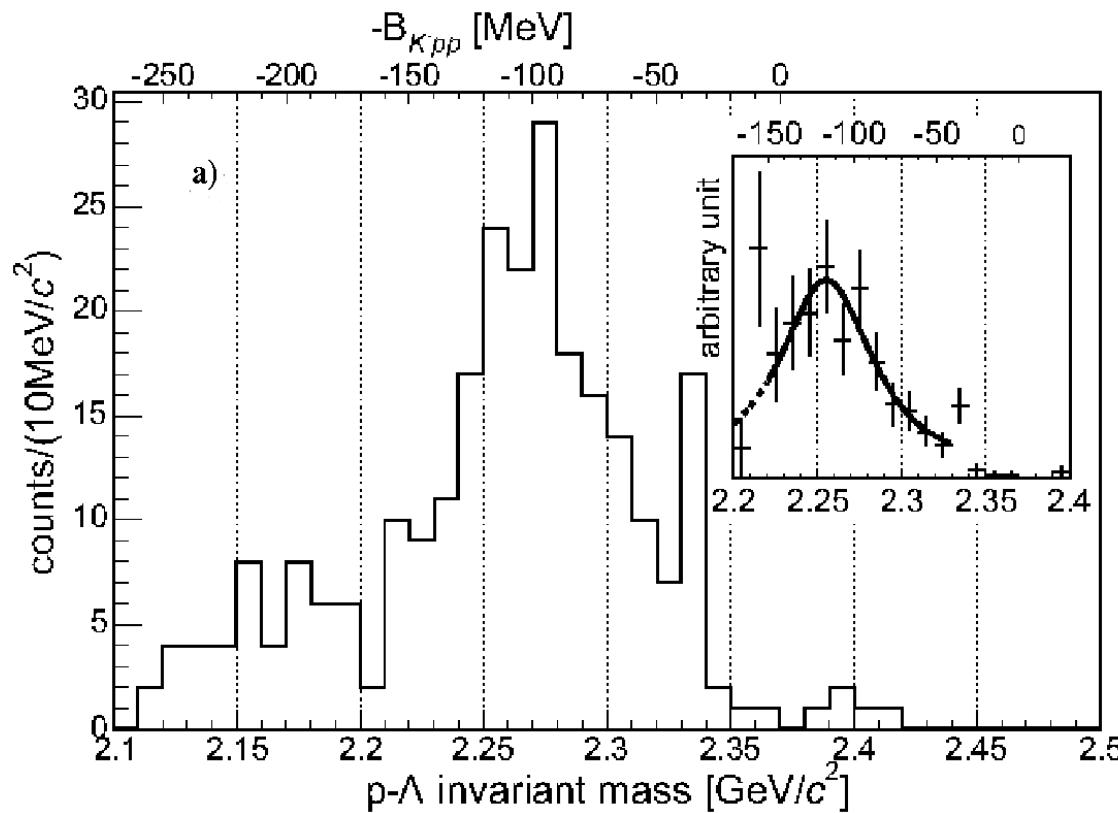
T. Hyodo, W. Weise, PRC 77 (2008) 035204

Critique of single-pole phenomenological $\bar{K}N$ potential

phen: T. Yamazaki, Y. Akaishi, PRC 76 (2007) 045201

$\bar{K}N$ QBS: at 1405 MeV (phen) or at 1420 MeV (chiral)?

Different starting points in \bar{K} -nuclear cluster calculations

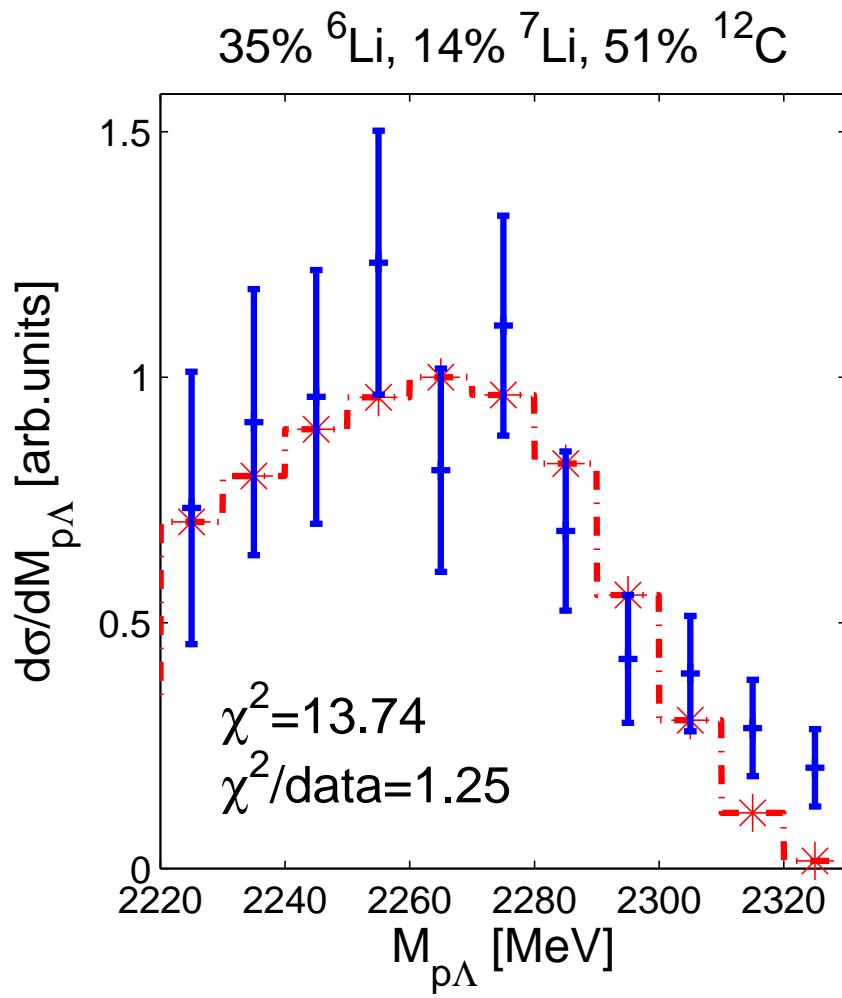


M. Agnello et al. (FINUDA collab.), PRL 94 (2005) 212303

Ap spectrum from K^- absorption in Li and C

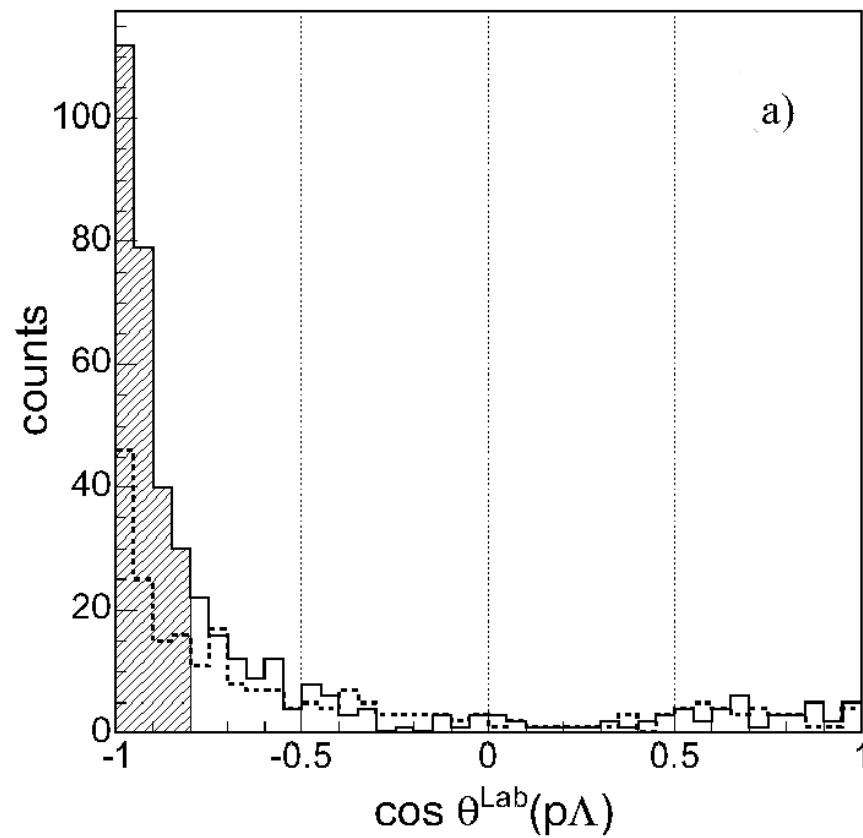
Evidence for a $K^- pp$ quasibound state? no production constraint

Contested by Magas, Oset, Ramos, Toki, PRC 74 (2006) 025206



V.K. Magas, presented at PANIC08

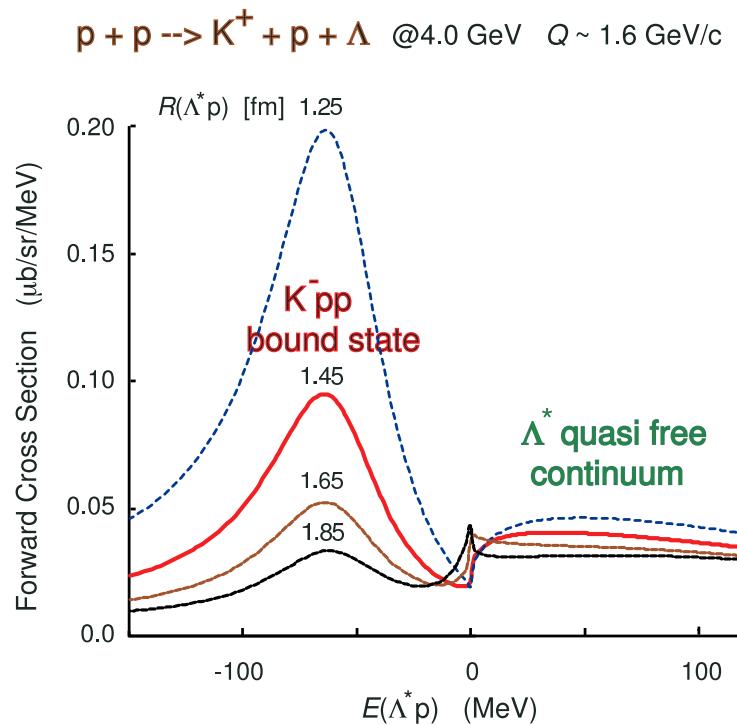
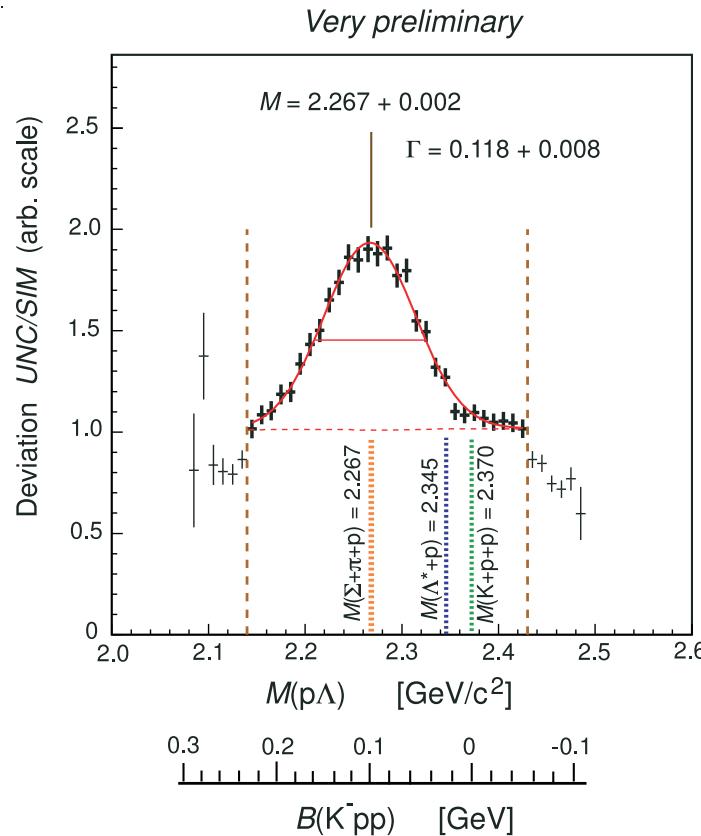
Λp spectrum from quasi-free simulation of K^- absorption



M. Agnello et al. (FINUDA collab.), PRL 94 (2005) 212303

Ap angular correlation; supporting a K^-pp quasibound state?

Sharper correlation than produced by quasi-free processes



Yamazaki et al. PRL 104 (2010) 132502, DISTO data reanalysis at 2.85 GeV

Broad $K^- pp$ structure at $\pi N\Sigma$ threshold?

Forthcoming experiments: $pp \rightarrow (K^- pp) + K^+$ at GSI,
 $K^- {}^3\text{He} \rightarrow (K^- pp) + n$ and $\pi^+ d \rightarrow (K^- pp) + K^+$ at J-PARC

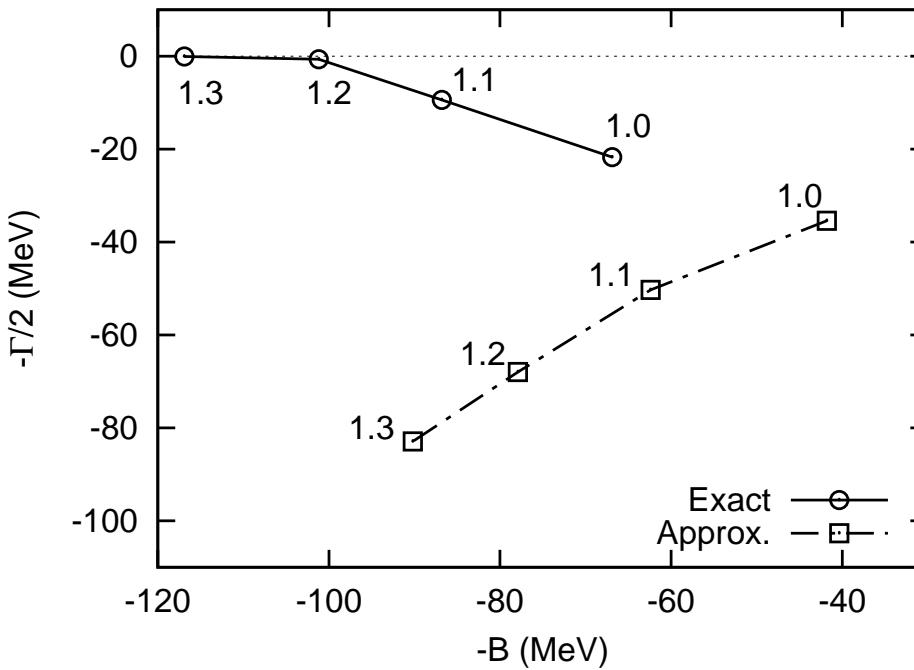
Exotic \bar{K} structures, with unbound nuclear cores

onset of binding: $K^- pp$ and $\bar{K}^0 nn$, in particular $I_{NN} = 1, I_{\text{tot}} = 1/2$

	$\bar{K}N$ channel		coupled channels			
(MeV)	var. [1]	var. [2]	Faddeev [3]	Faddeev [4]	Faddeev [5]	var. [6]
B	48	17–23	50–70	60–95	9–16, 67–89	40–80
Γ	61	40–70	90–110	45–80	34–46, 244–320	40–85

1. T. Yamazaki, Y. Akaishi, PLB **535** (2002) 70
2. A. Doté, T. Hyodo, W. Weise, NPA **804** (2008) 197, PRC **79** (2009) 014003
3. N.V. Shevchenko, A. Gal, J. Mareš, PRL **98** (2007) 082301
4. Y. Ikeda, T. Sato, PRC **76** (2007) 035203, PRC **79** (2009) 035201
5. Y. Ikeda, H. Kamano, T. Sato, arXiv:1004.4877 [nucl-th]
6. S. Wycech, A.M. Green, PRC **79** (2009) 014001 (including p waves)

Robust binding, but large widths and a broad range for B and Γ



Y. Ikeda, T. Sato, PRC **79** (2009) 035201

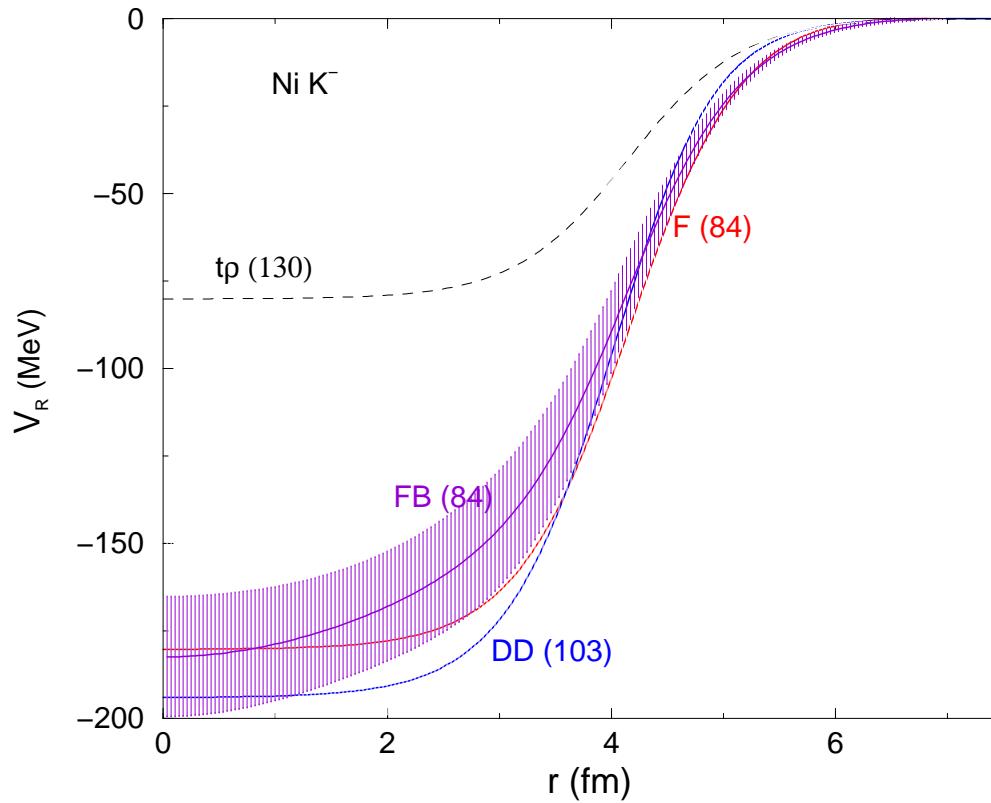
Faddeev calculations of K^-pp with $\bar{K}N - \pi Y$ input

Exact: coupled $\bar{K}NN - \pi YN$. Approx: effective $\bar{K}NN$ single channel

Explicit coupled channels produce 25 MeV extra binding

QBS pole behaves more physically for ‘Exact’ than for ‘Approx’

\bar{K} -nucleus potentials from K^- atoms

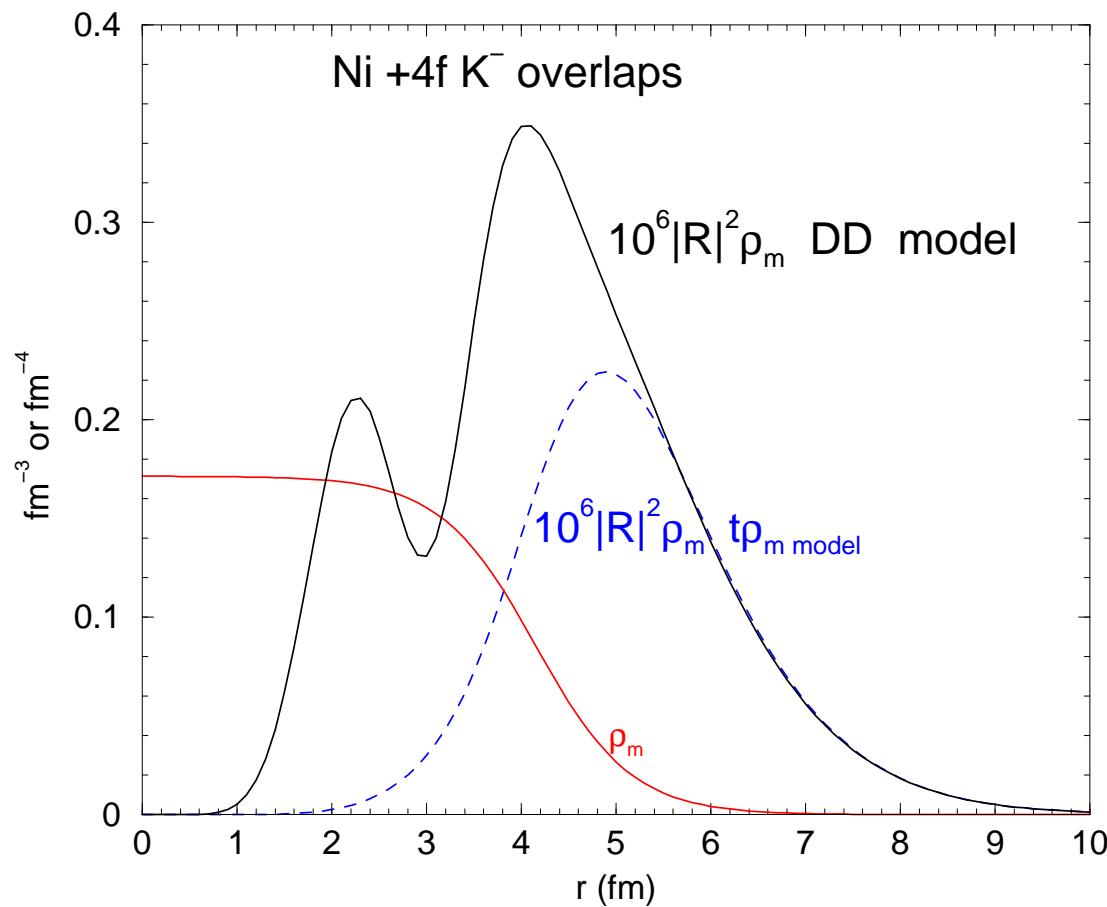


J. Mareš, E. Friedman, A. Gal, NPA 770 (2006) 84

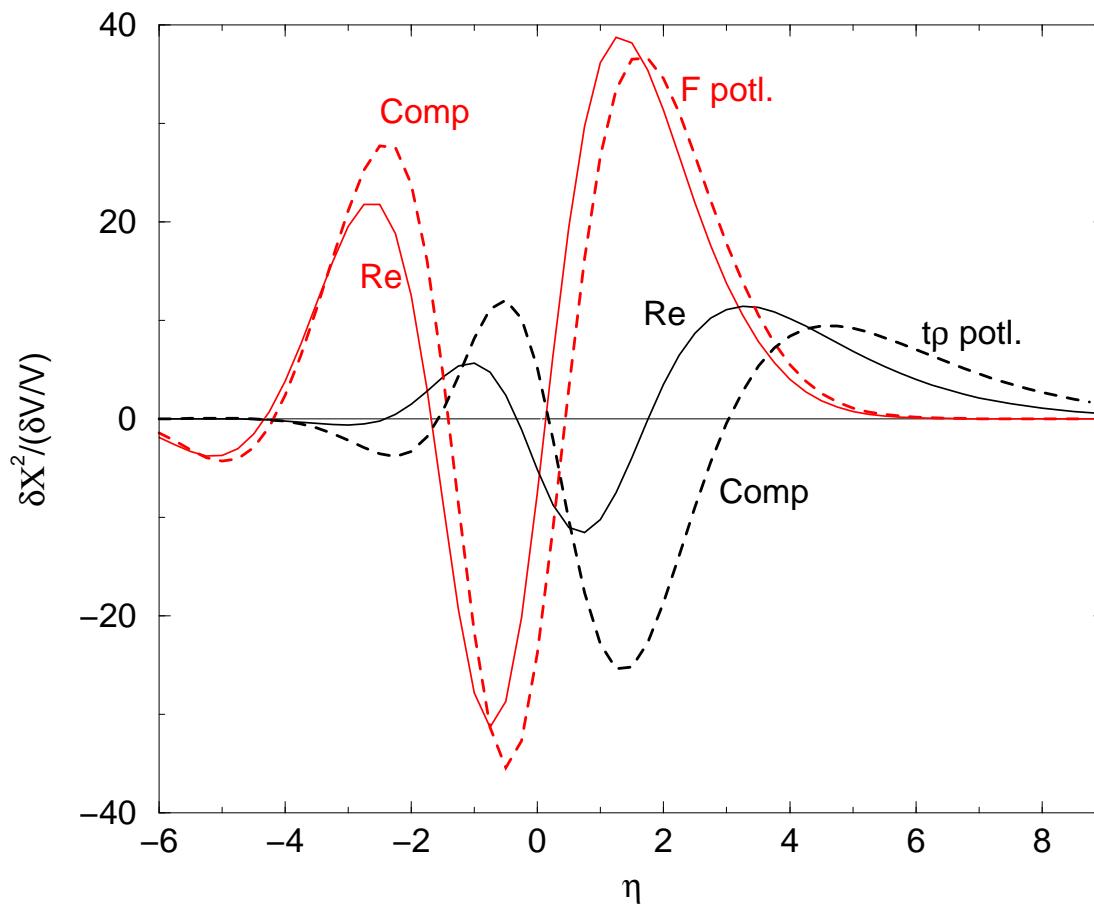
K^- -Ni best-fit (real) potentials with respect to 65 data points

Lowest $\chi^2 = 84$: Fourier-Bessel (FB) model-independent analysis

Density dependent models DD and F offer improvement over $t\rho$



E. Friedman (2009); see also E. Friedman, A. Gal, Phys. Rep. 452 (2007) 89
 K^- atomic wavefunction R for deep DD potential penetrates,
whereas for the shallower $t\rho$ it does not penetrate the nucleus

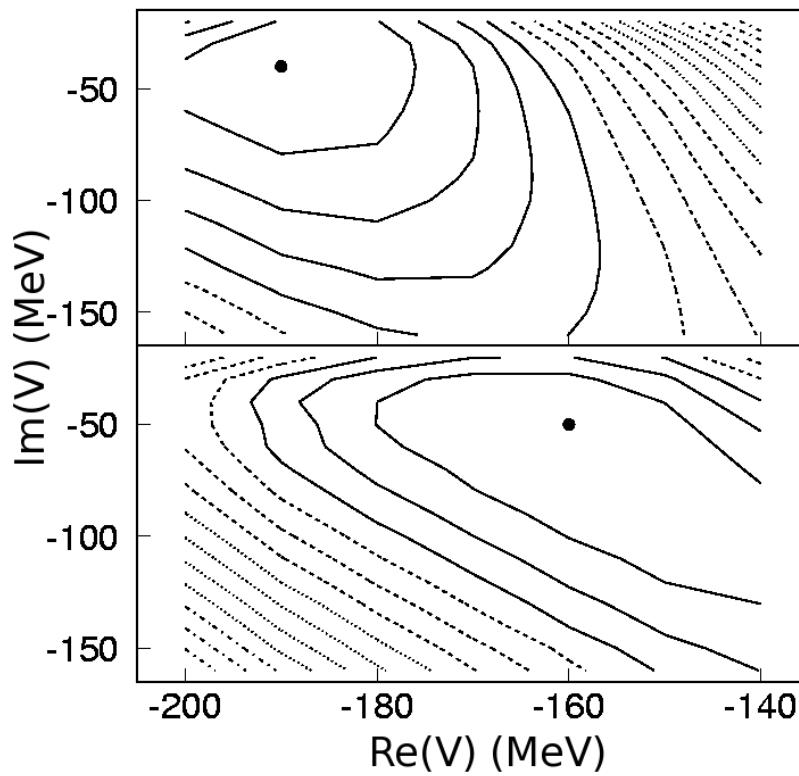
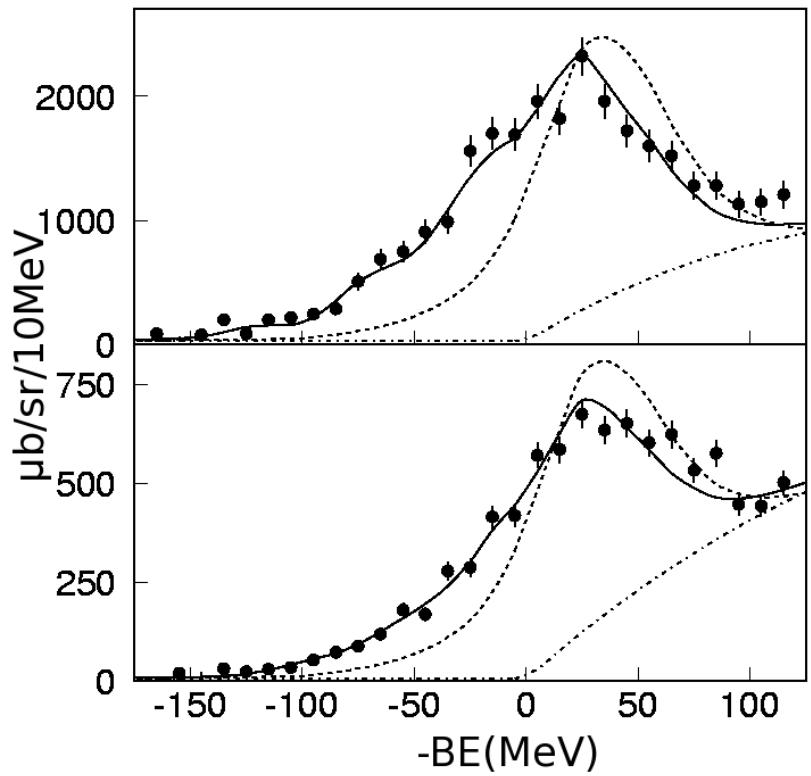


N. Barnea, E. Friedman, PRC 75 (2007) 022202

Functional Derivative analysis $[\eta = (r - R)/a]$

Deep potential (F) is determined inside the nucleus

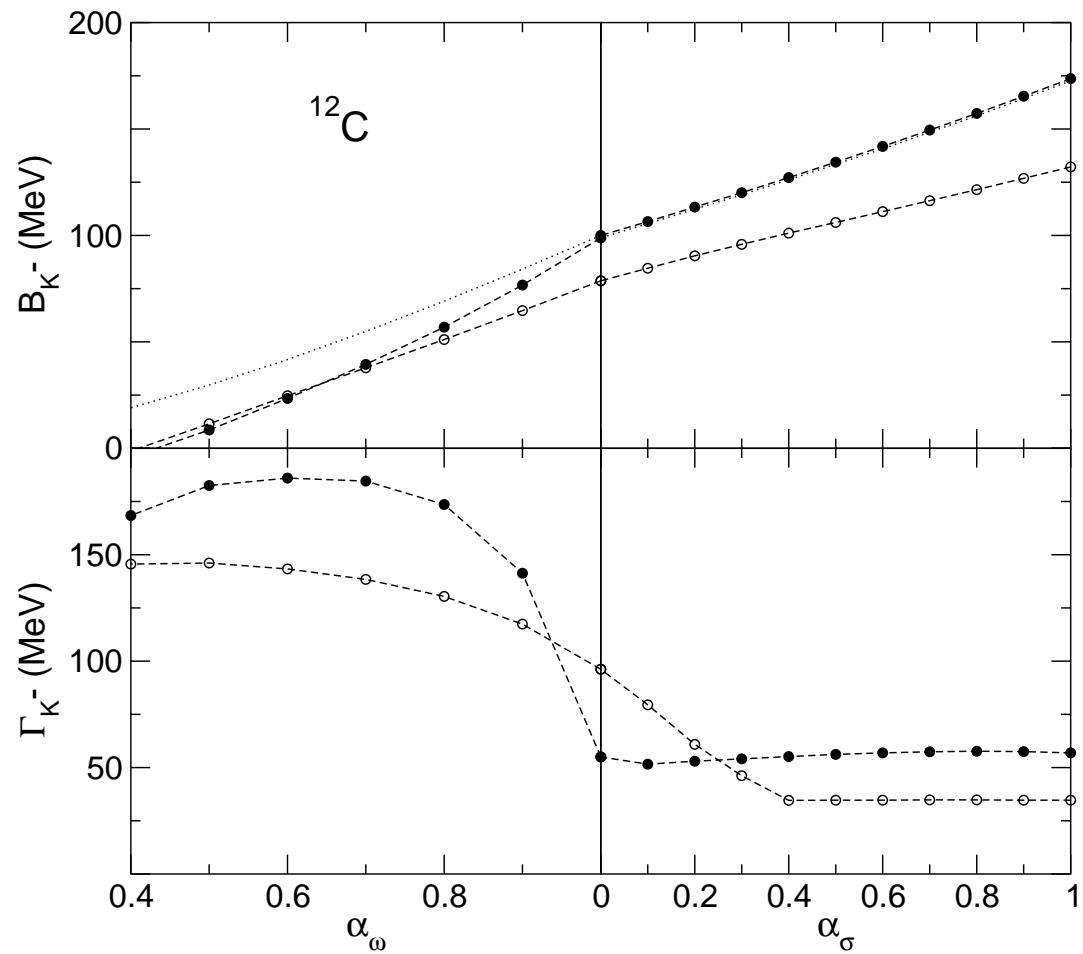
Narrow \bar{K} nuclear quasibound states?



T. Kishimoto et al., PTP 118 (2007) 181

KEK-PS E548 missing mass spectra (left) and χ^2 contour plots (right)
for (K^-, n) (upper) & (K^-, p) (lower) at $p_{\text{inc}} = 1 \text{ GeV}/c$ on ^{12}C

Deep potential conclusion challenged by Magas et al. PRC 81 (2010) 024609

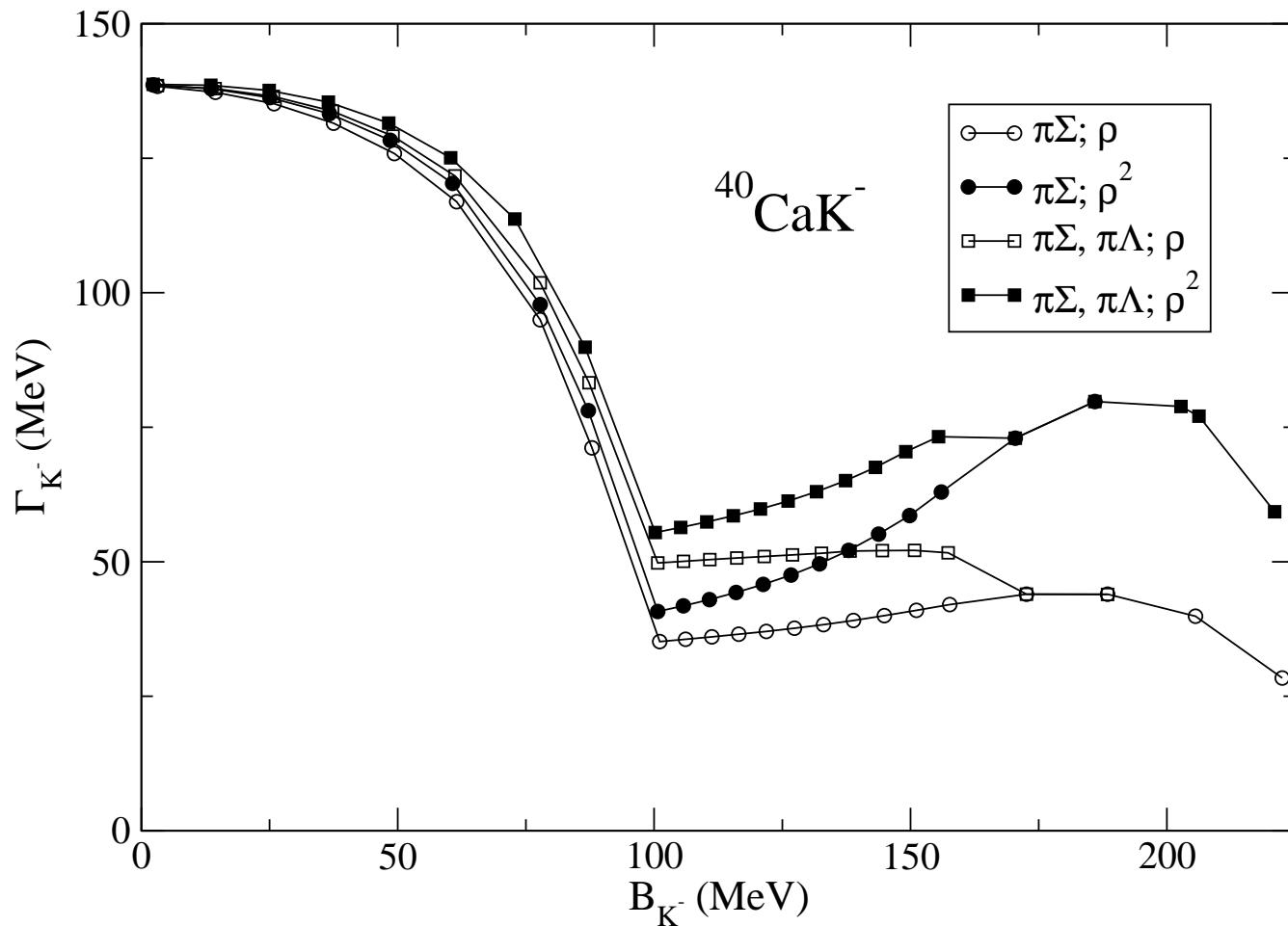


J. Mareš, E. Friedman, A. Gal, NPA 770 (2006) 84

B_{K⁻} and *Γ_{K⁻}* in RMF calculations: static - empty, dynamical - solid

Re *V_{K⁻}* depends on ω & σ couplings; Im *V_{K⁻}* from *K⁻* atoms

with energy dependence reflecting $\bar{K}N \rightarrow \pi Y$ & $\bar{K}NN \rightarrow YN$



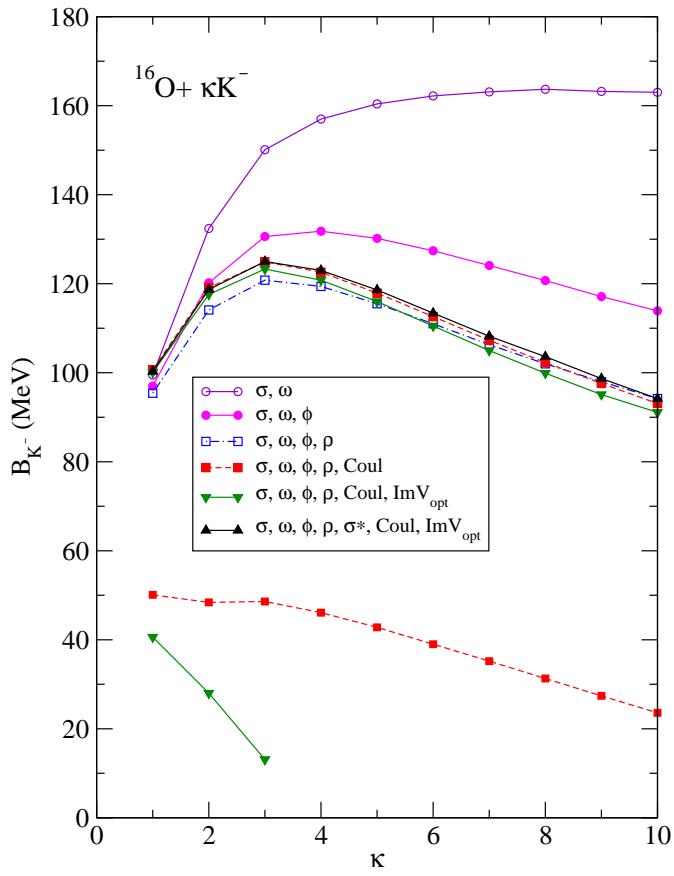
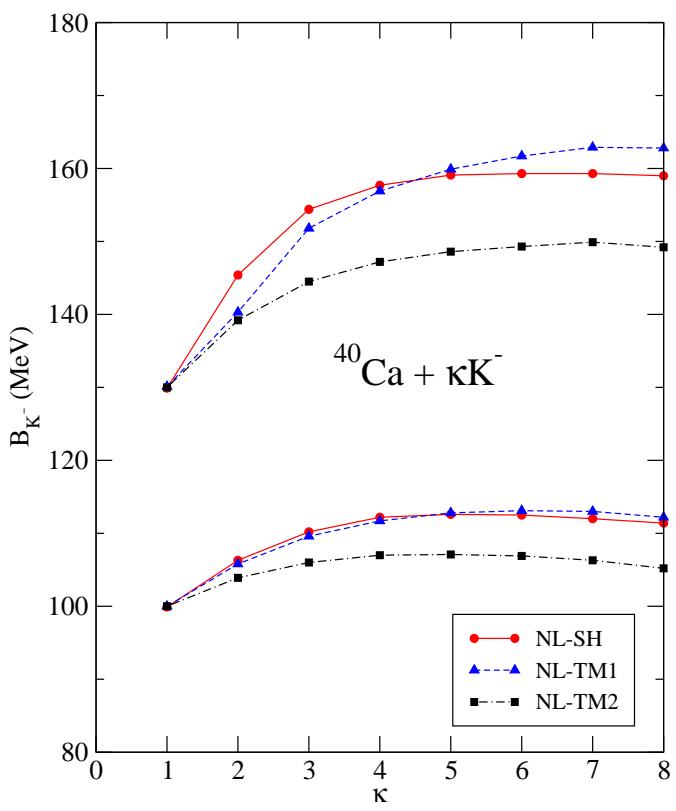
D. Gazda, E. Friedman, A. Gal, J. Mareš, PRC 76 (2007) 055204

Γ_{K^-} as a function of B_{K^-} in RMF calculations

Very large widths above $\pi\Sigma$ threshold at $B_{K^-} \approx 100$ MeV

$\Gamma_{\bar{K}} > 50$ MeV for deeply bound states

\bar{K} in multistrange matter; \bar{K} condensation?

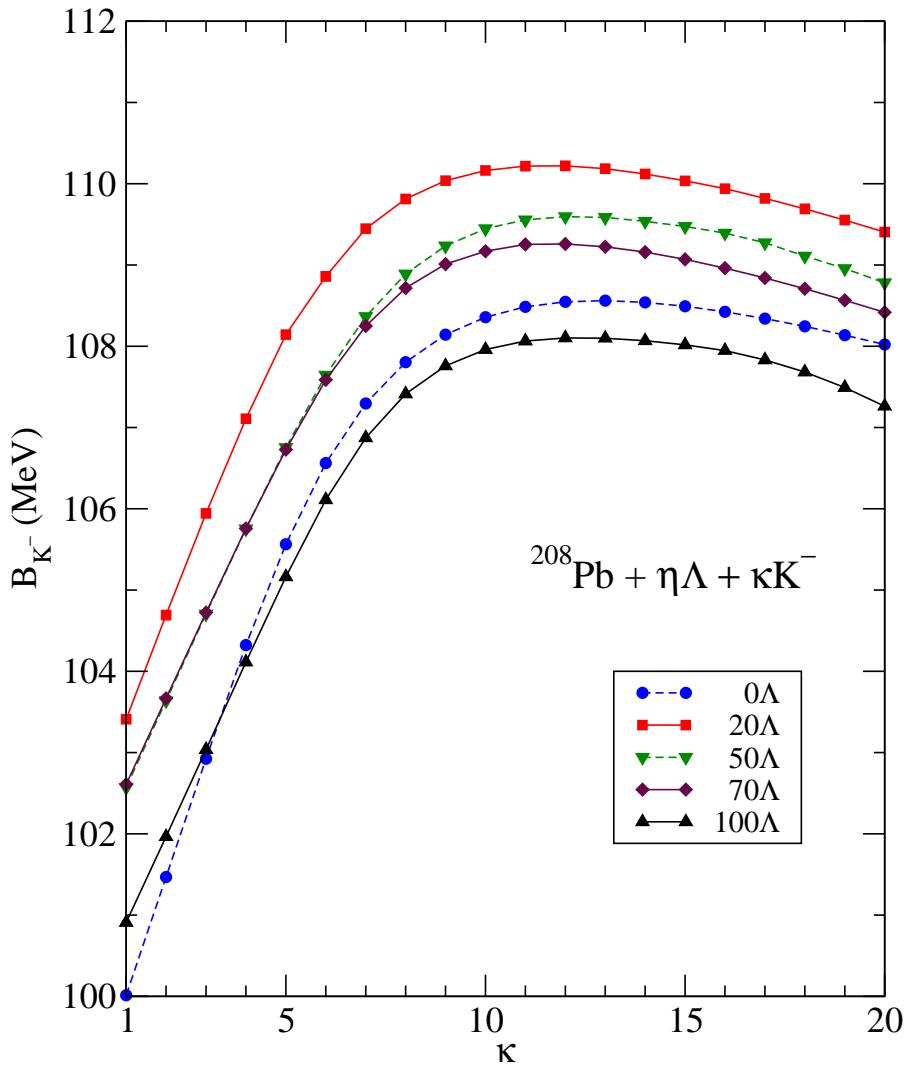


D. Gazda, E. Friedman, A. Gal, J. Mareš, PRC 77 (2008) 045206

Saturation of $B_{\bar{K}}(\kappa)$ in multi K^- nuclei

$B_{\bar{K}}(\kappa \rightarrow \infty) \ll (m_K + M_N - M_\Lambda) \approx 320 \text{ MeV}$

How robust is the saturation observed for $B_{\bar{K}}(\kappa)$?



D. Gazda, E. Friedman, A. Gal, J. Mareš, PRC 80 (2009) 035205

Saturation of $B_{\bar{K}}(\kappa)$ in $^{208}\text{Pb} + \eta\Lambda + \kappa K^-$ far from \bar{K} condensation

Summary

- Large widths, $\Gamma_{\bar{K}} > 50$ MeV, expected for single- \bar{K} quasibound nuclear states. Focus on light systems.
Searches for $K^- pp$ are underway in GSI and J-PARC
- \bar{K} separation energy saturates in multi- \bar{K} nuclei, and also in multi- \bar{K} hypernuclei. \bar{K} condensation is unlikely in self-bound matter on Earth
- \bar{K} condensation in neutron stars is uncertain, but the more robust hyperon degrees of freedom will surely void or delay it